



The two-photon decay of X(6900) from light-by-light scattering at the LHC (arXiv: 2207.13623)

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Outline

- 1. Introduction: two recent discoveries at the LHC
- 2. Fitting X(6900) into the light-by-light ($\gamma\gamma \rightarrow \gamma\gamma$) scattering data
- 3. Comparison to vector meson dominance estimate
- 4. Conclusions
- 5. Formalism of meson exchange in light by light scattering (backup)

1) Introduction : two recent discoveries at the LHC

Light-by-light (LbL) scattering at the LHC: pilot experiments



 $\sigma_{fid.} = 70 \pm 24(stat.) \pm 17(syst.) nb$

 $\sigma_{fid.} = 120 \pm 46(stat.) \pm 28(syst.) \pm 12(lumi.) nb$

LbL scattering at the LHC: full Run-2 dataset



[Krintiras et al., arXiv:2204.02845]

LbL scattering at the LHC: full Run-2 dataset, differential cross sections



X(6900) at LHCb

[LHCb collaboration, 2020]



 $\Gamma[X(6900)] = 80 \pm 19 \pm 33$ MeV,

tetraquark spectra: $I^{PC} = 0^{++}, 0^{-+}, 1^{-+}, 2^{++}.$

 $\Gamma[X(6900)] = 168 \pm 33 \pm 69$ MeV.



Since X(6900) decays into 2 J/ ψ , then it would likely couple to two photons and hence contribute to the LbL scattering.

- That could explain the discrepancy in light-by-light scattering!
- Then one can extract the $X \rightarrow \gamma \gamma$ decay width of X(6900) exactly from the light-by-light data.



The $X(6900) \rightarrow \gamma \gamma$ decay via the VMD mechanism.

2) Fitting X(6900) into the light-by-light data Theoretical approach to LbL scattering in HI collisions



The problematic contributions



QCD contribution at high di-photon masses (above 5-10 GeV):

The approach, based on pQCD quark loops, described in many works (e.g. [D. d'Enterria and G.G. da Silveira, 2013]) and adopted in <u>SuperChic MC simulator</u>

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[https://superchic.hepforge.org/] by L. Harland-Lang

Fitting model

 5.87×10^{-3}

 $5.86 imes 10^{-3}$

 5.87×10^{-3}

 5.41×10^{-3}



We have fitted the diphoton invariant mass spectrum •

Fitting results

Numbers



FIG. 1. The profile of χ^2 (divided by #d.o.f. = 3) for the values of $\Gamma_{\rm tot}$ used in the two LHCb scenarios. The gray dashed line cuts out the 1σ interval.

Branching ratio:

$$B(X \to \gamma \gamma) = \begin{cases} 5.6^{+1.3}_{-1.6} \times 10^{-4}, & \text{No-int. sc}, \\ 4.0^{+0.9}_{-1.1} \times 10^{-4}, & \text{Int. sc.}. \end{cases}$$

 $X \rightarrow \gamma \gamma$ decay width:

Parameter	Interference	No-interference
m_X [MeV]	$6886 \pm 11 \pm 11$	$6905 \pm 11 \pm 7$
$\Gamma_{X \to J/\psi J/\psi}$ [MeV]	$168\pm33\pm69$	$80\pm19\pm33$
$\Gamma_{X \to \gamma \gamma}$ [keV]	67^{+15}_{-19}	45^{+11}_{-14}

Fitting results



4) Comparison to VMD

VMD estimate



Fit vs. VMD: possible source of discrepancy

- Large uncertainties make the difference insignificant
- Other exotic states could contribute to the diphoton mass region of 5-10 GeV (e.g. at 6.4 GeV, 7.2GeV)

CMS recently detected new exotic states!

M[BW1] = 6552 \pm 10 \pm 12 MeV	$\Gamma[BW1]$ = 124 \pm 29 \pm 34 MeV	>5.7 σ
$M[BW2] = 6927 \pm 9 \pm 5 MeV$	$\Gamma[BW2]$ = 122 \pm 22 \pm 19 MeV	>9.4 o
$M[BW3] = 7287 \pm 19 \pm 5 \text{ MeV}$	$\Gamma[BW3] = 95 \pm 46 \pm 20 \text{ MeV}$	>4.1 o

[taken from Kai Yi's talk, CMS Collaboration, **ICHEP 2022**]

4) Conclusions

- ✓ The inclusion of X(6900) improves Standard Model prediction
- ✓ The decay parameters of X(6900) were extracted from LbL scattering data
- \checkmark However, VMD estimate gives the number that is ~2 order smaller.
- ✓ More light-by-light scattering statistics is needed to improve the analysis.
- ✓ The prospective double-differential (or even triple-differential) measurements at LHC may substantially improve the fit.
- ✓ Inclusion of the new states, recently detected by CMS, is in progress...

Thank you for attention!

5) Formalism of meson exchange in light-by-light scattering

Real LbL: preliminaries

16 helicity amplitudes, only 5 are independent:

$$\begin{split} \mathcal{M}_{++++}(s,t,u) &= \mathcal{M}_{----}(s,t,u), \\ \mathcal{M}_{+--+}(s,t,u) &= \mathcal{M}_{-++-}(s,t,u) = \mathcal{M}_{++++}(t,s,u), \\ \mathcal{M}_{+-+-}(s,t,u) &= \mathcal{M}_{-+-+}(s,t,u) = \mathcal{M}_{++++}(u,t,s), \\ \end{split}$$
$$\begin{split} \mathcal{M}_{+++-}(s,t,u) &= \mathcal{M}_{-+--} = \mathcal{M}_{---++} \\ &= \mathcal{M}_{-+++} = \mathcal{M}_{+-++} = \mathcal{M}_{++-+} = \mathcal{M}_{+----} \\ \mathcal{M}_{++--}(s,t,u) &= \mathcal{M}_{--++}. \end{split}$$



$$s = (q_1 + q_2)^2$$

$$t = (q_1 - q_3)^2$$

$$u = (q_1 - q_4)^2$$

$$egin{aligned} |\mathcal{M}(s,t,u)|^2 &= 2 \, |\mathcal{M}_{++++}(s,t,u)|^2 + 2 \, |\mathcal{M}_{++++}(u,t,s)|^2 + 2 \, |\mathcal{M}_{++++}(t,s,u)|^2 \ &+ 8 \, |\mathcal{M}_{+++-}(s,t,u)|^2 + 2 \, |\mathcal{M}_{++--}(s,t,u)|^2 \, . \end{aligned}$$

$$\sigma_{\mathsf{LbL}}^{\mathsf{total}}(s) = rac{1}{256\pi s} \int_{-1}^{1} d\cos heta \, \left|\mathcal{M}(s, cos heta)
ight|^{2}$$



Real LbL sum rules

The set of exact LbL forward sum rules connects the LbL helicity amplitudes with the polarized photon absorption cross sections:

$$M_{++++}(s) + M_{+-+-}(s) = \frac{2s^2}{\pi} \int_{0}^{\infty} ds' \frac{\sigma_0(s') + \sigma_2(s')}{s'^2 - s^2 - i0^+},$$

$$M_{++++}(s) - M_{+-+-}(s) = \frac{2s}{\pi} \int_{0}^{\infty} ds' \frac{s' \left[\sigma_0(s') - \sigma_2(s')\right]}{s'^2 - s^2 - i0^+},$$

$$M_{++--}(s) = \frac{2s^2}{\pi} \int_{0}^{\infty} ds' \frac{\sigma_{\parallel}(s') - \sigma_{\perp}(s')}{s'^2 - s^2 - i0^+}.$$

[Budnev et al., 1975]

[Pascalutsa and Vanderhaeghen, 2010]

[Pascalutsa, Pauk, Vanderhaeghen, 2012]

In case of meson exchanges the cross sections has the following form:

$$\begin{split} \sigma_0(s) &= 16\pi^2 \frac{\Gamma_{\gamma\gamma}}{m} \,\delta(s-m^2), \quad \sigma_2(s) = 0, \\ \begin{cases} \sigma_{\parallel}(s) &= \sigma_0(s), \quad \sigma_{\perp}(s) = 0, & \text{for scalar}, \\ \sigma_{\perp}(s) &= \sigma_0(s), \quad \sigma_{\parallel}(s) = 0, & \text{for pseudoscalar}. \end{cases} \end{split}$$





Meson exchange helicity amplitudes

[arXiv: 2207.13623]

The effective interaction Lagrangian term

 $\mathcal{L}_{X\gamma\gamma} = -g_{X\gamma\gamma}\phi_X F^{\mu\nu}F_{\mu\nu}$ (for the pseudoscalar interaction: $F^{\mu\nu} \to \widetilde{F}^{\mu\nu} = \frac{1}{2}\epsilon^{\mu\nu\alpha\beta}F_{\alpha\beta}$)

produces the following tree-level helicity amplitudes

Is it satisfies LbL sum rules?

$$\begin{aligned} M_{++++}^{P}(s,t,u) &= -\frac{16\pi s^{2}\Gamma_{\gamma\gamma}}{m^{3}(s-m^{2})}, \\ M_{+++-}^{P}(s,t,u) &= 0, \\ M_{++--}^{P}(s,t,u) &= -P\frac{16\pi\Gamma_{\gamma\gamma}}{m}\left(\frac{s}{s-m^{2}} + \frac{t}{t-m^{2}} + \frac{u}{u-m^{2}}\right), \end{aligned}$$



the second sum rule is violated



 $P = \pm 1$

$$M_{++++}^P(s,t,u) = -\frac{16\pi s\,\Gamma_{\gamma\gamma}}{m\,(s-m^2)}.$$





Inclusion of the total decay width for X(6900)

We simply make the replacement in the denominators of the helicity amplitudes

$$1/(s-m^2) \longrightarrow 1/(s-m^2-\Pi(s))$$

and neglect the real part of the self-energy, taking for its imaginary part the following expressions (under an assumption that the di-J/ ψ decay channel dominates):

$$\operatorname{Im} \Pi_{J/\psi J/\psi}(s) = \frac{1}{16\pi} \sqrt{1 - \frac{4m_{\psi}^2}{s}} \theta\left(s - 4m_{\psi}^2\right) \times \begin{cases} g_{X\psi\psi}^2 \left[\left(s - 2m_{\psi}^2\right)^2 + 2m_{\psi}^4\right], & \text{for scalar} \\ \widetilde{g}_{X\psi\psi}^2 s\left(s - 4m_{\psi}^2\right). & \text{for pseudoscalar} \end{cases}$$

The interaction constants can be expressed exactly in terms of the di-J/ ψ decay width