

Hybrid stars from a constrained EoS

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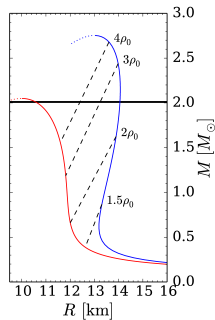
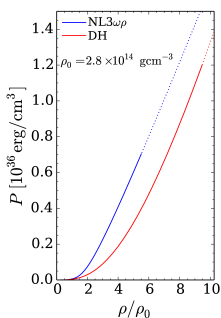
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Probing the interior of Neutron Stars

- ▶ Neutrons stars provide a laboratory for testing
 - ▶ nuclear physics: high density, highly asymmetric matter
 - ▶ QCD: deconfinement, quark matter, superconducting phases
- ▶ microscopic model \rightarrow EOS \xrightarrow{TOV} mass-radius

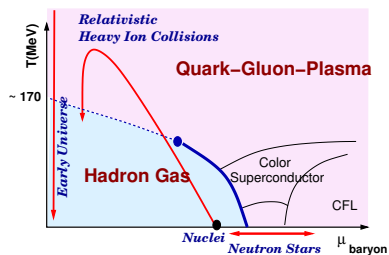


Motivation

- ▶ Do neutron stars contain deconfined quark matter?
- ▶ Are hybrid star models compatible with constraints coming from observations?
- ▶ Which are the properties of hybrid stars that satisfy observational constraints?

Márcio Ferreira , Renan Pereira, CP

(PRD101, 123030 & PRD102, 083030 & PRD103, 123020)



Constraints: Neutron star observations & nuclear/quark matter constraints

- ▶ **NICER data for PSR J0030+0451**: Riley et al ApJ.Lett. 887 L21, Miller et al ApJ.Lett. 887 L24
- ▶ **NICER+XMM-Newton data for PSR J0740+6620**: $12.39^{+1.30}_{-0.98}$ km and $2.072^{+0.067}_{-0.066} M_{\odot}$ (Riley et al arxiv:2105.06980v2)
- ▶ **Tidal deformability GW170817**: with constraint $M > 1.97 M_{\odot}$
- ▶ **Deconfinement transition for $n_B > 0.25 \text{ fm}^{-3}$**
- ▶ **Hadronic EoS satisfies accepted nuclear matter properties**
 - a) metamodel EoS for nucleonic matter;
 - b) DDME2 (Lalazissis PRC71)
- ▶ **Quark matter**:
chiral symmetric model (SU(3) Nambu-Jona-Lasinio with 4- and 8-quark terms), fitted to π , K , η meson vacuum properties

Hadronic EoS

- ▶ Nuclear matter meta-model: Taylor expansion (Margueron PRC97, 025805)
- ▶ Advantage of a meta-model for the hadron phase: flexibility to build hybrid EoS with $2 M_{\odot}$ maximum mass providing realistic empirical nuclear parameters that satisfy known uncertainties.
- ▶ Metamodels: 354 nucleonic EoS that allow for a phase transition
- ▶ Metamodel: properties with and without phase transition

Nucleonic	K_{sat}	Q_{sat}	Z_{sat}	E_{sym}	L_{sym}	K_{sym}	Q_{sym}	Z_{sym}
mean	233.95	58.62	-181.97	33.32	51.56	-43.96	238.21	371.91
std	18.75	123.33	143.04	1.89	11.83	63.02	300.33	698.56
Hybrid (all)	K_{sat}	Q_{sat}	Z_{sat}	E_{sym}	L_{sym}	K_{sym}	Q_{sym}	Z_{sym}
mean	236.52	241.38	362.11	33.17	49.99	-37.48	191.54	503.39
std	17.73	242.03	593.75	1.84	12.55	67.23	310.48	734.69
Hybrid	K_{sat}	Q_{sat}	Z_{sat}	E_{sym}	L_{sym}	K_{sym}	Q_{sym}	Z_{sym}
($1.3 < n_t/n_0 < 2.5$)								
mean	244.55	434.37	557.83	33.38	49.90	-18.07	195.39	400.46
std	16.91	174.6	743.94	2.00	11.55	57.47	300.13	672.24

- ▶ A phase transition to quark matter requires stiffer EoS:
 - ▶ higher Q_{sat} and higher (and positive) Z_{sat} , wider spread
- ▶ DDME2 EoS: $K_{sat} = 250\text{MeV}$, $E_{sym} = 32.3\text{MeV}$, $L = 51.2\text{MeV}$, $K_{sym} = -87\text{MeV}$.

Quark EoS

- ▶ **Quark model:** SU(3) NJL with 4 and 8-quark vector contributions

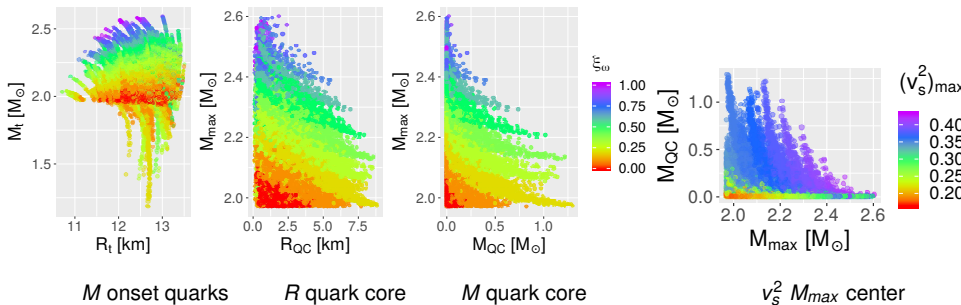
$$\begin{aligned}\mathcal{L} = & \bar{\psi}(i\not{\partial} - \hat{m} + \hat{\mu}\gamma^0)\psi + G_S \sum_{a=0}^8 \left[(\bar{\psi}\lambda^a\psi)^2 + (\bar{\psi}i\gamma^5\lambda^a\psi)^2 \right] \\ & - G_D \left[\det(\bar{\psi}(1 + \gamma_5)\psi) + \det(\bar{\psi}(1 - \gamma_5)\psi) \right] \\ & - G_\omega \left[(\bar{\psi}\gamma^\mu\lambda^0\psi)^2 + (\bar{\psi}\gamma^\mu\gamma_5\lambda^0\psi)^2 \right] - G_\rho \sum_{a=1}^8 \left[(\bar{\psi}\gamma^\mu\lambda^a\psi)^2 + (\bar{\psi}\gamma^\mu\gamma_5\lambda^a\psi)^2 \right] \\ & - G_{\omega\omega} \left[(\bar{\psi}\gamma^\mu\lambda^0\psi)^2 + (\bar{\psi}\gamma^\mu\gamma_5\lambda^0\psi)^2 \right]^2 + \mathcal{L}_{\omega\rho} + \mathcal{L}_{\omega\omega}.\end{aligned}$$

- ▶ Λ , G_S , G_D , m_i : fitted to meson vacuum properties
- ▶ **Free parameters:** G_ω , G_ρ , $G_{\omega\omega}$, B
- ▶ B defines the deconfinement onset: $P \rightarrow P + B$, $\epsilon \rightarrow \epsilon - B$
- ▶ **Models with large quark cores:** determined by effective bag B , & vector interactions $\xi_\omega = G_\omega/G_S$, $\xi_\rho = G_\rho/G_S$, $\xi_{\omega\omega} = G_{\omega\omega}/G_S^4$
- ▶ **Other 8-quark vector terms ($\rho\rho$ or $\omega\rho$):** minor effects, the most relevant is the $\omega\rho$ term contributing to increase strangeness fraction in 10%.

Neutron stars with large quark cores & $M > 1.97M_{\odot}$

(Ferreira PRD101, 123030) , $G_{\omega\omega} = 0$, $G_{\rho} = 0$

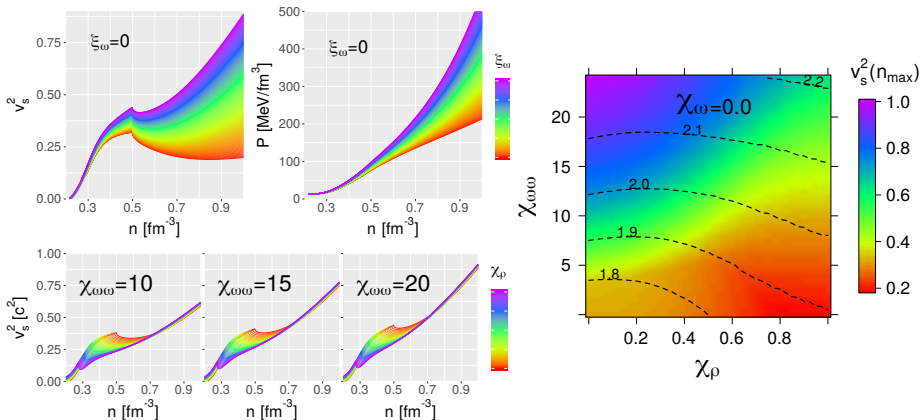
- ▶ Deconfinement transtion: Maxwell const, jump in baryonic density Δn
- ▶ Large quark cores: $\Delta n/n_0 \lesssim 0.2$, $n_t < 4n_0$, $B \gtrsim 10 \text{ MeV/fm}^3$
- ▶ Quarks in low mass stars: $\Delta n/n_0 \lesssim 0.65$ and $1.8 < n_t/n_0 < 2.5$
- ▶ Mass quark core $\lesssim 1M_{\odot}$ and speed of sound $v_s^2 > 0.35$



8-quark term $G_{\omega\omega}$

(Ferreira, PRD102(083030), PRD103(123020))

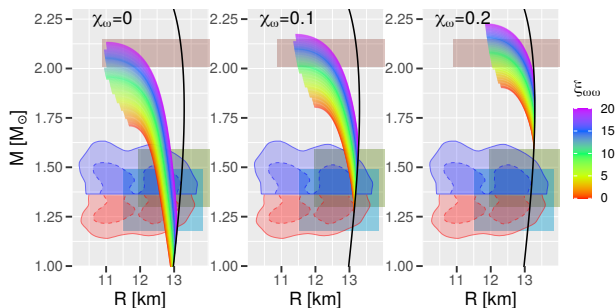
- ▶ Effect of $\xi_\omega = \chi_\omega = G_\omega/G_S$, $\chi_\rho = G_\rho/G_S$, $\chi_{\omega\omega} = G_{\omega\omega}/G_S^4$
- ▶ $G_\rho \rightarrow$ controls onset of s-quark: larger values imply lower onset densities of strangeness and lower overall v_s^2



Quark matter in light neutron stars

(Ferreira PRD102, 083030)

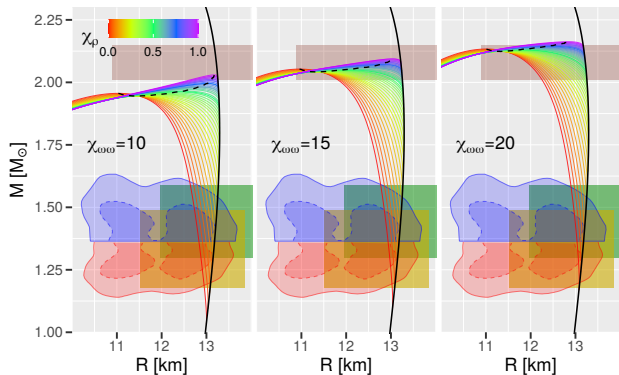
- ▶ larger values of G_ω → quark onset for larger masses, shorter quark branches, larger M_{max}
- ▶ large values of $G_{\omega\omega}$ → quark onset for low masses ($M > 1M_\odot$), massive stars are obtained $M_{max} \sim 2.2M_\odot$
- ▶ Agreement with NICER observations for PSR J0030+0451, NICER/XMM-Newton for J0740+662



Strange quark matter in light neutron stars

(Ferreira PRD102, 083030)

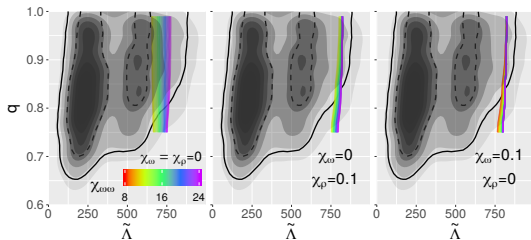
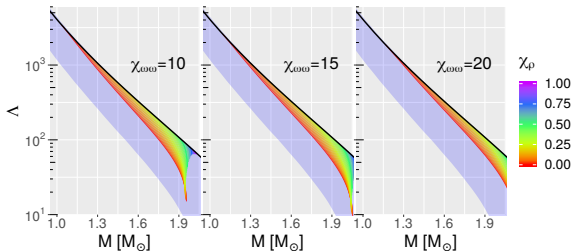
- ▶ larger values $G_\rho \rightarrow$ quark onset at larger masses, shorter quark branches, slightly larger M_{max}
- ▶ interplay between G_ρ and $G_{\omega\omega} \rightarrow$ hybrid stars with considerable quark cores, large strangeness fraction and $v_s^2 \lesssim 0.65$



GW170817 constraints

(Ferreira PRD103, 123020), $G_\omega = 0$

- ▶ $\tilde{\Lambda} < 720$ (HPD), 800 (symetric) GW170817 ($M > .97M_\odot$, LVC, PRX 9)
- ▶ DDME2 (at the upper limit) + hybrid stars satisfy GW170817 constraints
- ▶ $q - \tilde{\Lambda} q = M_2/M_1 > 0.73$ if $G_\omega = G_\rho = 0$, $q \gtrsim 0.85$ if $G_\omega > 0$ and/or $G_\rho > 0$

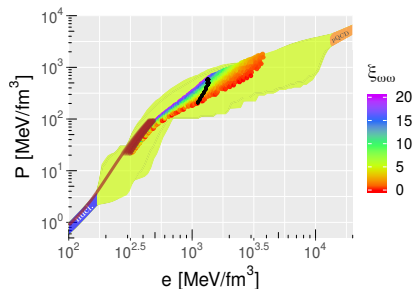
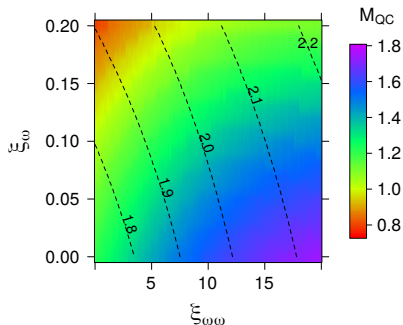


Quark matter in neutron stars

Conclusions I

- ▶ It is possible to build hybrid stars with $M \gtrsim 2M_{\odot}$ satisfying both observations and terrestrial constraints
- ▶ $\approx 2.1M_{\odot}$ star with $\approx 1.8M_{\odot}$ quark core with central $v_s^2 \approx 0.93$ were obtained
- ▶ v_s^2 and NS mass are very sensitive to $G_{\omega\omega}$
- ▶ $G_{\omega\omega}$ term gives rise to a non-linear density dependent speed of sound

It is possible to obtain low mass stars with a quark core



Quark matter in neutron stars

Conclusions II

- ▶ $\chi_\rho > 0 \rightarrow$ larger strangeness fraction, and smaller v_s^2
- ▶ $\chi_\rho > 0 \rightarrow$ smaller quark core, but still possible cores with $0.8-1 M_\odot$
- ▶ Maximum strangeness fraction at star center : 25% in star with $1/3M$ quark core (inclusion of $\rho\omega$ term $\approx 28\%$)
- ▶ very massive stars with large quark cores have $v_s^2 > 1/3$
- ▶ **Maximum masses:** $\lesssim 2.2M_\odot \rightarrow$ low mass companion of GW190814 is not a hybrid star (with the present quark model), unless it is rapidly rotating star (Dexheimer PRC103, 025808)

