

First Results From the Fermilab Muon $g-2$ Experiment

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On behalf of the Muon $g-2$ Collaboration

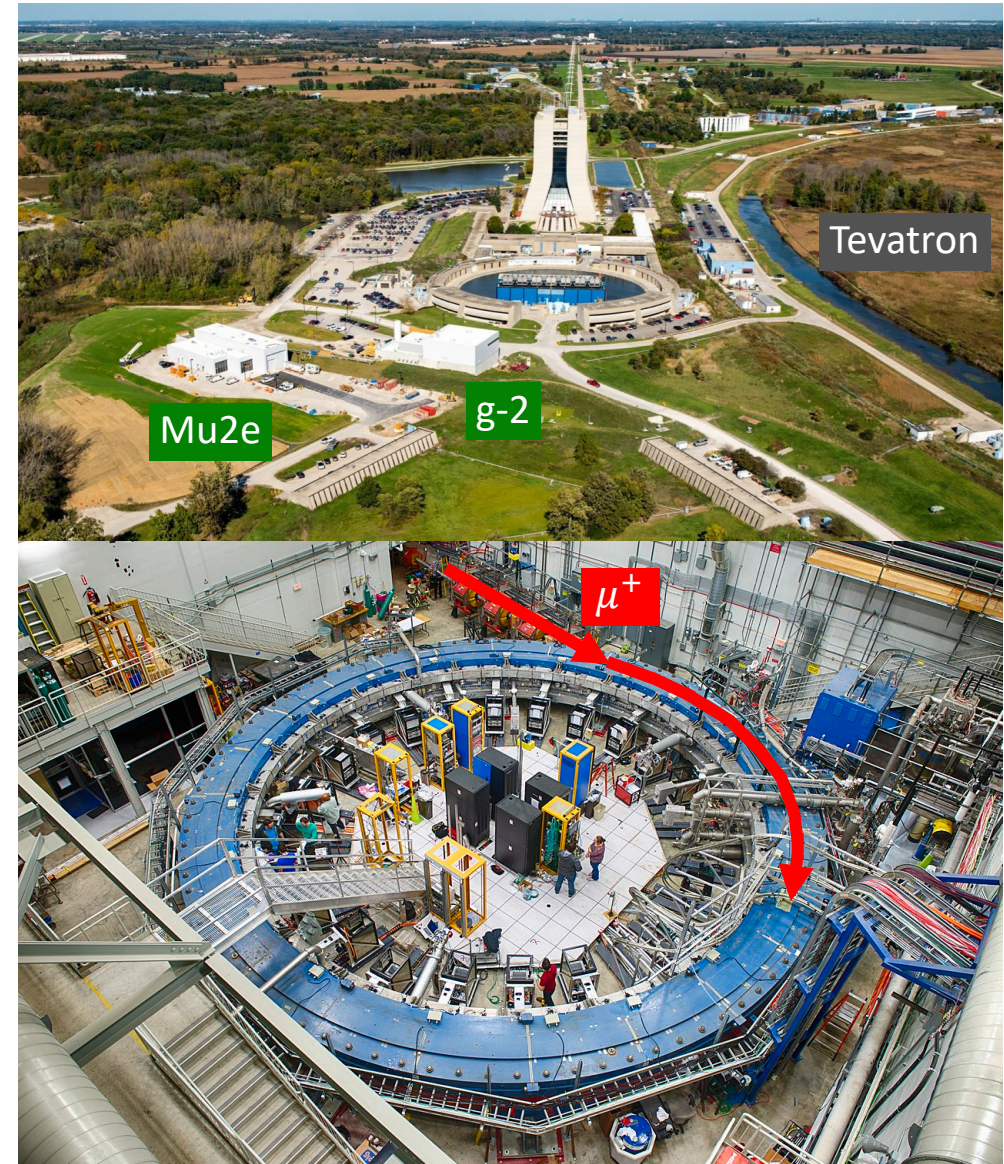
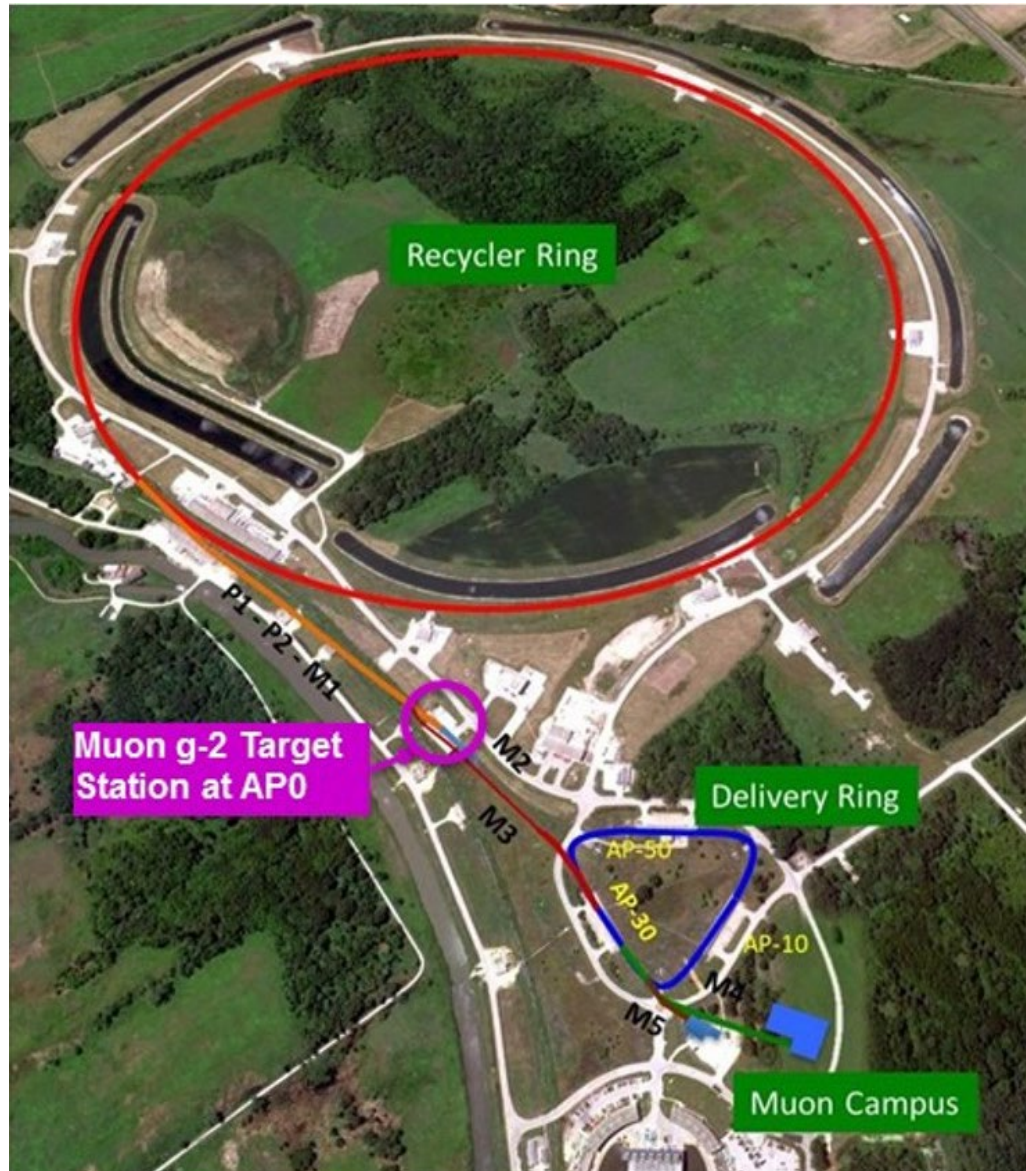
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Introduction

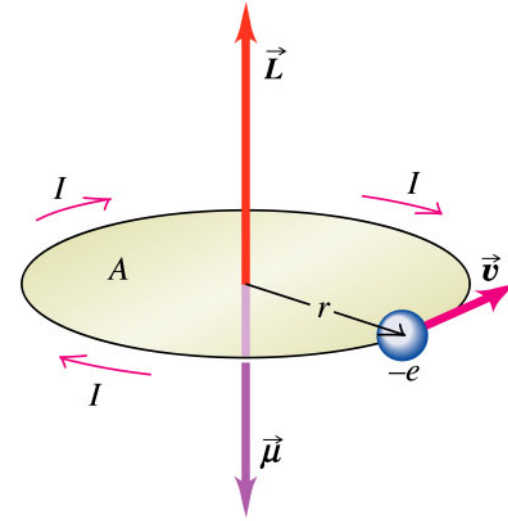


Muon Anomalous Magnetic Dipole Moment (a_μ)

Magnetic moment $\mu = g \frac{e}{2m} s$ ← spin angular momentum

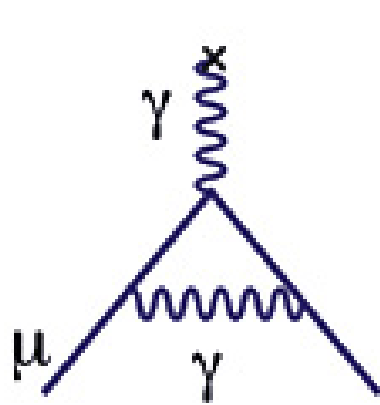
Classical: $g = 1$

Dirac equation: $g = 2$
$$i \left(\partial_\mu - ieA_\mu(x) \right) \gamma^\mu \psi(x) = m\psi(x)$$



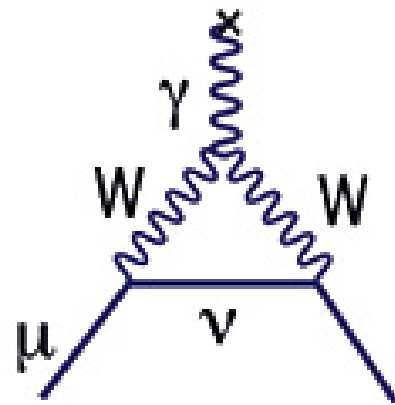
Interactions w/ quantum foam: $g > 2$ $a_\mu = \frac{g-2}{2}$

Contributions to a_μ in the Standard Model



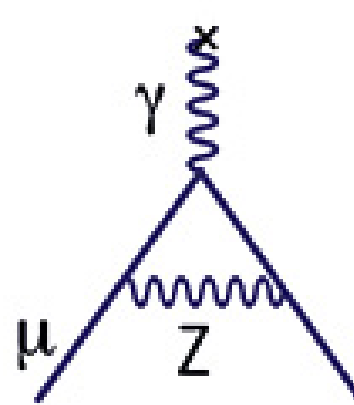
QED

QED incl. 4-loops + 5-loops
 $a_\mu = 116\,584\,718.86 \times 10^{-11}$
 $\delta a_\mu = 0.03 \times 10^{-11}$



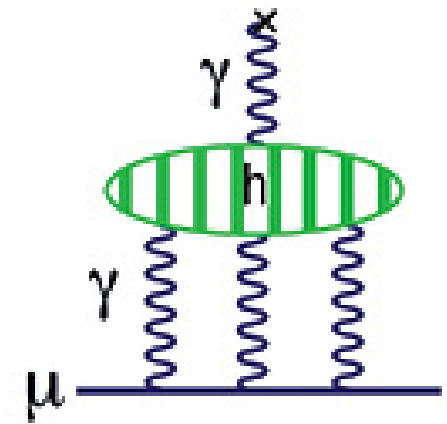
electroweak

Weak to 2-loops
 $a_\mu = 153.6 \times 10^{-11}$
 $\delta a_\mu = 1.1 \times 10^{-11}$



LO hadronic

Hadronic LO VP
 $a_\mu = 6\,894.6 \times 10^{-11}$
 $\delta a_\mu = 32.5 \times 10^{-11}$



hadronic LbL

Hadronic LbL
 $a_\mu = 103.4 \times 10^{-11}$
 $\delta a_\mu = 28.8 \times 10^{-11}$

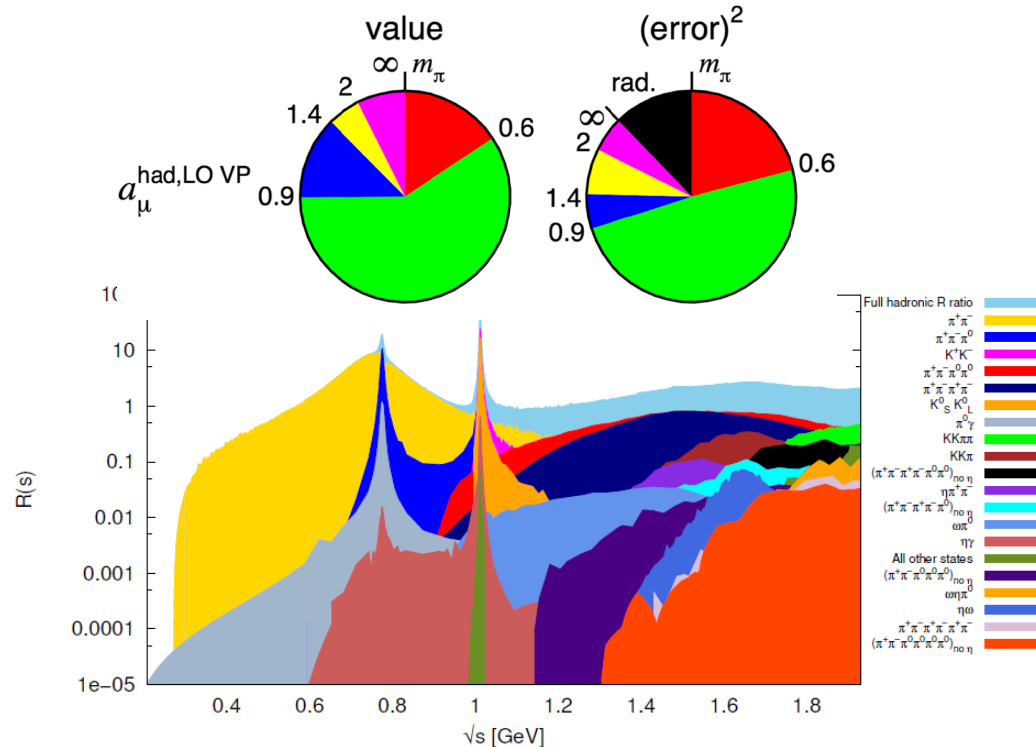
Theory: $(11\,659\,1783 \pm 43) \times 10^{-11}$
 Experiment (2021): $(11\,659\,2061 \pm 41) \times 10^{-11}$

Recent Advances in the Theory

Improvements in $a_\mu^{\text{Had, LO VP}}$ (KNT18)

Direct energy scan: CMD-3, SND, KEDR

Radiative return: BABAR, KLOE/KLOE-2, BESIII

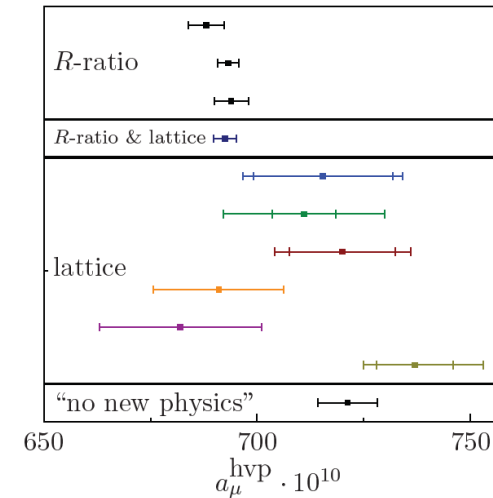


$$a_\mu^{\text{Had, LO VP}} = (693.26 \pm 2.46) \times 10^{-10}$$

A. Keshavarzi, D. Nomura and T. Teubner, Phys. Rev. D **97**, no. 11, 114025 (2018).

Calculation of $a_\mu^{\text{Had, VP}}$ and $a_\mu^{\text{Had, LbL}}$ using Lattice QCD

- From first principles
- Can be used to improve R-ratio results
- Several collaborations working on this
 - including RBC/UKQCD and Mainz
- Precision needs improvement; calculations ongoing



Jegerlehner 2017

Teubner *et al* 2018

Davier *et al* 2019

RBC/UKQCD 2018

RBC/UKQCD 2018

BMW 2017

CLS Mainz 2019

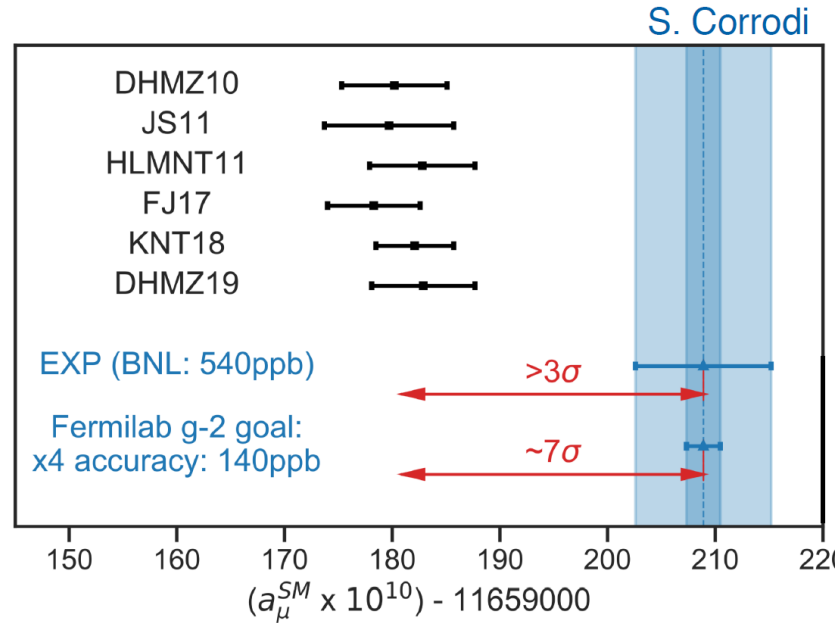
FermiLab/HPQCD/MILC 2019

ETMC 2019

PACS 2019

V. Gülpers, arXiv:2001.11898 [hep-lat] (2020).

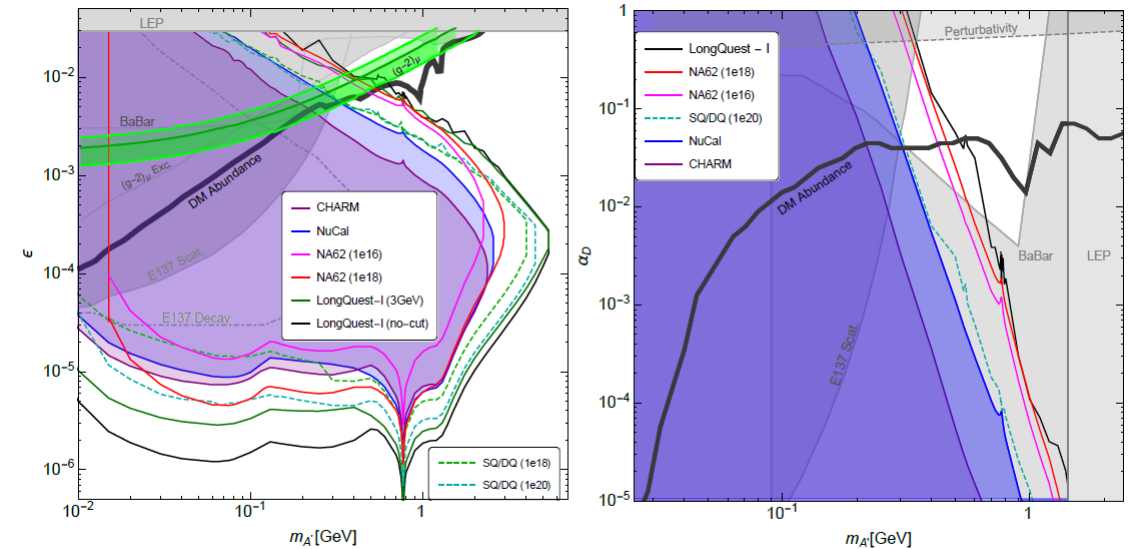
Beyond-Standard Model Possibilities



In case of a Beyond-SM a_μ , some of the possible contributors to the respective discrepancy would be:

- Dark matter
- Supersymmetry (SUSY)
- Extra dimensions
- Additional Higgs Bosons
[S. Iguro *et al.*, arXiv:1907.09845 [hep-ph]]

Muon g-2 window in the search for inelastic dark matter (iDM) :



(a_D : analogue of the fine structure constant for a new $U(1)$ gauge symmetry $U(1)_D$. Δ : mass splitting $\Delta = \frac{(m_2 - m_1)}{m_1}$.)

NA62 Experiment at CERN is ongoing and may yield iDM results.

See Y.-D. Tsai *et al.*, arXiv:1908.07525 [hep-ph] (2019).

The Muon g-2 Experiment at Fermilab (E989)

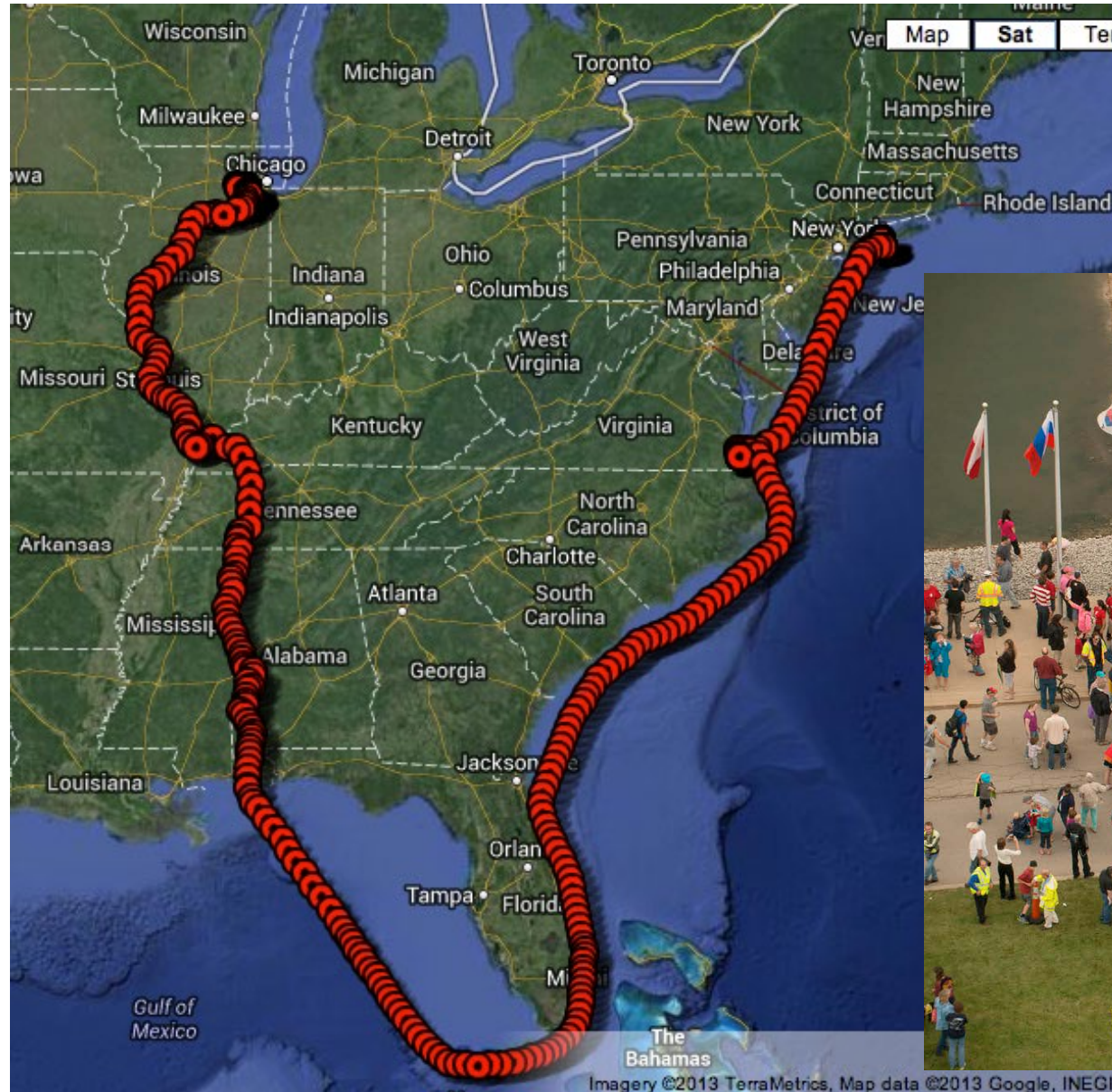


Improvements over the Muon g-2 Experiment at BNL (E821):

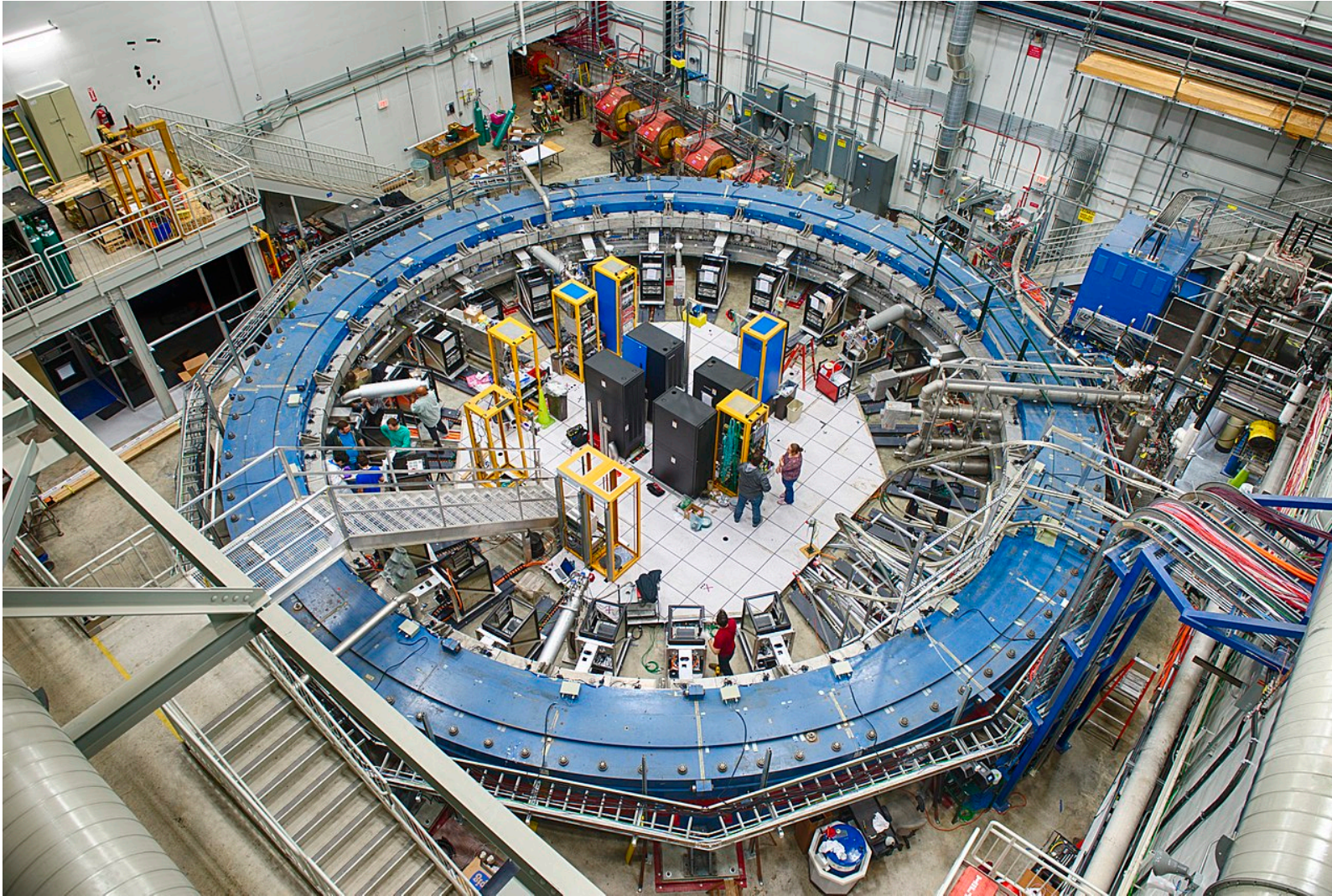
- More muons, delivered more often to the storage ring
- Improved muon storage function
- Better beam dynamics modeling
- Higher field uniformity and better field monitoring
- Reduced spin precession frequency systematics

From BNL to FNAL: the Great Move

2013



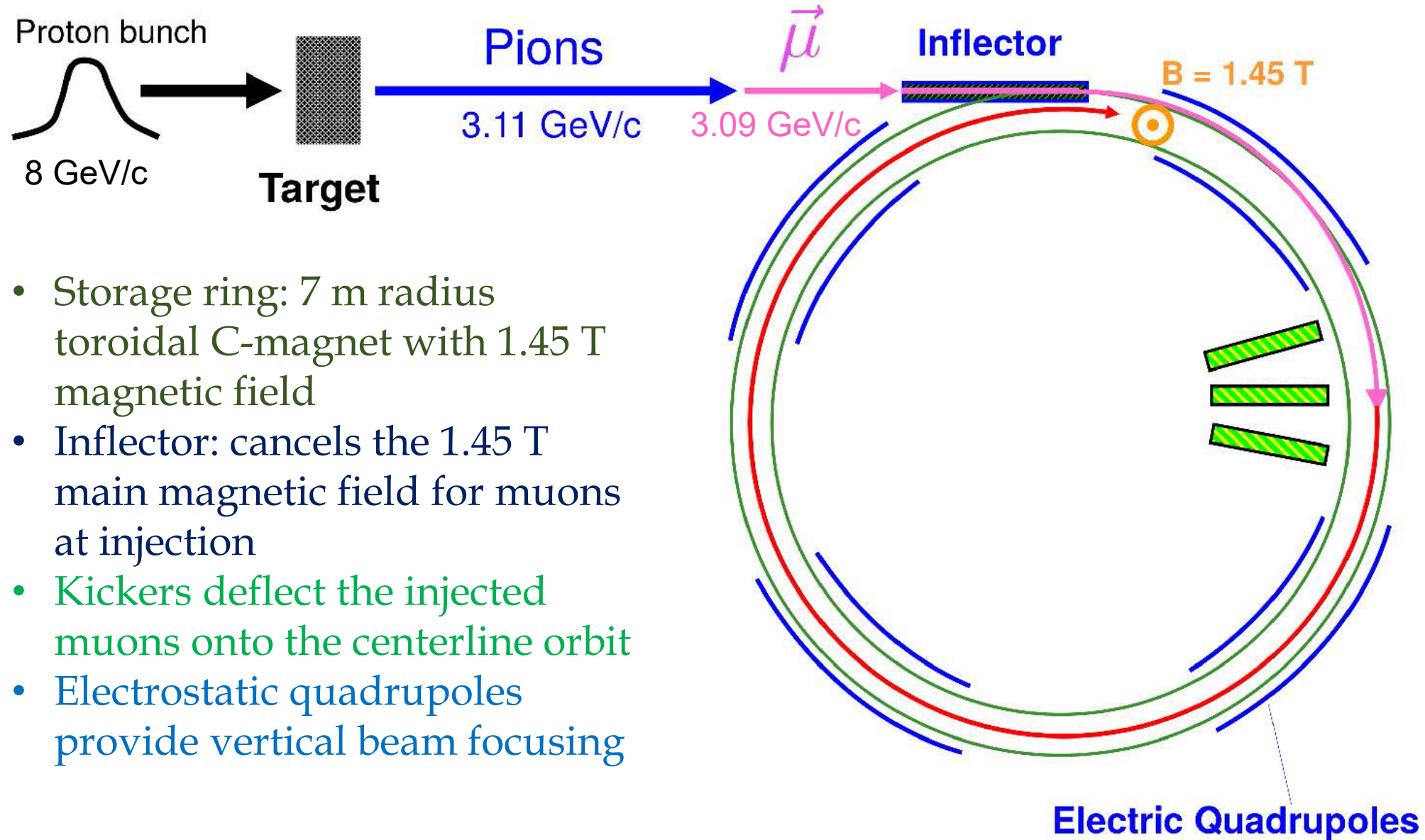
The Muon g-2 Experiment at Fermilab (E989)

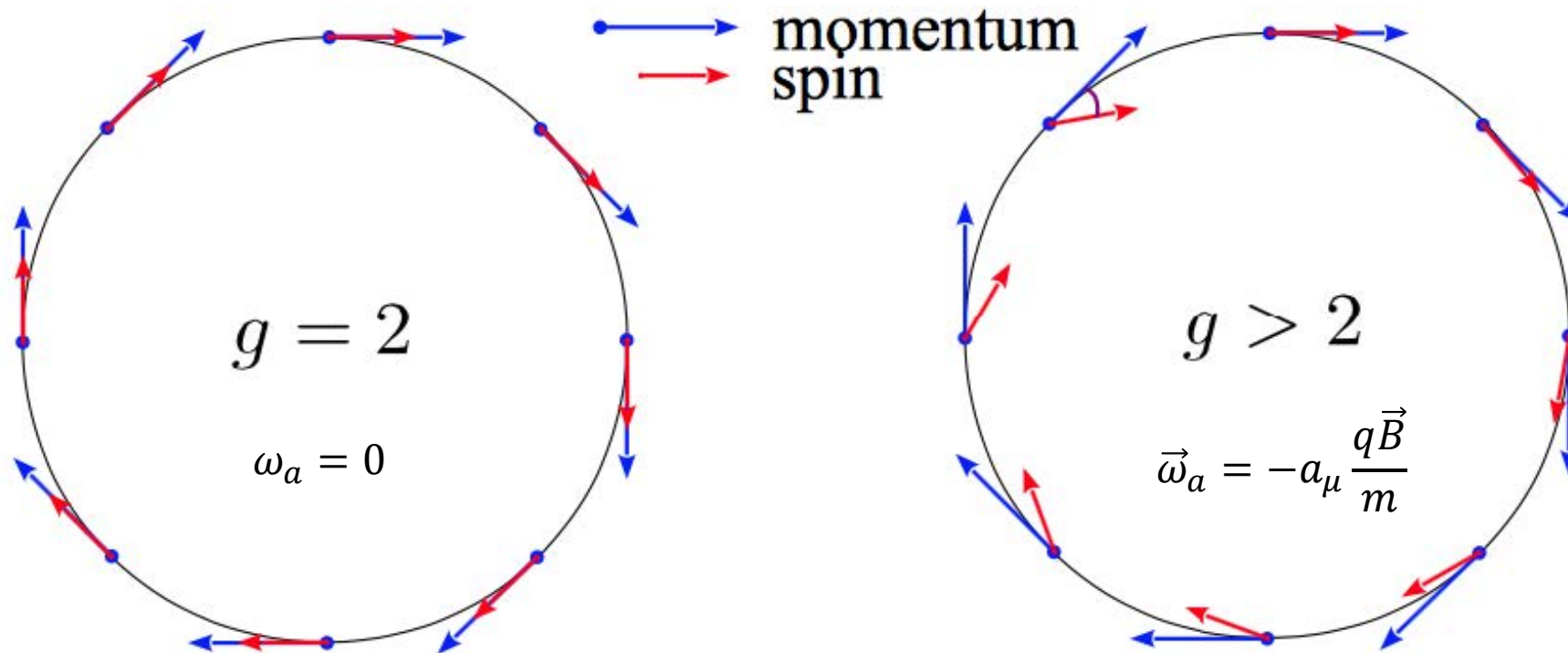


Technical design projection:

- ~20x more data
- ~3x reduction of systematic errors

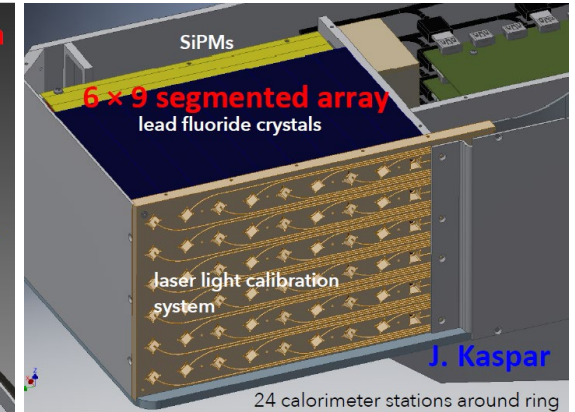
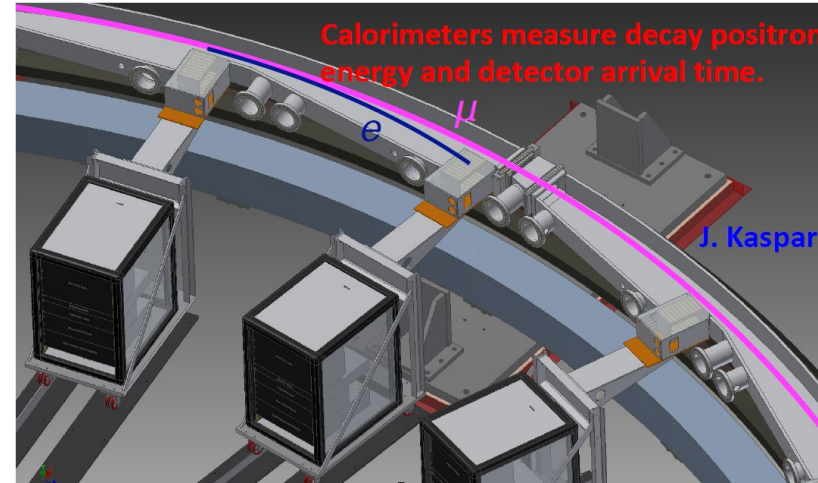
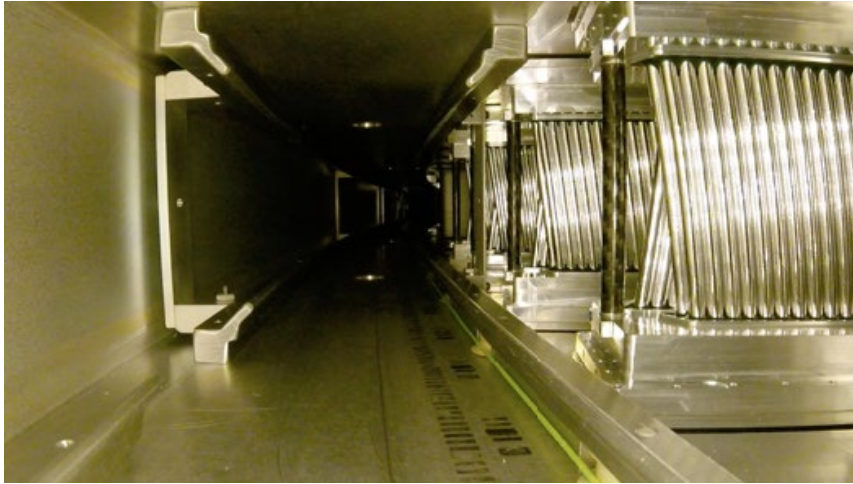
The Muon g-2 Storage Ring



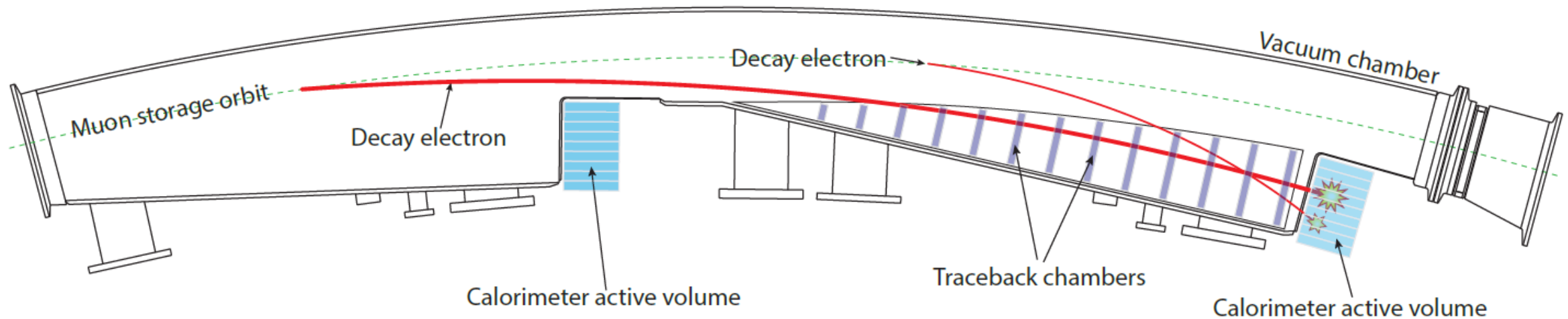


If $g=2$, the angle between the magnetic moment and the momentum does not change.
If $g>2$, the angle between the magnetic moment and the momentum changes linearly.

Measurement of Muon Spin Precession

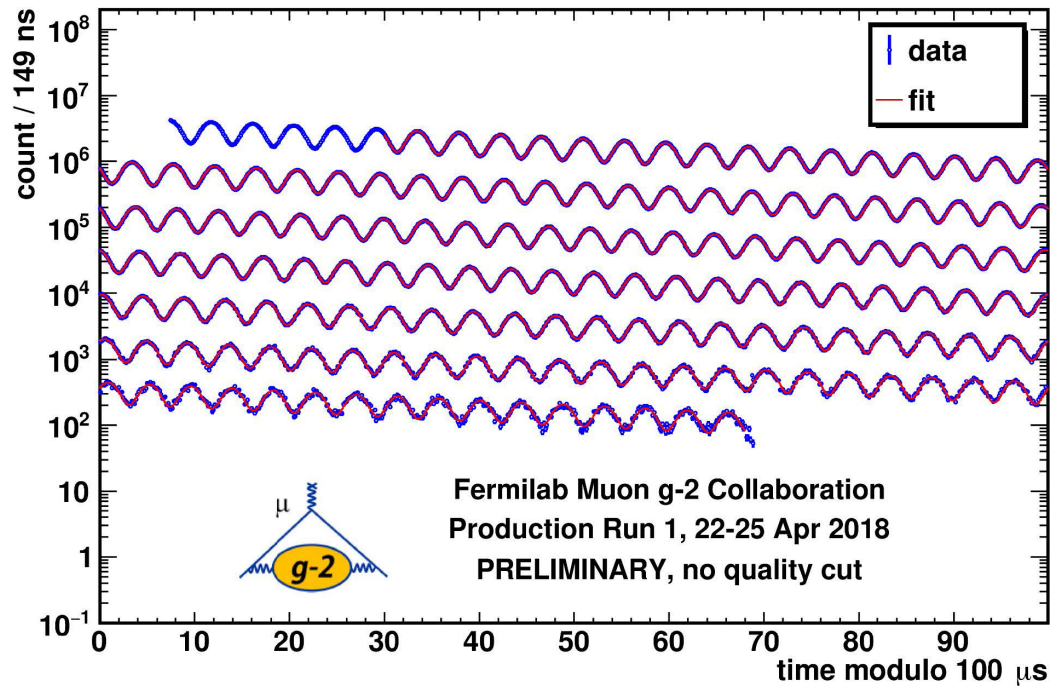


Crystals are 25×25×140 mm



Straw trackers: reconstruct decay e^+ trajectories
Calorimeters: detect decay e^+ energy and arrival times

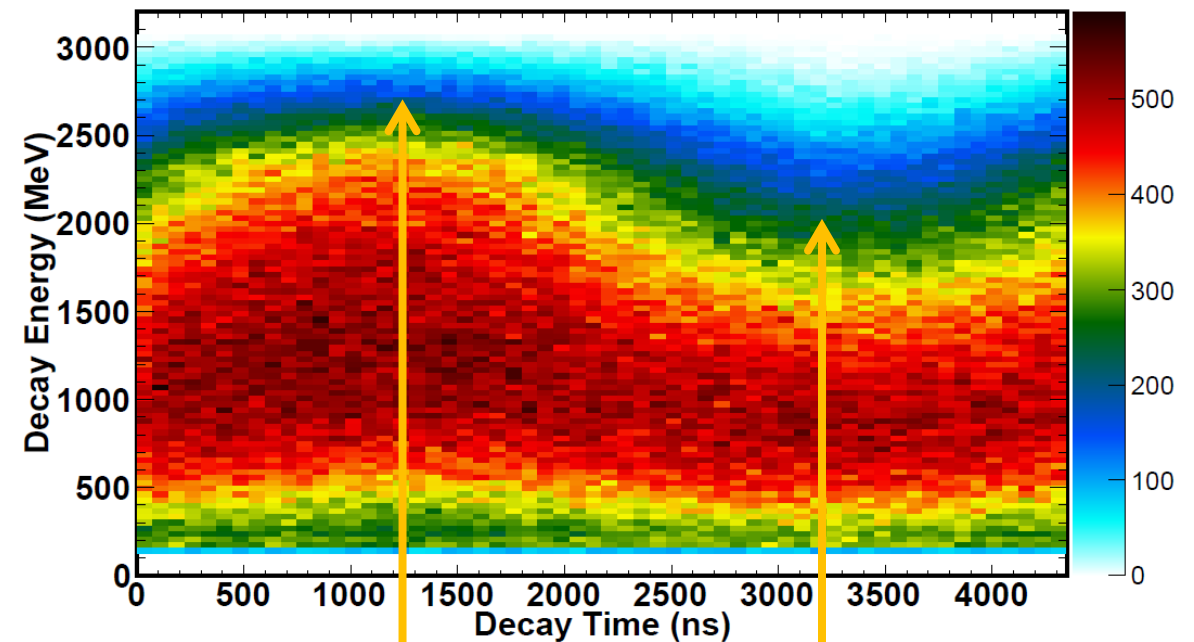
The Wobble Plot



$$f(t) = N_0 e^{-\lambda t} [1 + A \cos(\omega_a t + \phi)]$$

λ : exponential decay constant

ω_a : muon anomalous precession frequency



Muon spin and momentum
are aligned.

Muon spin and momentum
are anti-aligned.

Early-to-late phase change:

If, $\phi = \phi(t) = \phi_0 + \phi_1 t$, then

$$\begin{aligned} \cos(\omega_a t + \phi) &= \cos(\omega_a t + \phi_0 + \phi_1 t) = \\ &= \cos((\omega_a + \phi_1)t + \phi_0) \end{aligned}$$

Calculation of a_μ from Muon and Proton Spin Precession

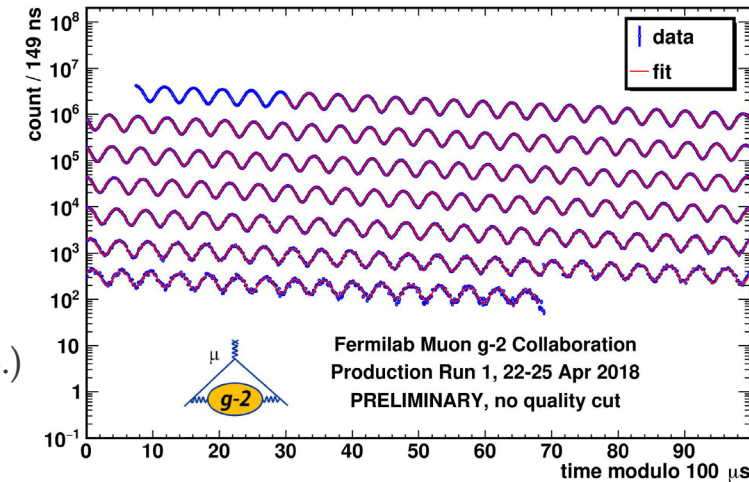
from decay e^+ time spectra

$$a_\mu = \frac{\frac{g_e}{2} \frac{m_\mu}{m_e} \omega_a}{\left(\frac{\mu_e}{\mu_p} \right) \langle \omega_p \rangle}$$

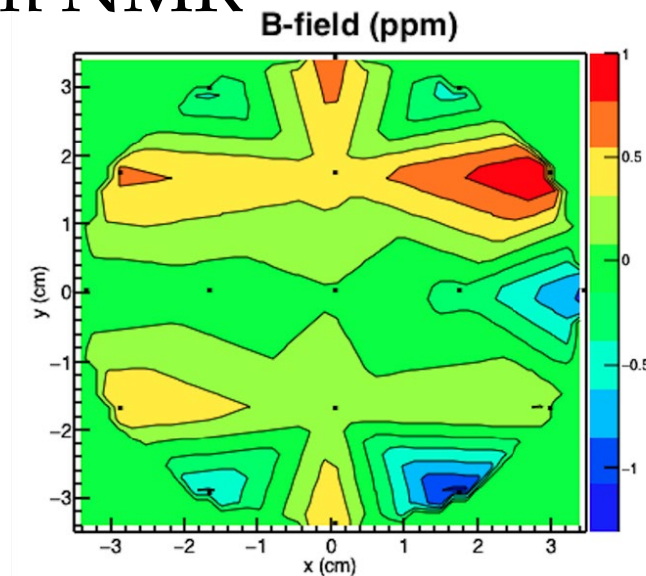
(140 ppb)

(70 ppb sys. 100 ppb stat.)

(70 ppb sys.)



from NMR



From CODATA [1]:

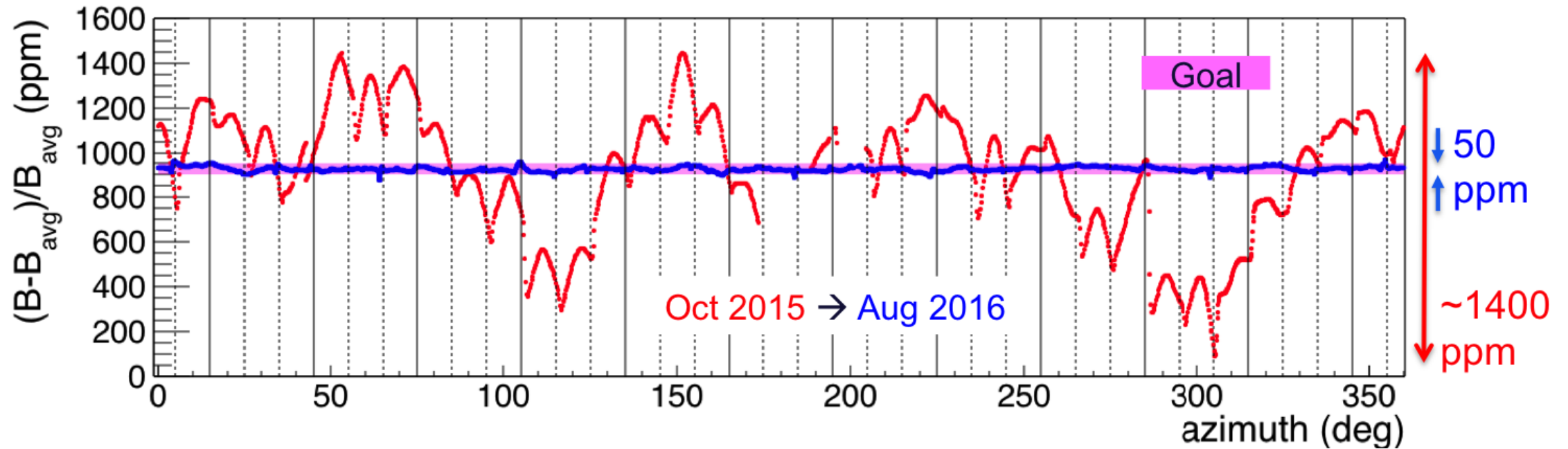
$$g_e = -2.002\,319\,304\,361\,82(52) \text{ (0.00026 ppb)}$$

$$m_\mu/m_e = 206.768\,2826(46) \text{ (22 ppb)}$$

$$\mu_e/\mu_p = -658.210\,6866(20) \text{ (3.0 ppb)}$$

[1] P. J. Mohr, D. B. Newell and B. N. Taylor, Rev. Mod. Phys. 88, no. 3, 035009 (2016).

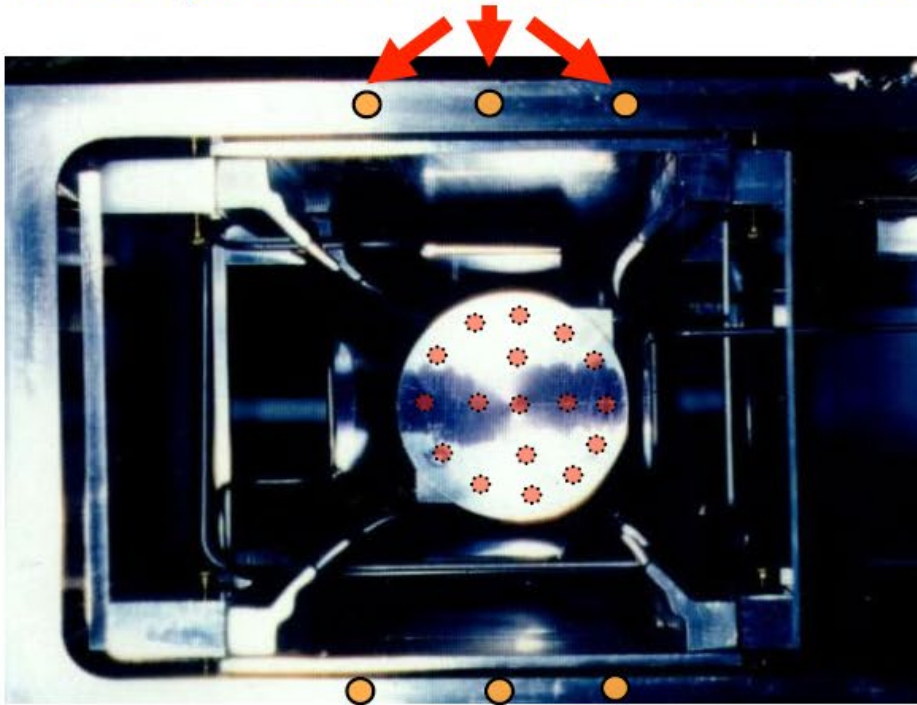
Magnetic Field Shimming



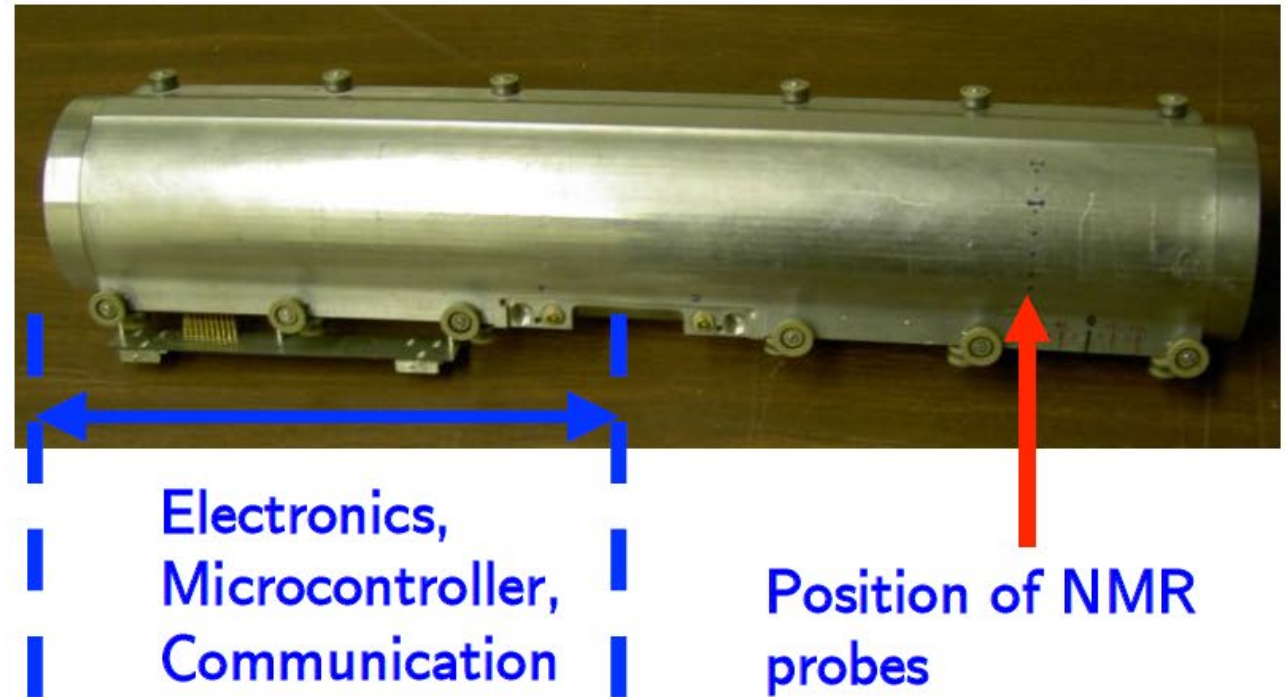
- Passive shimming is performed by inserting tiny metal pieces to increase the field.
- Magnetic field was made 3× more uniform than at BNL.
- Active shimming is also used.

Fixed and Trolley-Mounted NMR Probes

Fixed probes on vacuum chambers



Trolley with matrix of 17 NMR probes



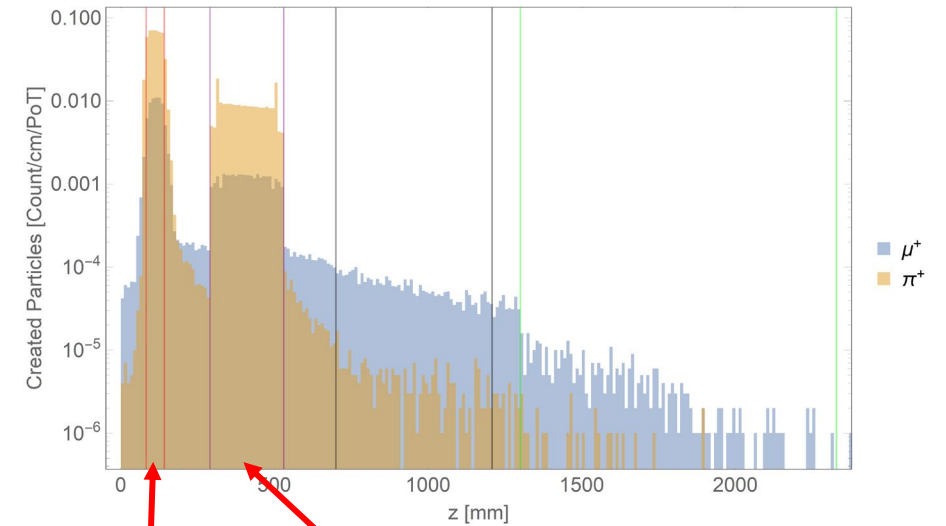
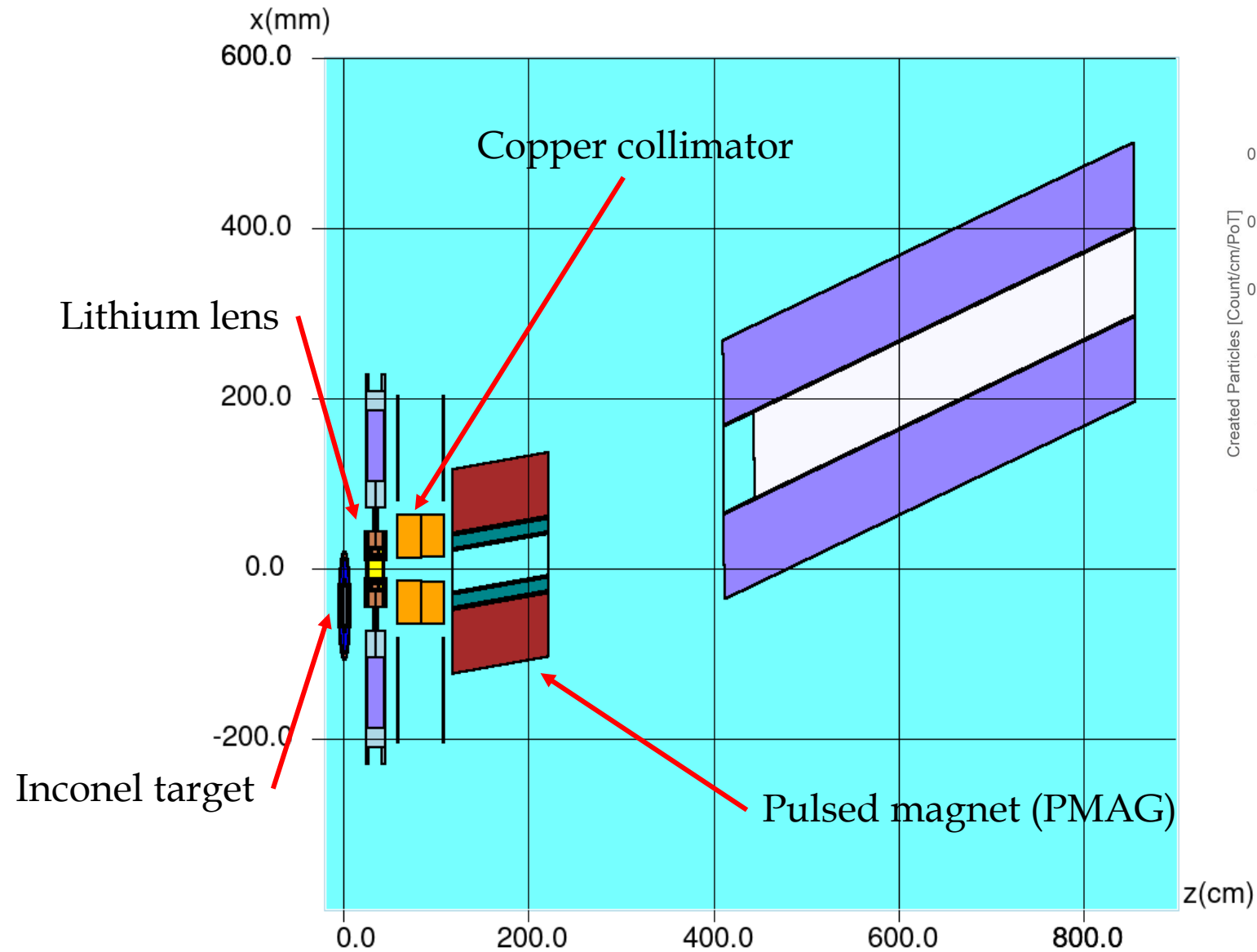
Corrections and Uncertainties Before Unblinding

	Correction	Uncertainty	Design goal
ω_a^m (statistical)	–	434	100
ω_a^m (systematic)	–	56	
base clock	–	2	
C_e	489	53	
C_p	180	13	
C_{ml}	-11	5	
C_{pa}	-158	75	
ω_a beam dynamics corrections ($C_e + C_p + C_{ml} + C_{pa}$)	499	93	
ω_a total systematic	499	109	70
$\omega_p'(T)(x, y, \varphi)$	–	54	
$M(x, y, \varphi)$	–	17	
$\langle \omega_p'(T)(x, y, \varphi) \times M(x, y, \varphi) \rangle$	–	56	
B_q	-17	92	
B_k	-27	37	
$\tilde{\omega}_p'(T)$ transient fields corrections ($B_q + B_k$)	-44	99	
$\tilde{\omega}_p'(T)$ total	44	114	70
$\omega_a/\tilde{\omega}_p'(T)$ total systematic	544	157	100
external measurements	–	25	
total [correction is for $\omega_a/\tilde{\omega}_p'(T)$]	544	462	140

In the following eight or nine slides, I will talk about some of my recent personal contributions:

- *end-to-end simulations*
- *application of simulation results to muon loss systematics*

Muon g-2 Target Station



Simulations Using High Performance Computing Systems



2×10^{13} protons
on target

HPC systems:

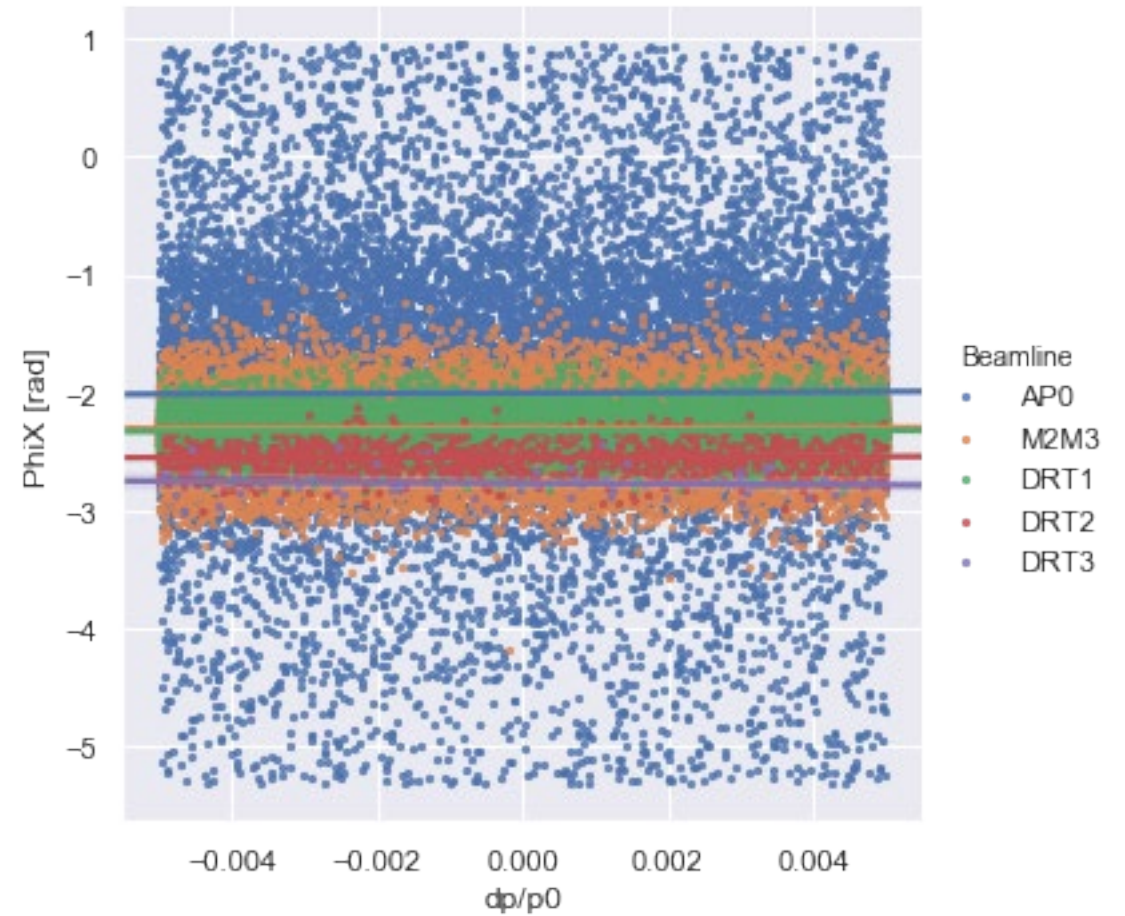
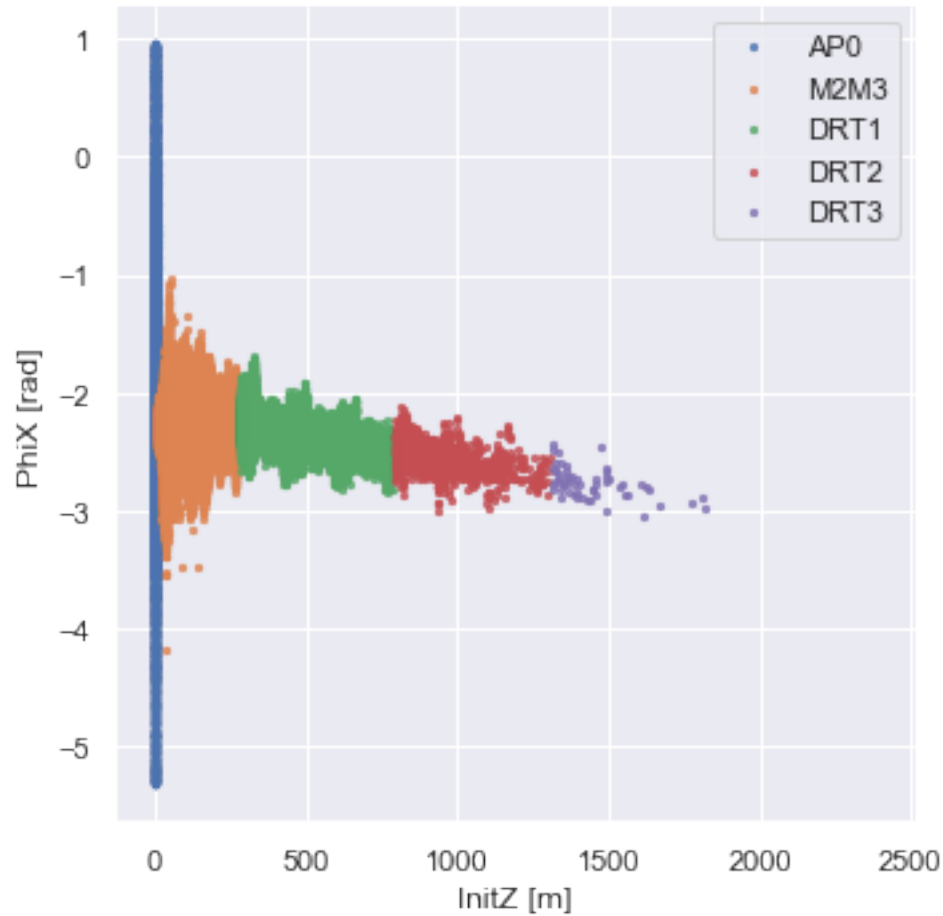
- NERSC
 - Edison (2013–2019):
2.57 PFLOPS
 - Cori (2015–):
30 PFLOPS
- Open Science Grid
 - Up to 10000 cores
at a time
- FermiGrid

Simulation tools:

- gm2ringsim (Geant4)
- COSY INFINITY
- BMAD
- MARS
- G4Beamline (Geant4)

Dependence of Initial Phase on Muon Creation Location

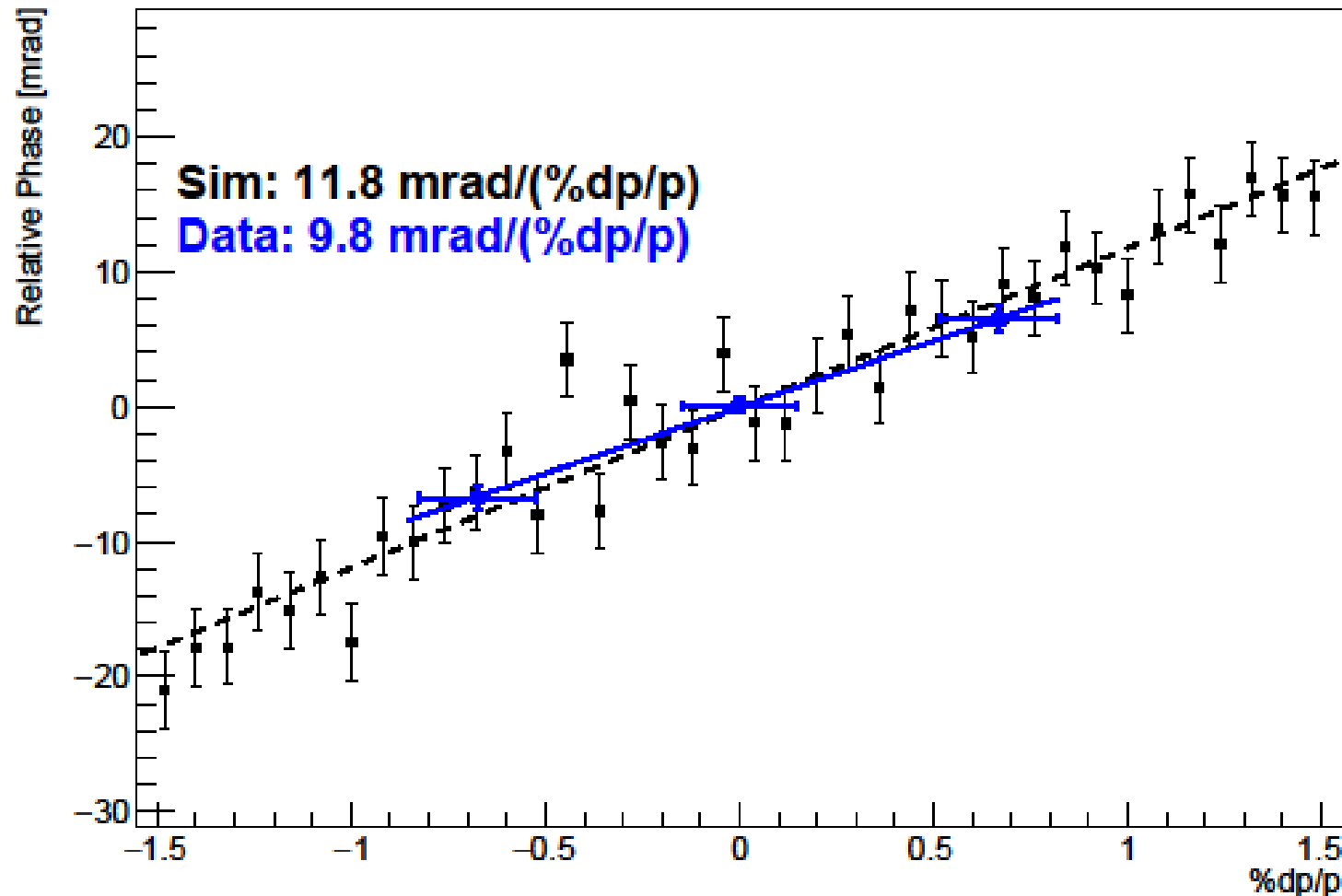
Simulation results, preliminary



InitZ : muon creation location. Φ_X : muon spin phase at entrance into the ring. dp/p_0 : momentum deviation.
All data within $\left| \frac{dp}{dp_0} \right| < 0.5\%$, i.e. 3σ acceptance of the storage ring.

Dependence of Relative Initial Phase on Momentum

Experimental data: Hannah Binney.

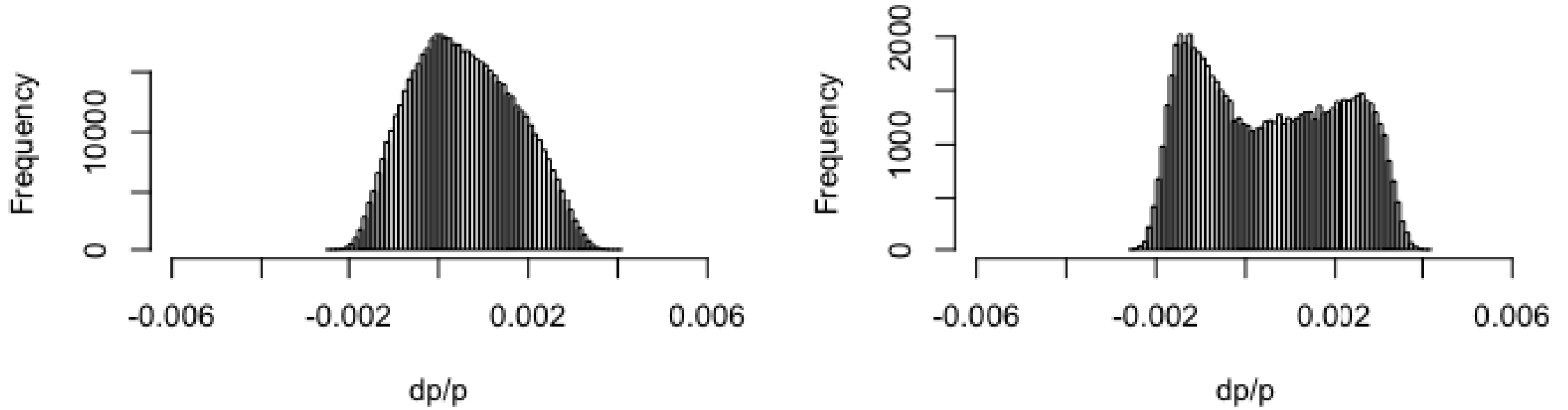


A real momentum dependence of the initial phase develops because of magnetic dipoles in the Delivery Ring.

Experimental data: based on runs with muon storage with higher or lower momenta.

Momentum-Dependent Muon Losses

Simulation results (Mike Syphers)

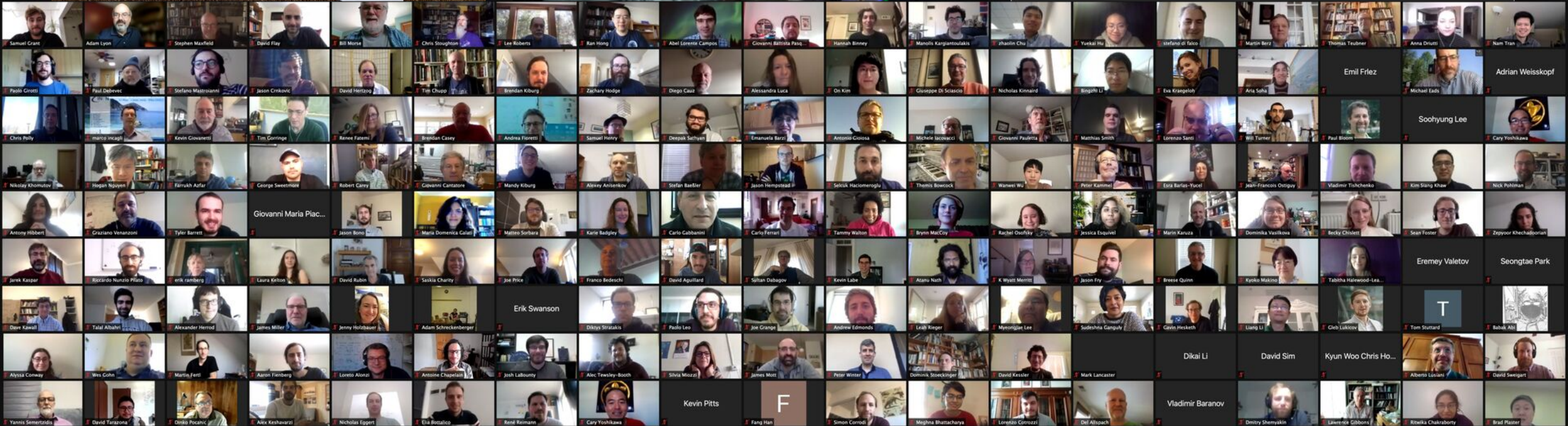
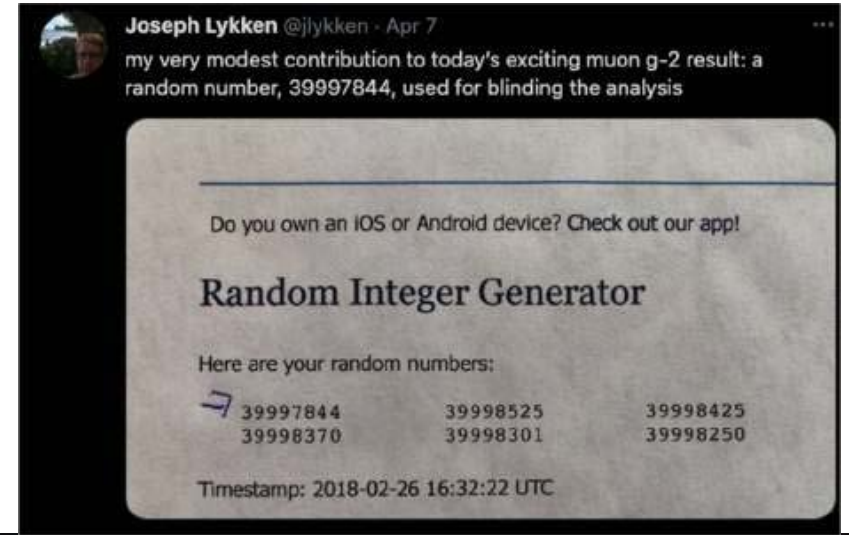
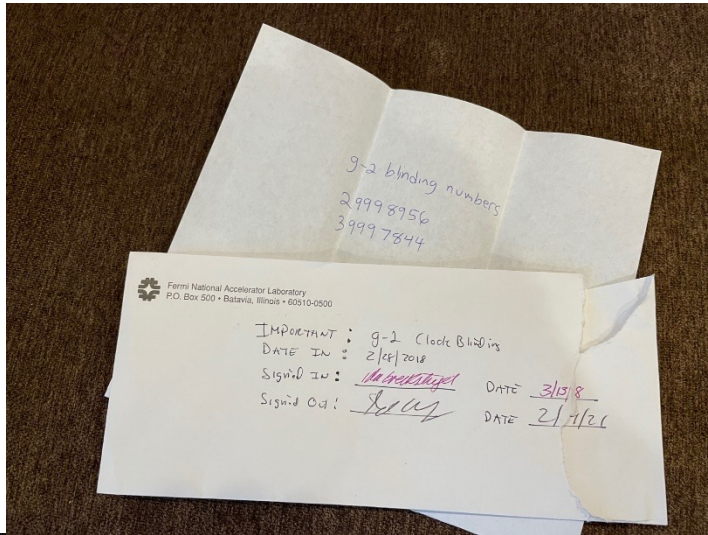


A -11(5) ppb correction due to muon losses.

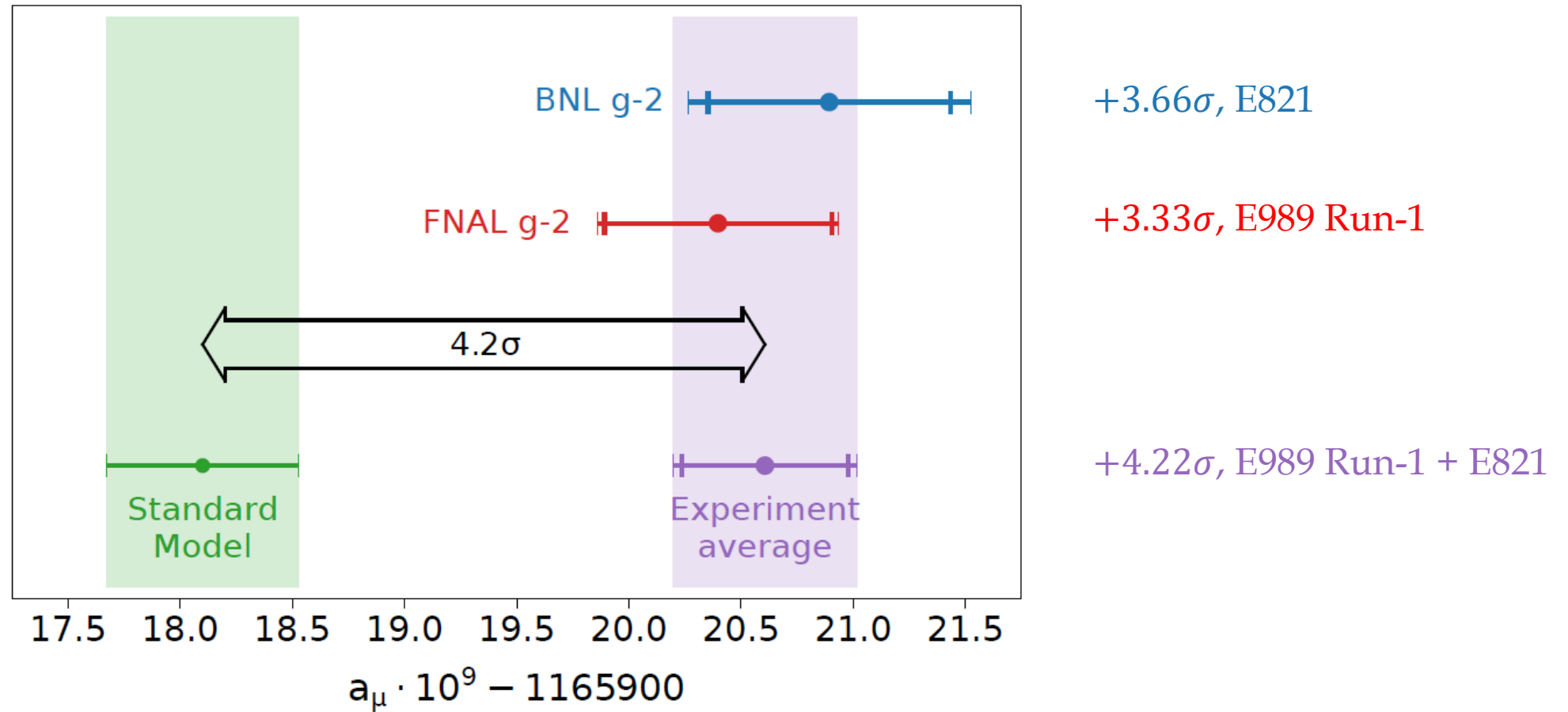
Far below the overall 70 ppb systematic error on the spin precession.

Meeting the TDR goal of 20 ppb.

The Decision to Unblind: a Remote Meeting of the Collaboration



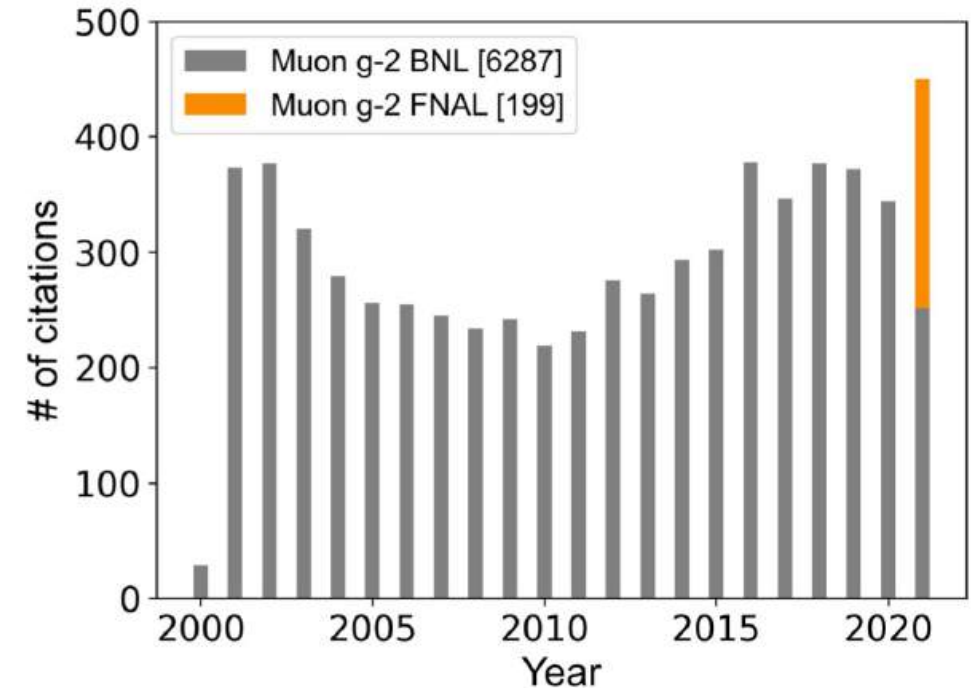
Run-1 Result of the Muon g-2 Experiment



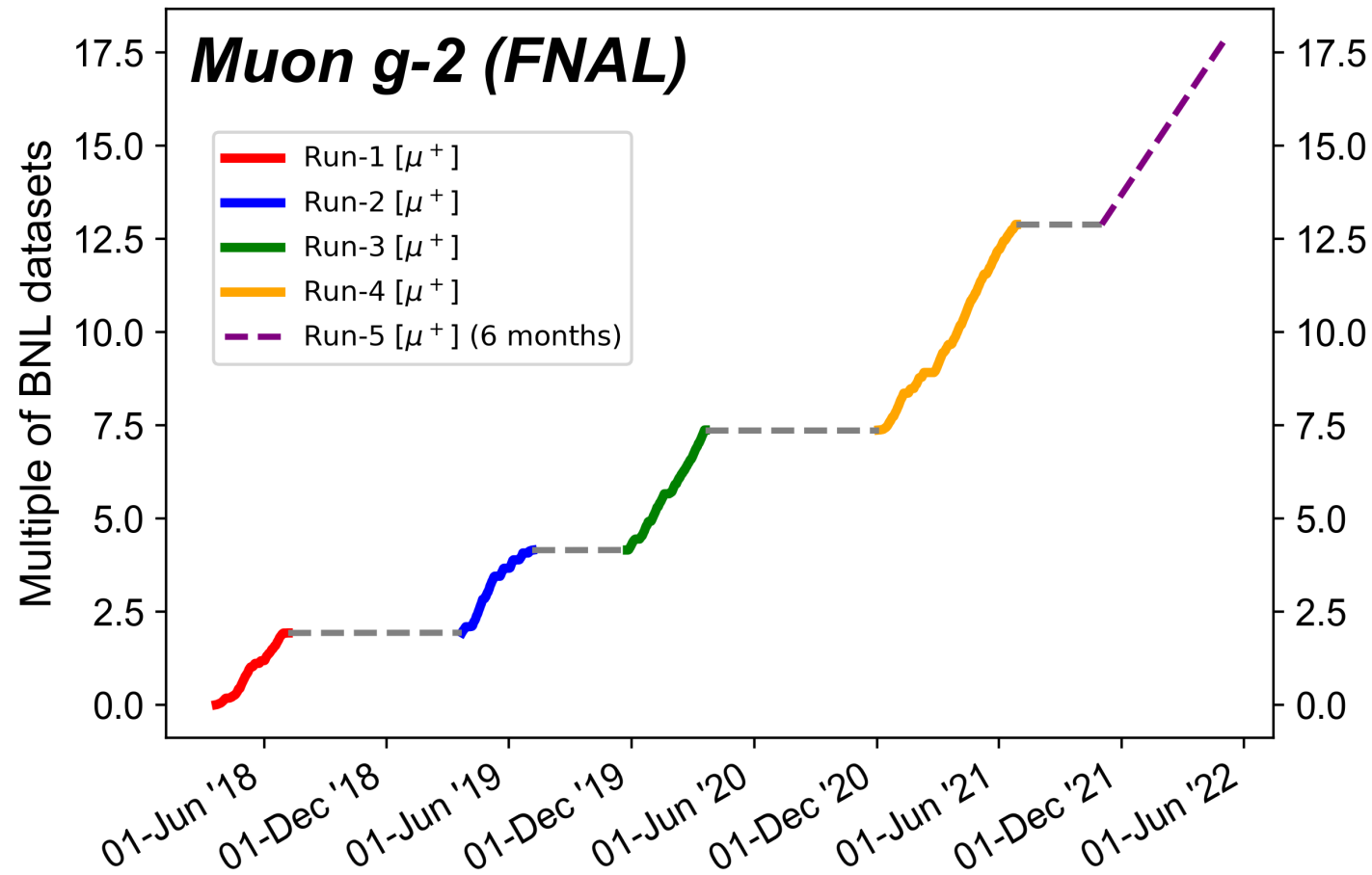
*The SM value is the Muon g-2 Theory Initiative recommended value.
T. Aoyama et al., Phys. Rep. **887**, 1 (2020).*

Run-1 papers

- Measurement of the Positive Muon Anomalous Magnetic Moment to 0.46 ppm
<https://doi.org/10.1103/PhysRevLett.126.141801>
- Measurement of the anomalous precession frequency of the muon in the Fermilab Muon g-2 Experiment
<https://doi.org/10.1103/PhysRevD.103.072002>
- Magnetic-Field Measurement and Analysis for the Muon g-2 Experiment at Fermilab
<https://doi.org/10.1103/PhysRevA.103.042208>
- Beam dynamics corrections to the Run-1 measurement of the muon anomalous magnetic moment at Fermilab
<https://doi.org/10.1103/PhysRevAccelBeams.24.044002>

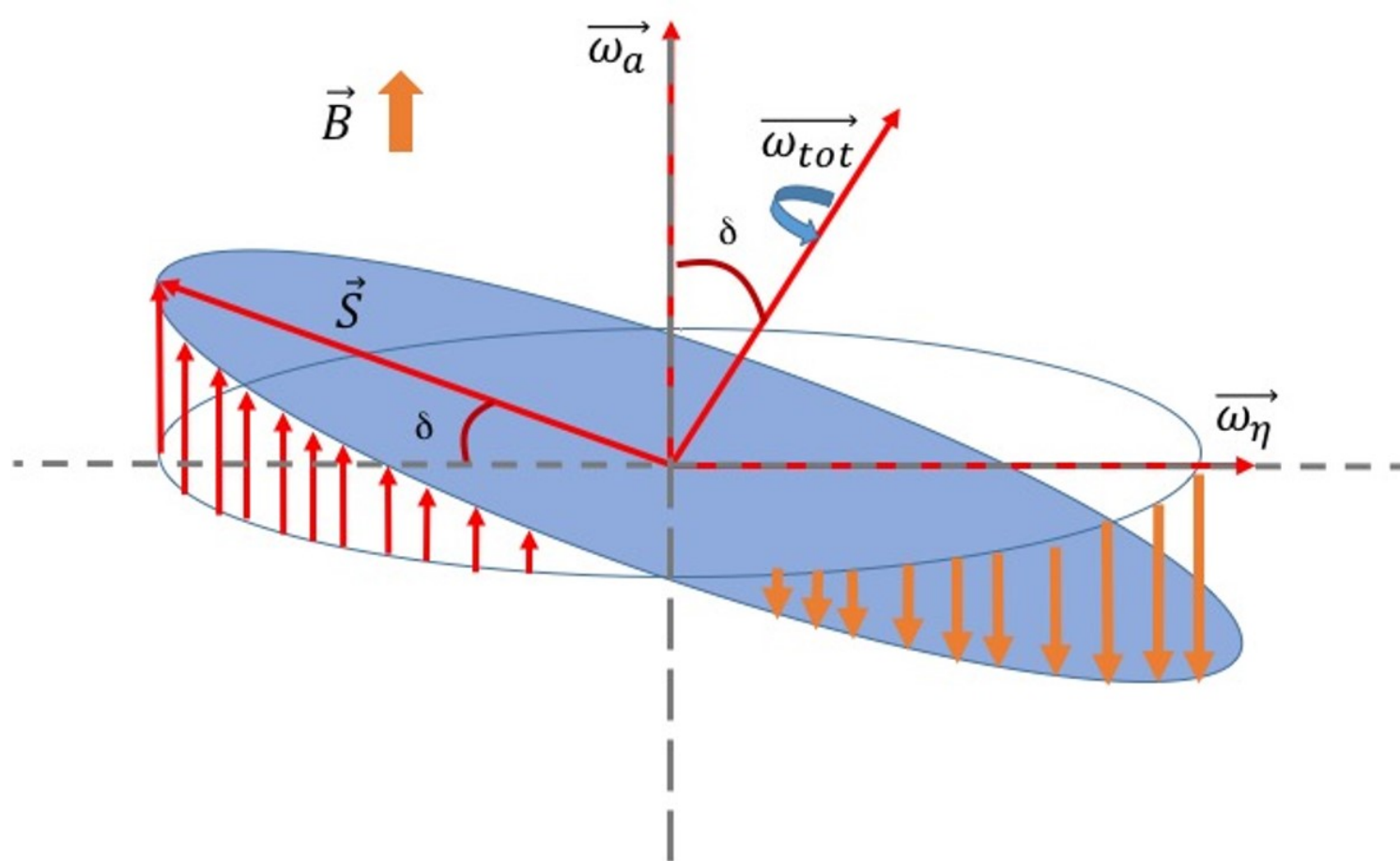


Projection of Data Acquisition as a Multiple of BNL Data



Currently at
 $\sim 12.43 \times$ BNL data

Future EDM or μ^- anomalous MDM Possibilities



- Currently measuring μ^+ anomalous MDM
- Measure μ^+ EDM using vertical phase asymmetry detection in calorimeters
- Measure μ^- by reconfiguring the beamlines and storage ring (switching electric field direction)
 - No other proposed experiment can do μ^- (JPARC μ^+ only)

- The first a_μ result was released (Run-1), with precision 460 ppb
 - The combined FNAL+BNL result has a 4.2σ tension with the SM prediction
- We already have $\times 10$ more data compared to Run-1
- Run-2 and Run-3 results are expected to be ready for release in ~ 1 year
- The experiment continues physics runs to accumulate statistics for a total uncertainty of 140 ppb
 - Run-4 is complete, and Run-5 will begin soon

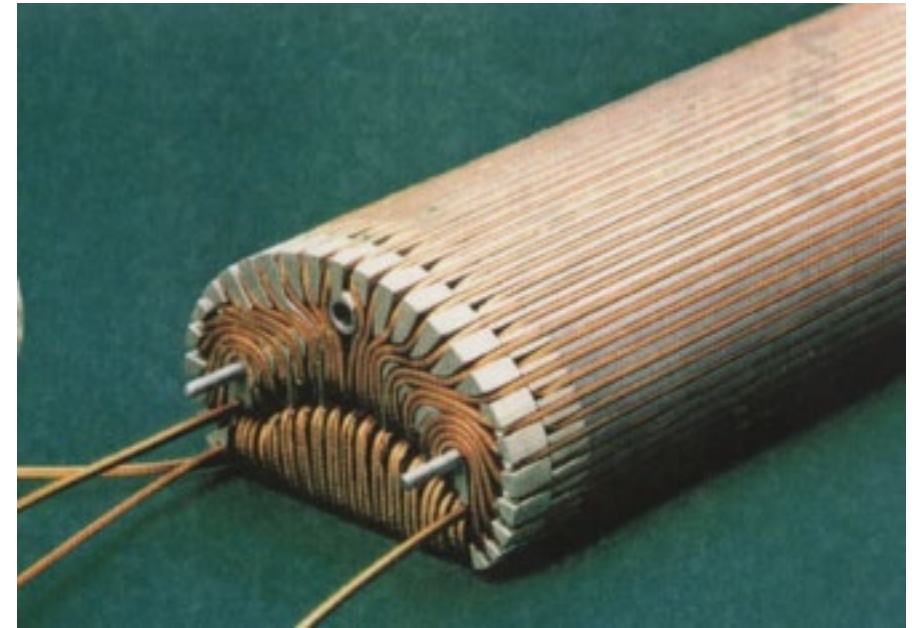
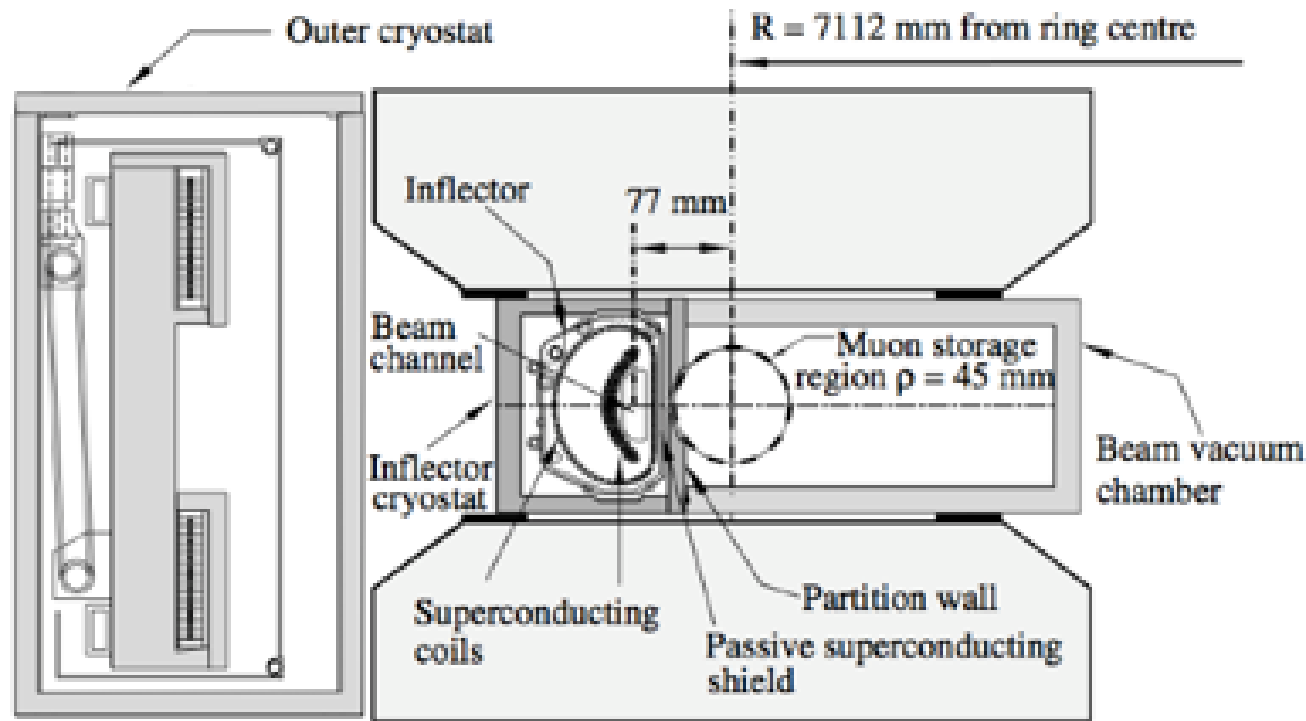


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- This document was prepared by the Muon g-2 collaboration using the resources of the Fermi National Accelerator Laboratory (Fermilab), a U.S. Department of Energy, Office of Science, HEP User Facility. Fermilab is managed by Fermi Research Alliance, LLC (FRA), acting under Contract No. DE-AC02-07CH11359.
- This research used resources of the National Energy Research Scientific Computing Center (NERSC), a U.S. Department of Energy Office of Science User Facility operated under Contract No. DE-AC02-05CH11231.
- This research was done using resources provided by the Open Science Grid, which is supported by the National Science Foundation award 1148698, and the U.S. Department of Energy's Office of Science.

Muon g-2 Inflector



- 1.45 T bucking field to cancel main field
- Can't perturb main field by more than ~ 1 ppm
- Interface optics of storage ring and the M5 beamline

Fitting Function Example: 20 Point

$$N = N_0 \Lambda N_{cbo} N_{2cbo} N_{vw} e^{-t/\tau} (1 - A A_{cbo} \cos(\omega_a t + \phi \phi_{cbo}))$$

$$\begin{aligned} N_{cbo} &= 1 - A_{1cbo} e^{-\frac{t}{\tau_{cbo}}} \cos(\omega_{cbo} t + \phi_{1cbo}) \\ N_{2cbo} &= 1 - A_{2cbo} e^{-\frac{2t}{\tau_{cbo}}} \cos(2\omega_{cbo} t + \phi_{2cbo}) \\ N_{vw} &= 1 - A_{vw} e^{-\frac{t}{\tau_{vw}}} \cos(\omega_{vw} t + \phi_{vw}) \\ A_{cbo} &= 1 - A_{Acbo} e^{-\frac{t}{\tau_{cbo}}} \cos(\omega_{cbo} t + \phi_{Acbo}) \\ \phi_{cbo} &= 1 - A_{\phi_{cbo}} e^{-\frac{t}{\tau_{cbo}}} \cos(\omega_{cbo} t + \phi_{\phi_{cbo}}) \\ \omega_{cbo} &= \omega_0 (1 + 2.875 e^{-\frac{t}{76}} / \omega_0 t + 5.47 e^{-\frac{t}{8.85}} / \omega_0 t) \\ \Lambda &= 1 - K_{loss} \int L(t') e^{t'/64.4} dt \end{aligned} \quad \chi^2 = \sum_{i=1}^{ndf} \left[\frac{N_{bin} - N_{fit}}{\sigma(N_{bin})} \right]^2$$

Straw Tracking Detectors

