

What can pionic atoms tell us about the chiral symmetry of the vacuum

Meson Science Laboratory, RIKEN
Kenta Itahashi

Nishi, KI et al., arXiv: 2204.05568

Pionic atom unveils hidden structure of QCD vacuum

Takahiro Nishi¹, Kenta Itahashi^{1,*}, DeukSoon Ahn^{1,2}, Georg P.A. Berg³, Masanori Dozono¹,
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What can pionic atoms tell us about the chiral symmetry

- **Dominant symmetry of the vacuum in low-energy QCD.**
- **Spontaneous breakdown due to the non-perturbative nature of the strong interaction.**
- **Non-trivial structure of the QCD vacuum.**

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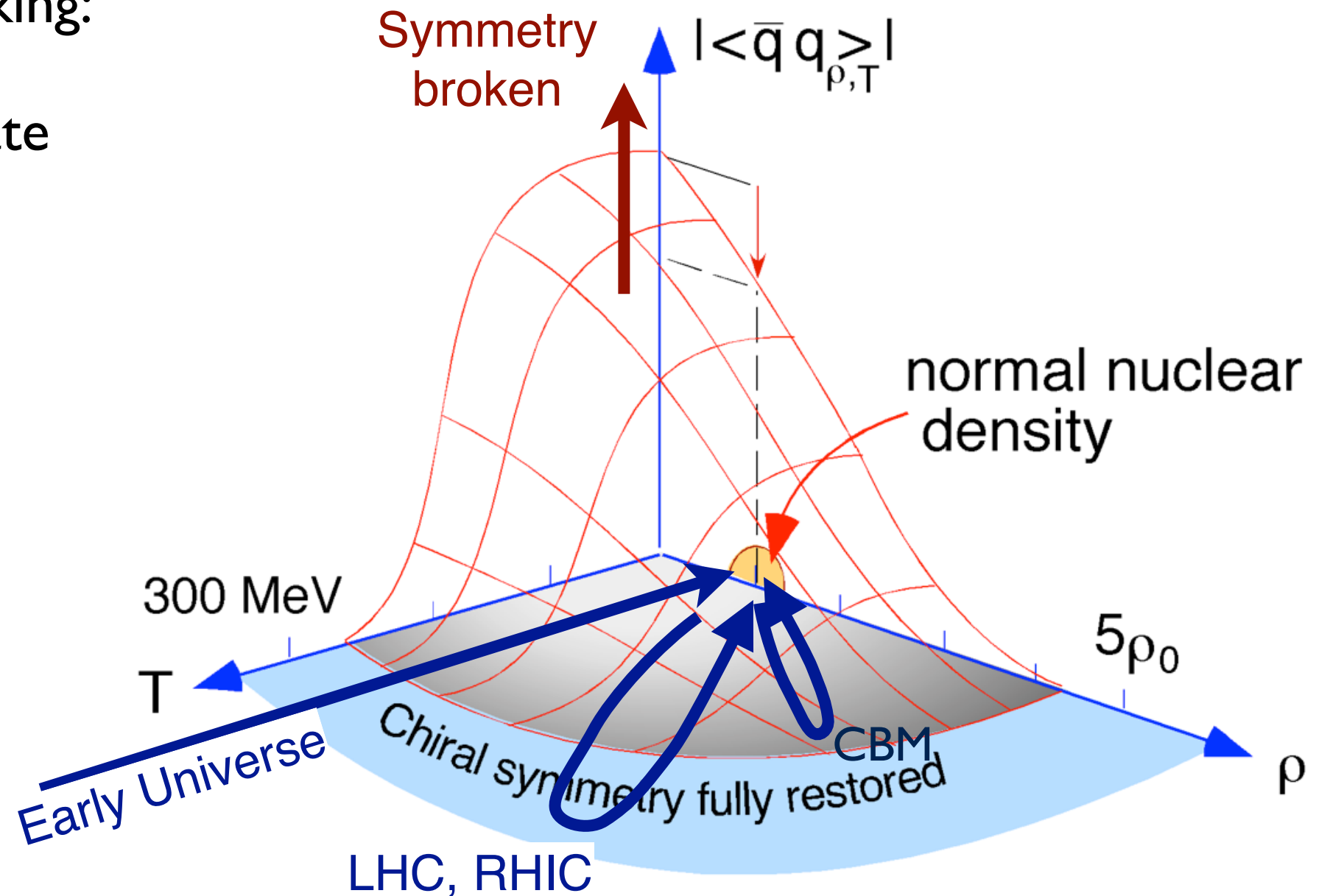
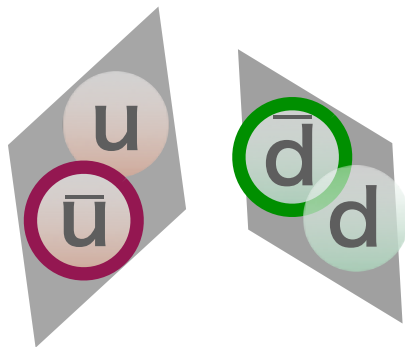
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Chiral condensate, order parameter of chiral symmetry

One of order parameters of
 χ -symmetry breaking:

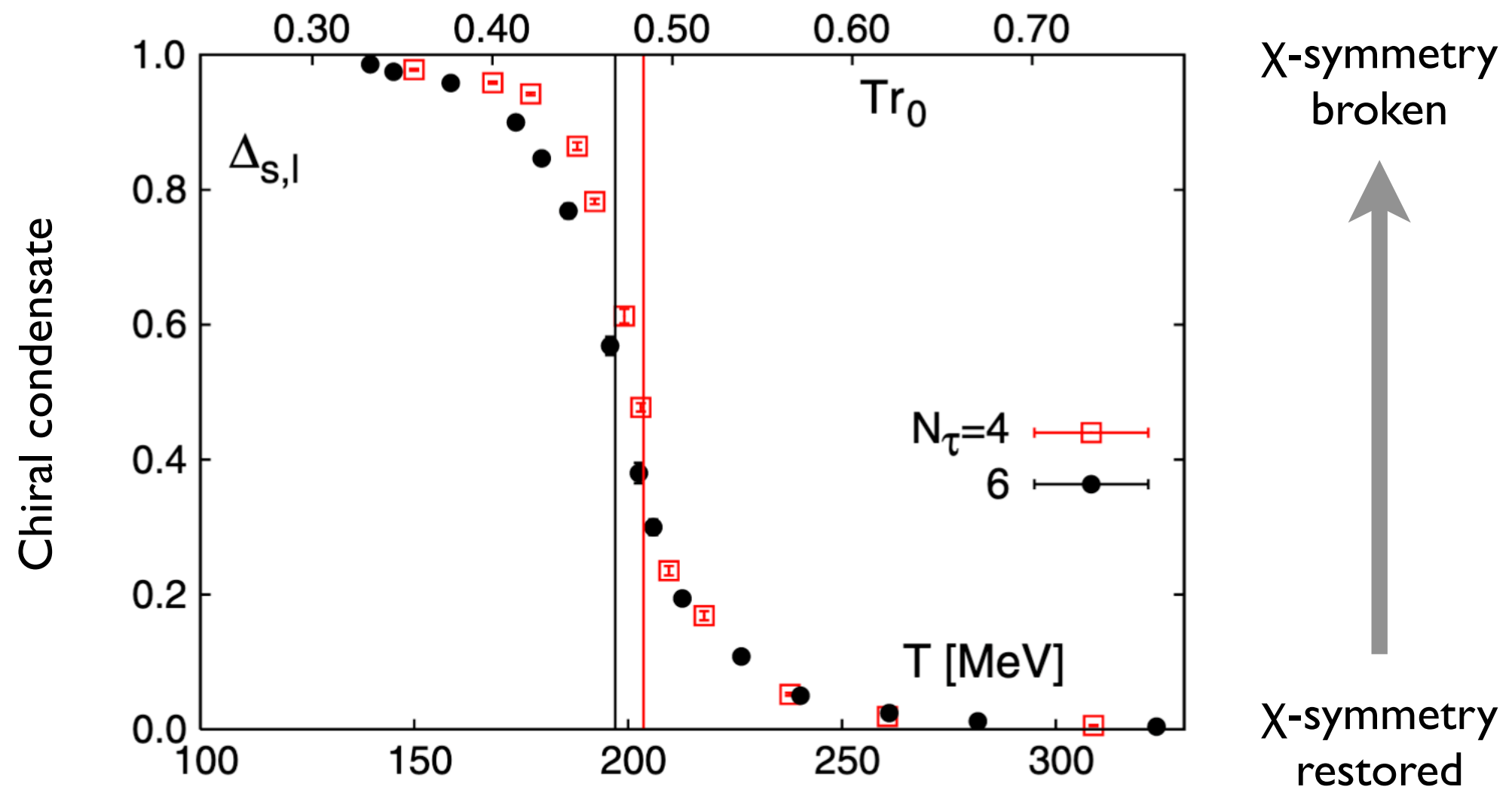
Chiral condensate



Analysis of material properties
of QCD vacuum

W.Weise,
NPA553(93)59.

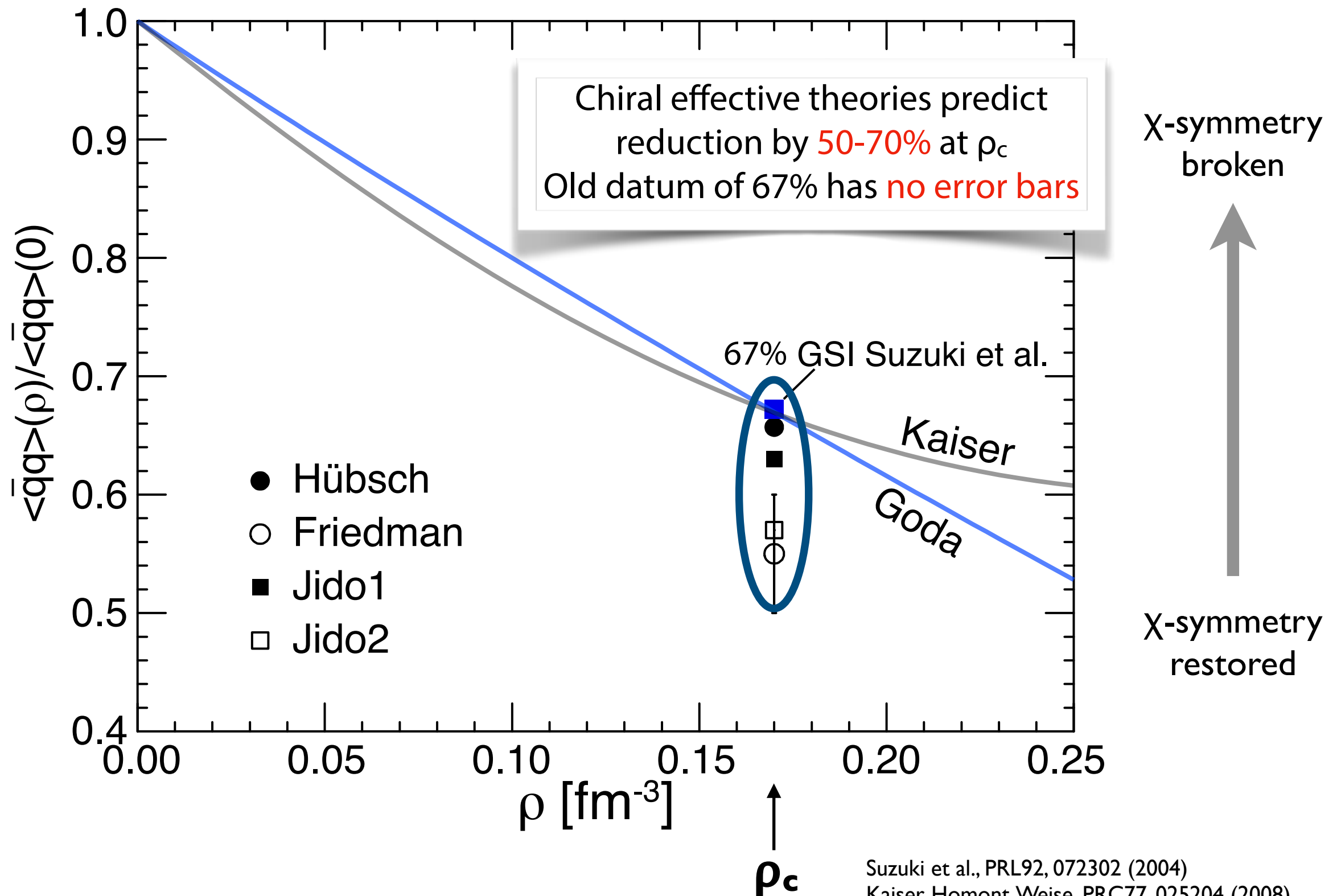
Lattice QCD calculated T dependence of chiral condensate



Temperature dependence of the chiral condensate from lattice
QCD with 2 + 1 quark flavours and almost physical quark masses

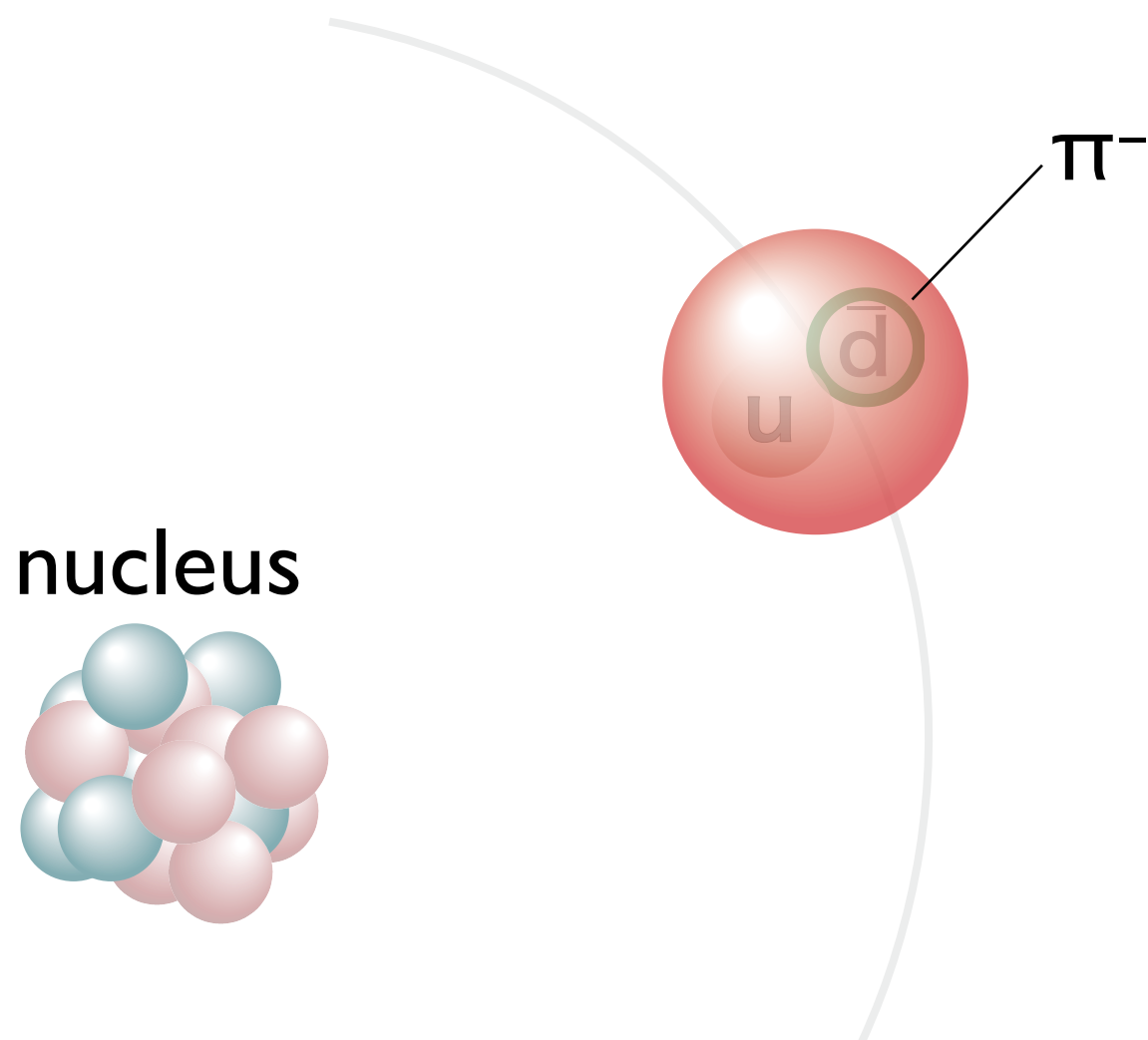
Remark: sign problem makes it difficult
for lattice to approach non-zero ρ region

ρ dependence of chiral condensate



Suzuki et al., PRL92, 072302 (2004)
Kaiser, Homont, Weise, PRC77, 025204 (2008)
Goda and Jido, PRC88, 065204 (2013)
Huebsch, Jido, PRC104, 015202 (2021)
Friedman, Gal, PLB792, 340 (2019)
Jido, Hatsuda, Kunihiro, PLB670, 109 (2008)

Pionic atoms

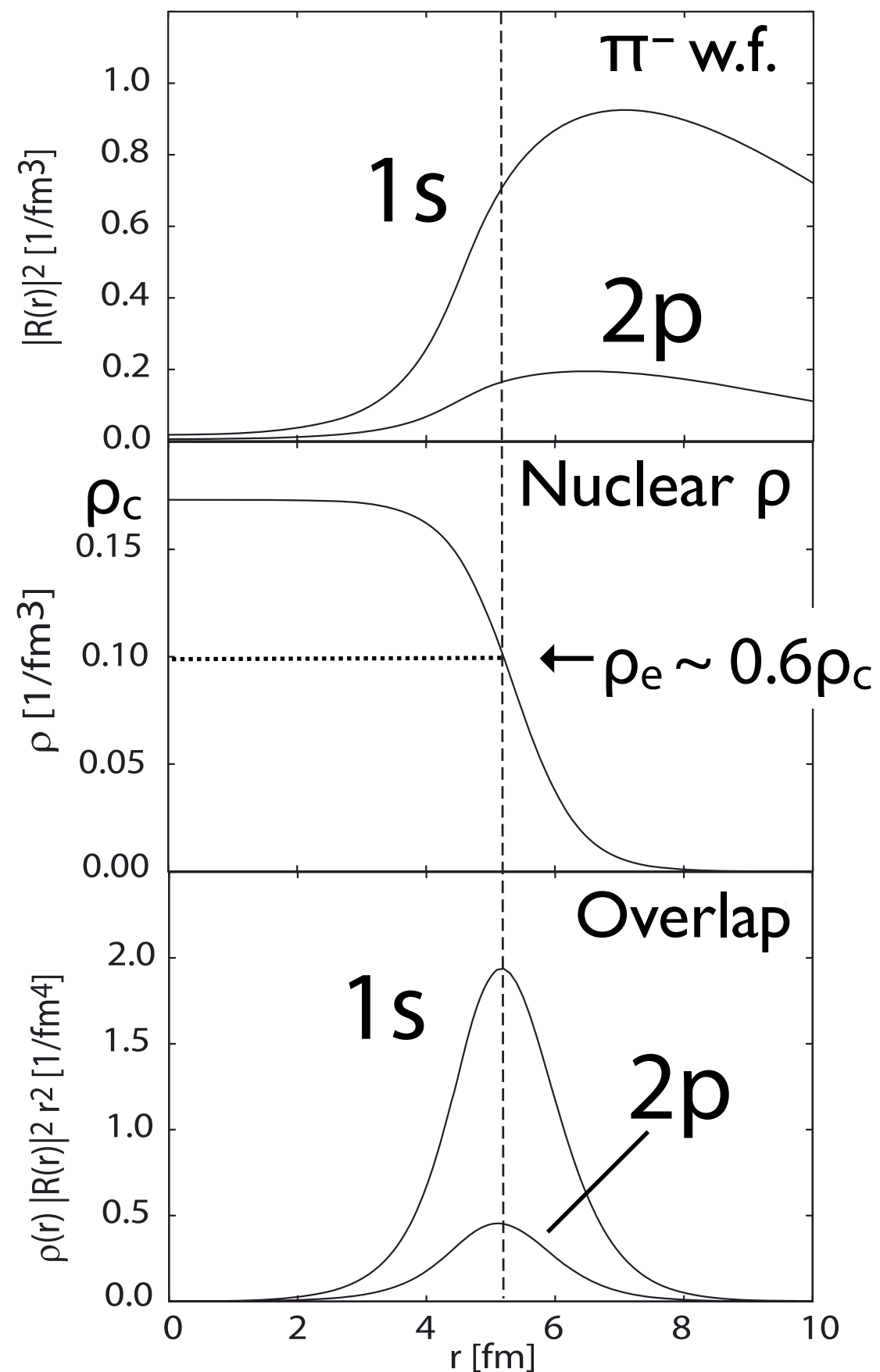


Ericson-Ericson potential

$$U_{\text{opt}}(r) = U_s(r) + U_p(r),$$

$$U_s(r) = b_0 \rho + \mathbf{b}_1 (\rho_n - \rho_p) + B_0 \rho^2$$

$$U_p(r) = \frac{2\pi}{\mu} \vec{\nabla} \cdot [c(r) + \varepsilon_2^{-1} C_0 \rho^2(r)] L(r) \vec{\nabla}$$



Pion-nucleus interaction

Overlap between
pion w.f. and nucleus
→ π works as a probe
at $\rho_e \sim 0.6\rho_c$



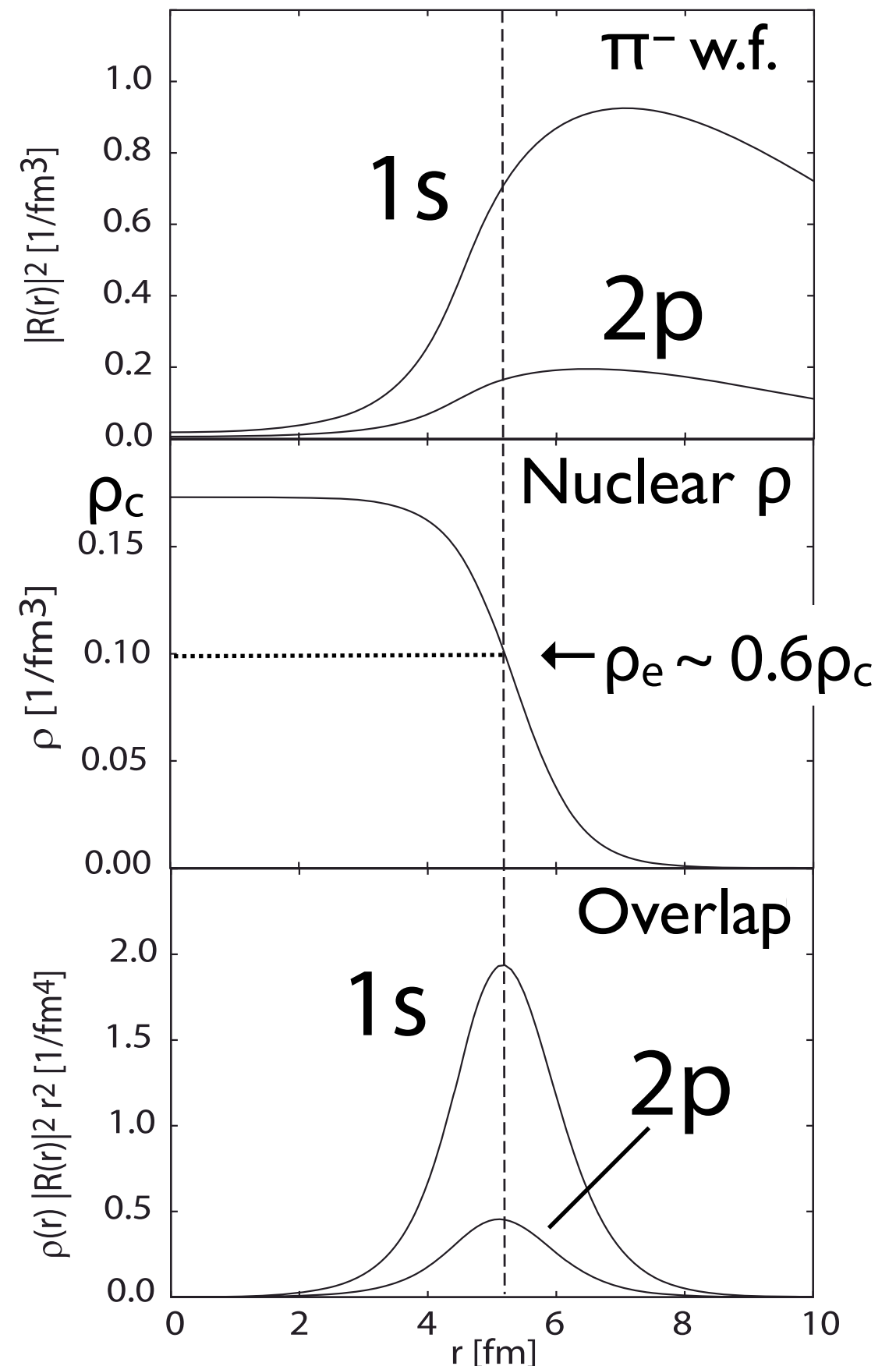
π -nucleus interaction is changed
for wavefunction renormalization
of medium effect

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Pion-nucleus interaction and chiral condensate

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In-medium Glashow-Weinberg relation

$$\frac{\langle \bar{q}q \rangle^*}{\langle \bar{q}q \rangle} \simeq \left(\frac{b_1}{b_1^v} \right)^{1/2} \left(1 - \gamma \frac{\rho}{\rho_0} \right)$$

$$\gamma = 0.184 \pm 0.003$$

Jido, Hatsuda, Kunihiro, PLB670, 109 (2008)

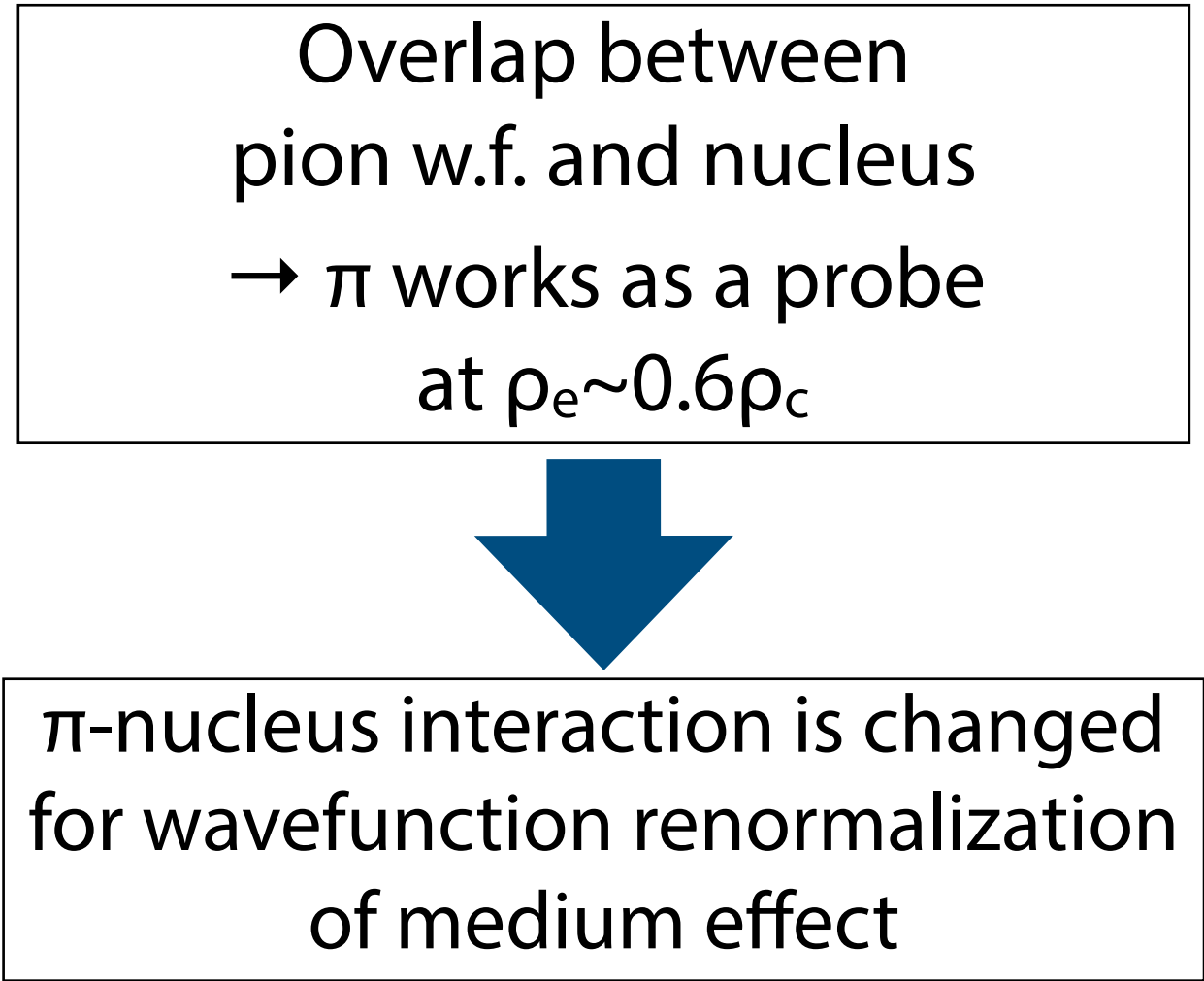
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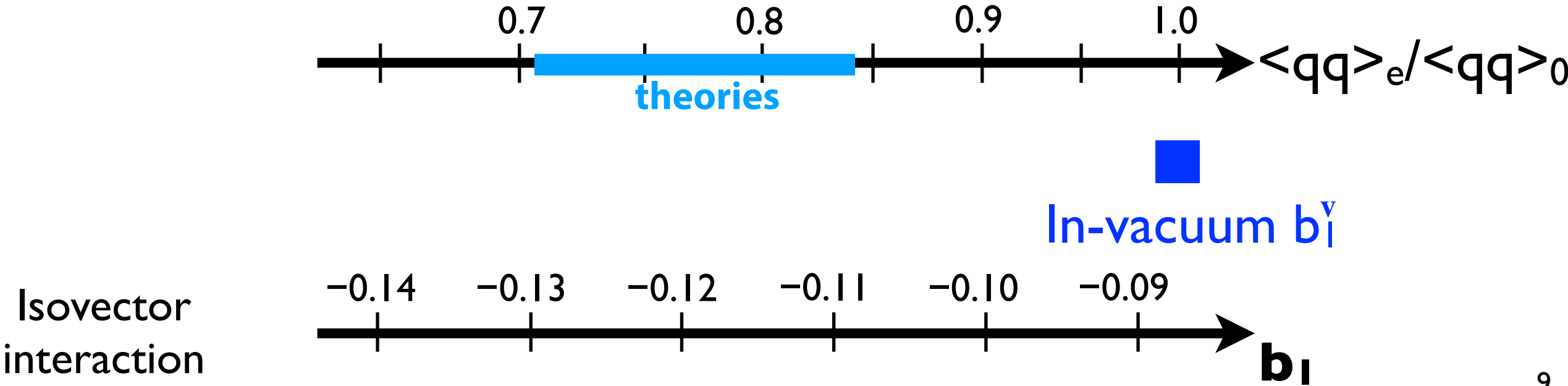
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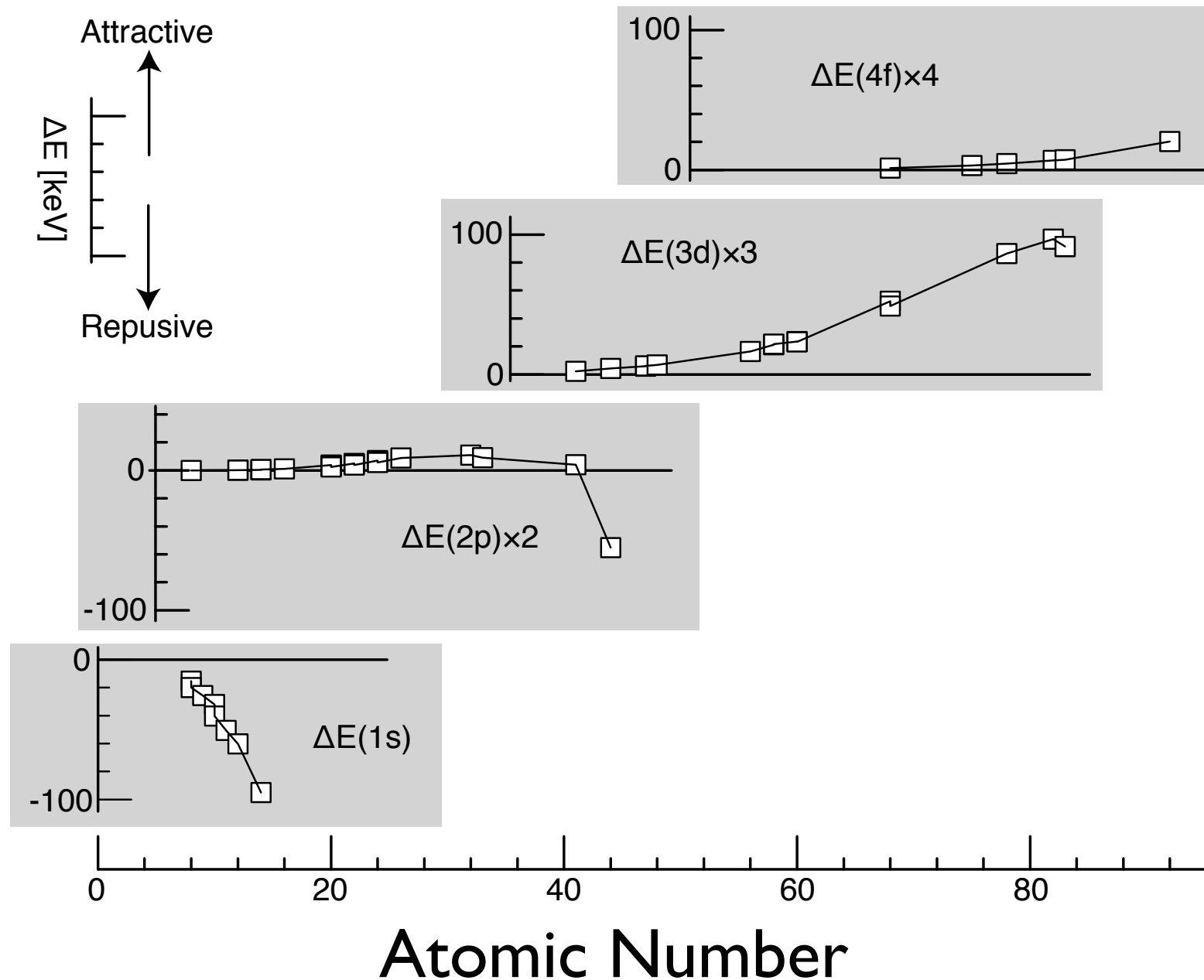
Pionic hydrogen and deuterium

$$b_1^v = 0.0882 \pm 0.0014 \pm 0.0006$$

Hirtl et al., EPJA57, 70 (2021)



Level shifts in pionic X-ray measurements



Ericson-Ericson potential

$$U_{\text{opt}}(r) = U_s(r) + U_p(r),$$

$$U_s(r) = b_0 \rho + b_1 (\rho_n - \rho_p) + B_0 \rho^2$$

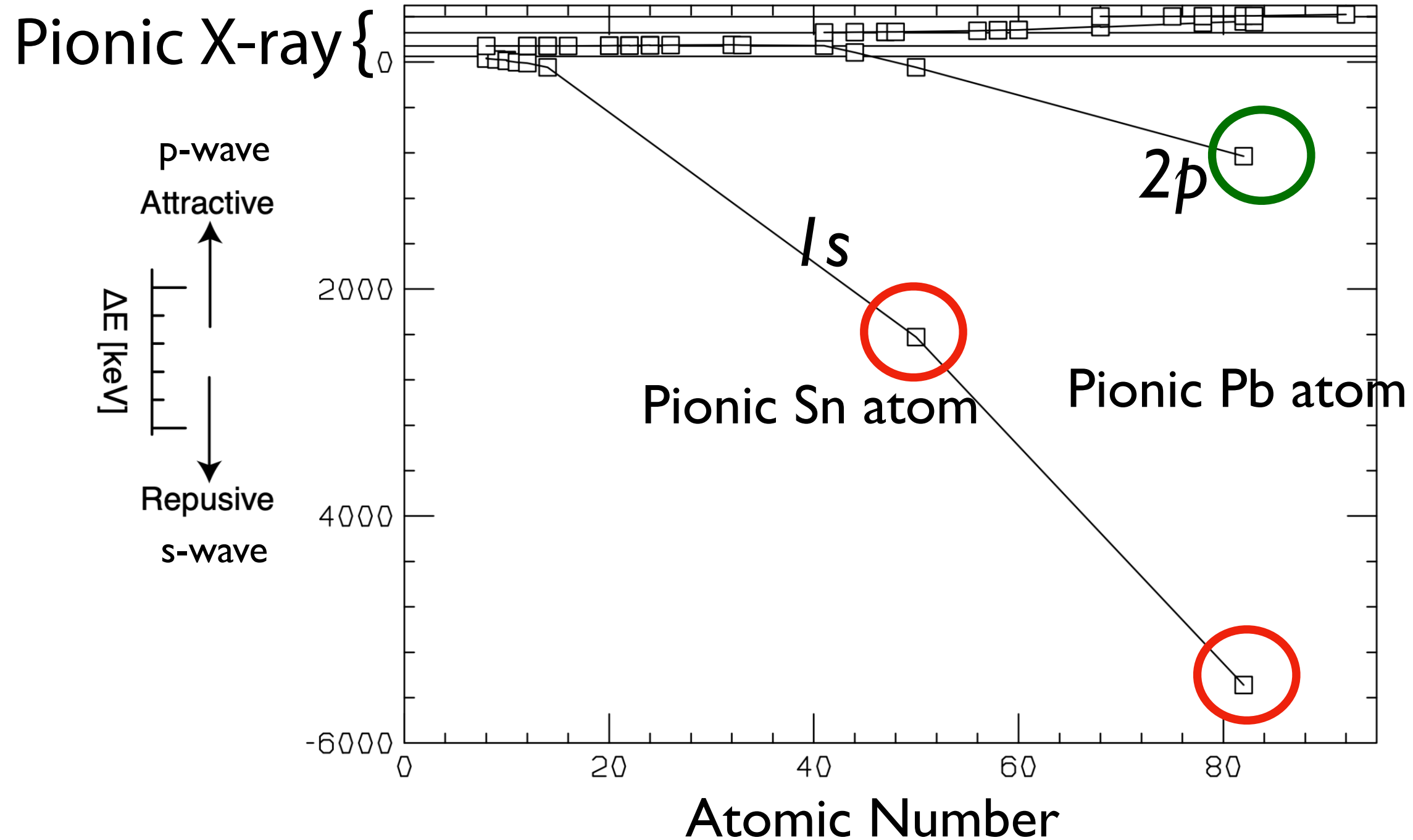
$$U_p(r) = \frac{2\pi}{\mu} \vec{\nabla} \cdot [c(r) + \varepsilon_2^{-1} C_0 \rho^2(r)] L(r) \vec{\nabla}$$

→ s-wave = repulsive = negative shift

→ p-wave = attractive = positive shift

Deeply bound pionic atoms

Level shifts

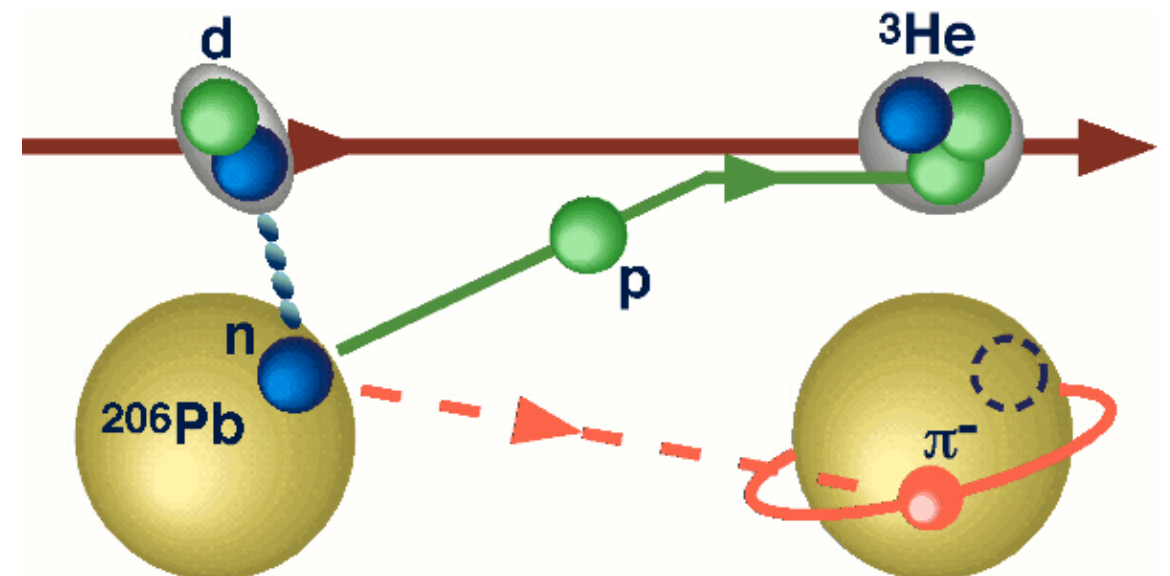


Deeply bound atoms have "super" repulsive shifts
and provide s-wave information

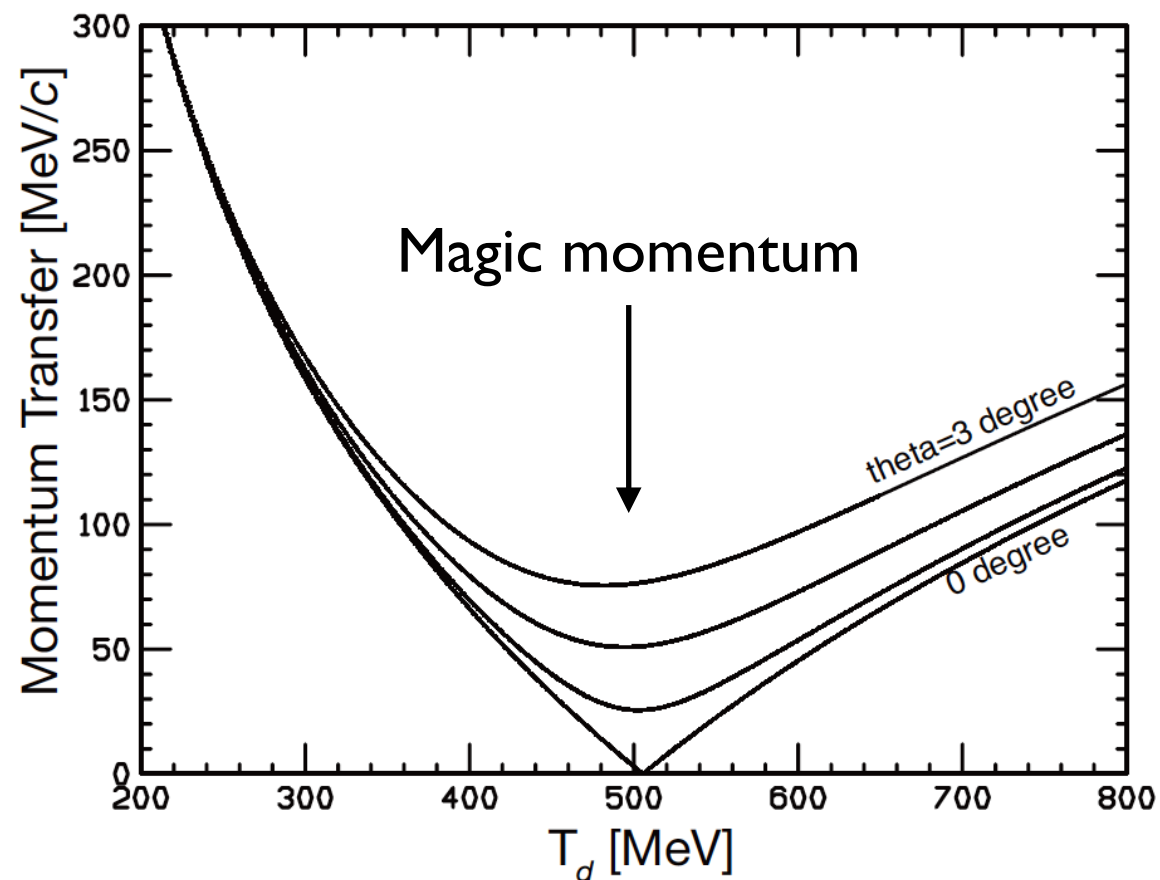
Spectroscopy of pionic atoms in $(d, {}^3\text{He})$ reactions

Missing mass spectroscopy to measure excitation spectrum of pionic atoms

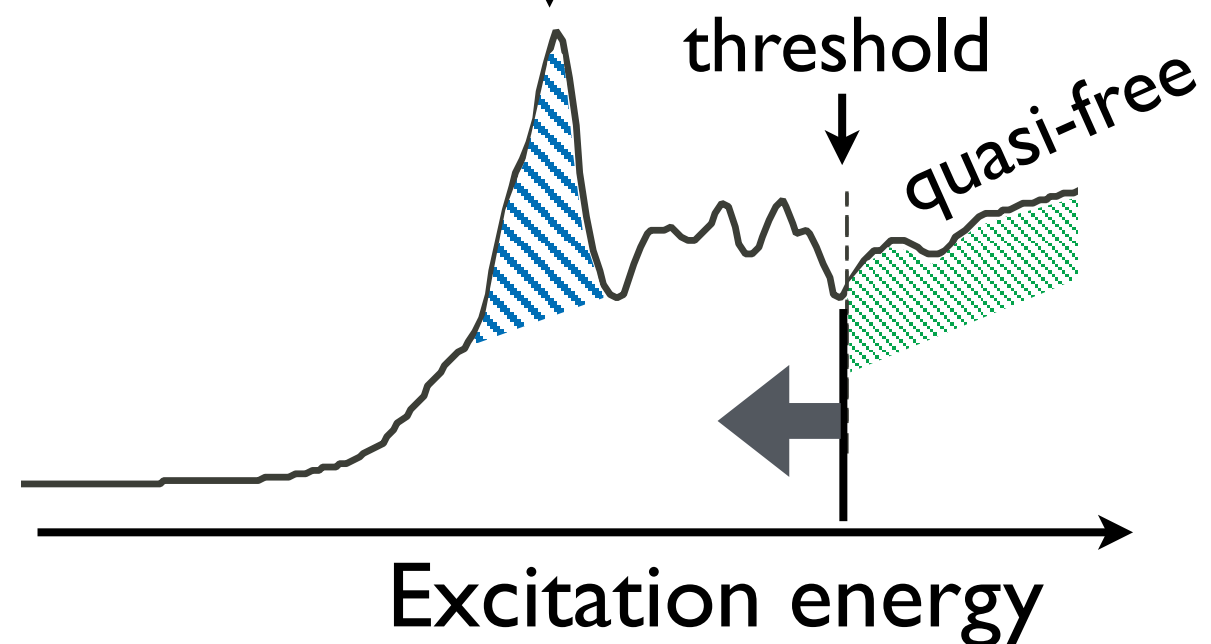
Direct production of pionic atoms



Momentum transfer



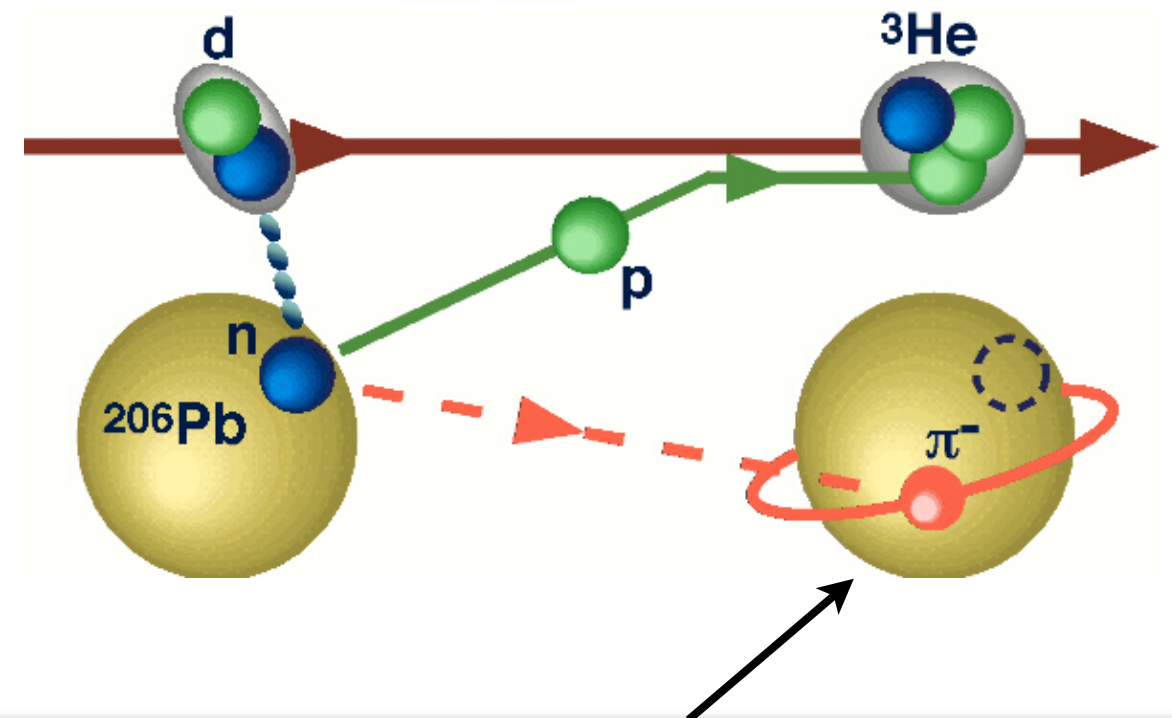
Pion bound state
(coupled with n hole)



Spectroscopy of pionic atoms in ($d, {}^3\text{He}$) reactions

Missing mass spectroscopy to measure excitation spectrum of pionic atoms

Direct production of
pionic atoms

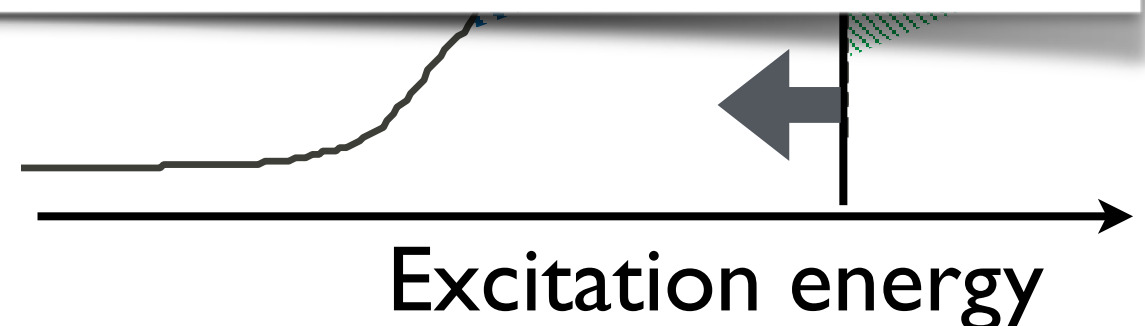
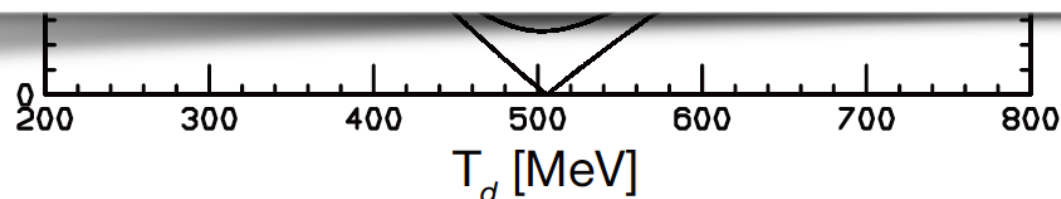


Momentum transfer



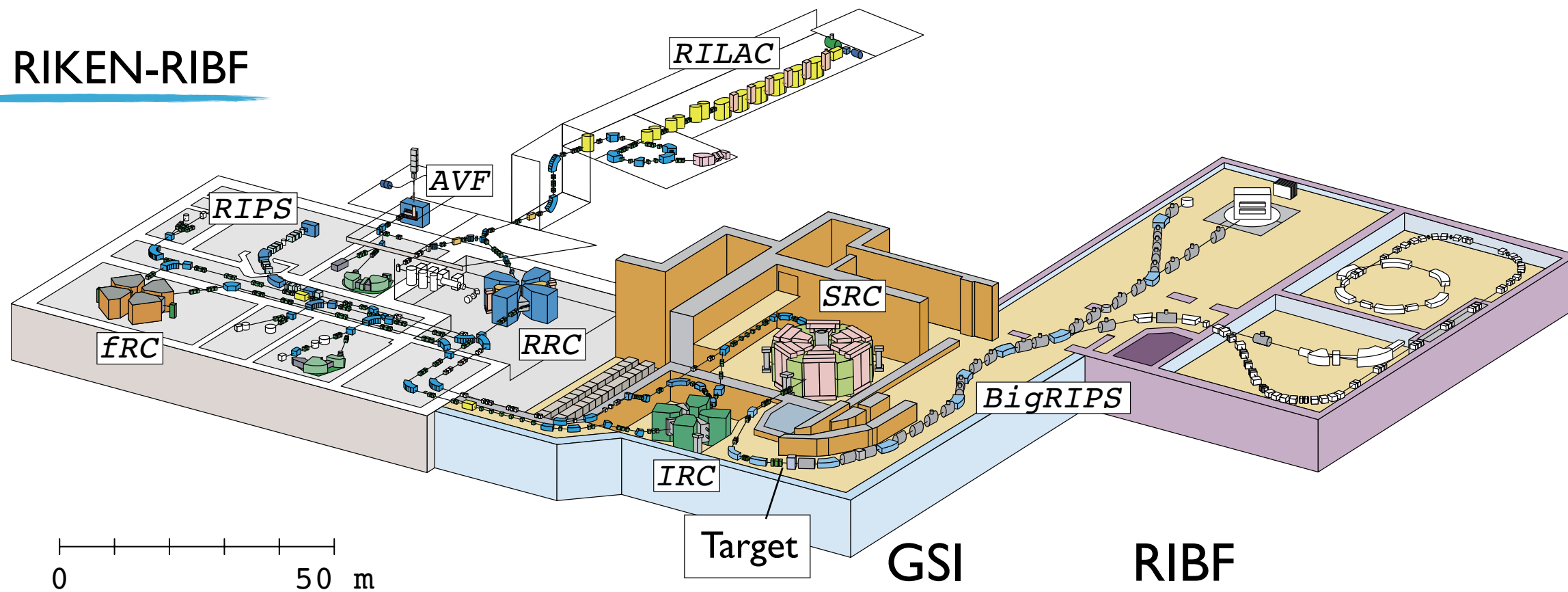
Keys for high quality information

- Quantum states of the pionic atoms are determined i.e. both pionic levels and nuclear excitation levels.
- Observable is Lorentz invariant.



RI Beam Factory

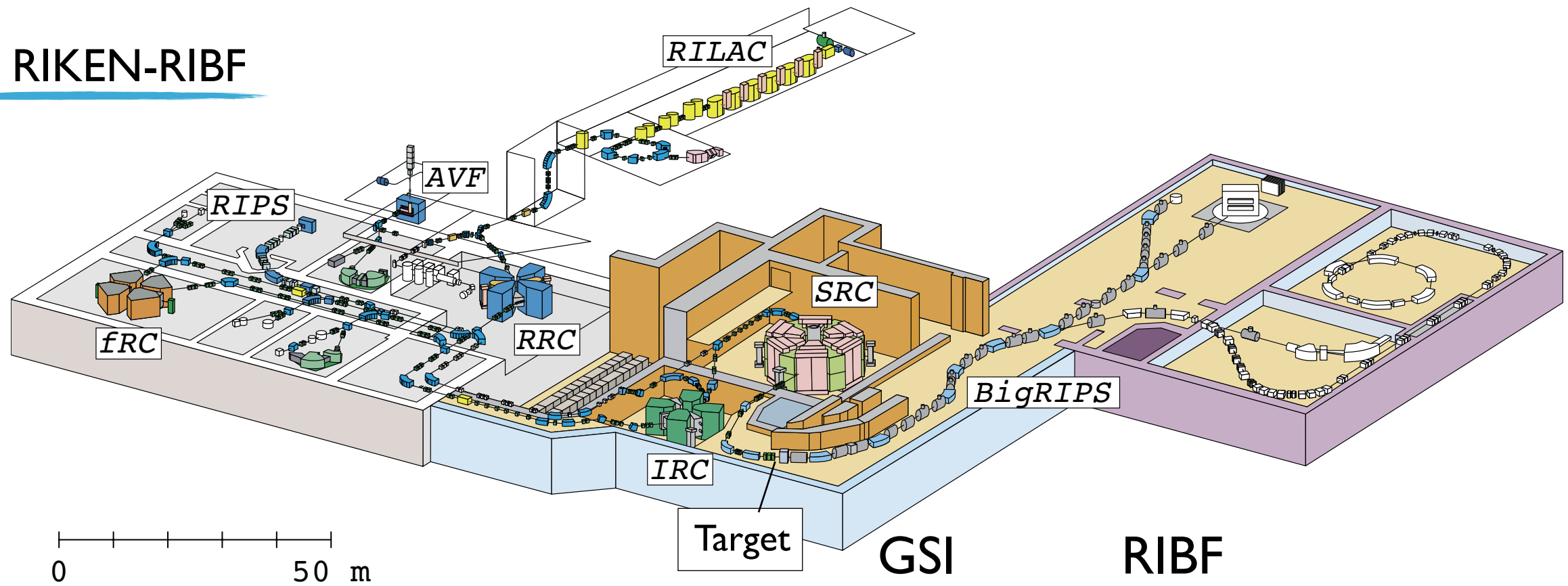
RIKEN-RIBF



d beam Intensity	$10^{11}/\text{spill}$	$>10^{12}/\text{s}$
Target	$20 \text{ mg}/\text{cm}^2$	$10 \text{ mg}/\text{cm}^2$
$\Delta p_d/p_d$ (FWHM)	0.02%	0.06%
Resolution (FWHM)	400 keV	$\sim 1000 \text{ keV}$
Acceptance (mrad)	15H, 10V	40H, 60V

RI Beam Factory

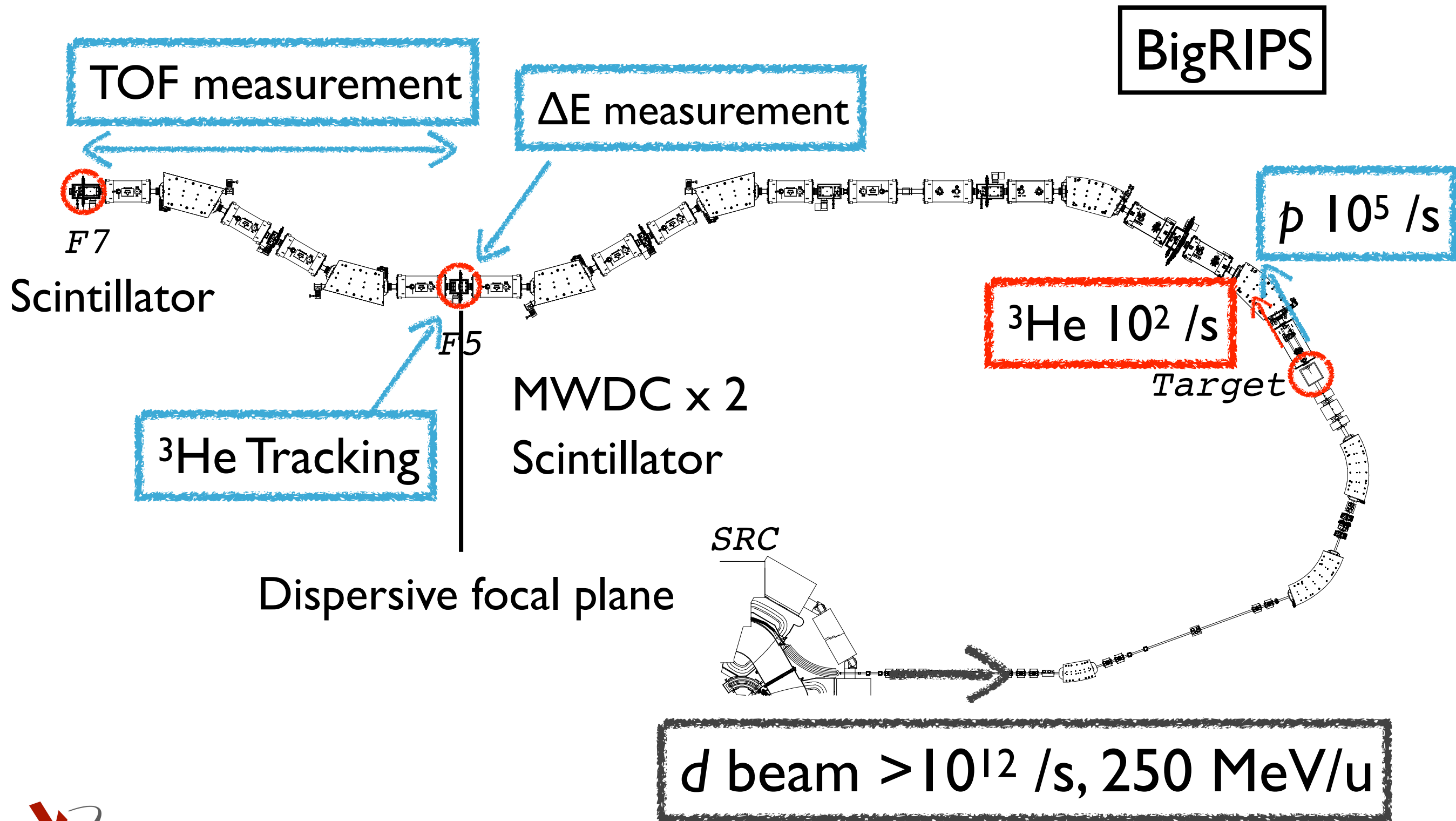
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Resolution (FWHM)	400 keV	$< 300 \text{ keV}$
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Dispersion matching

(d,³He) Reaction Spectroscopy in RIBF



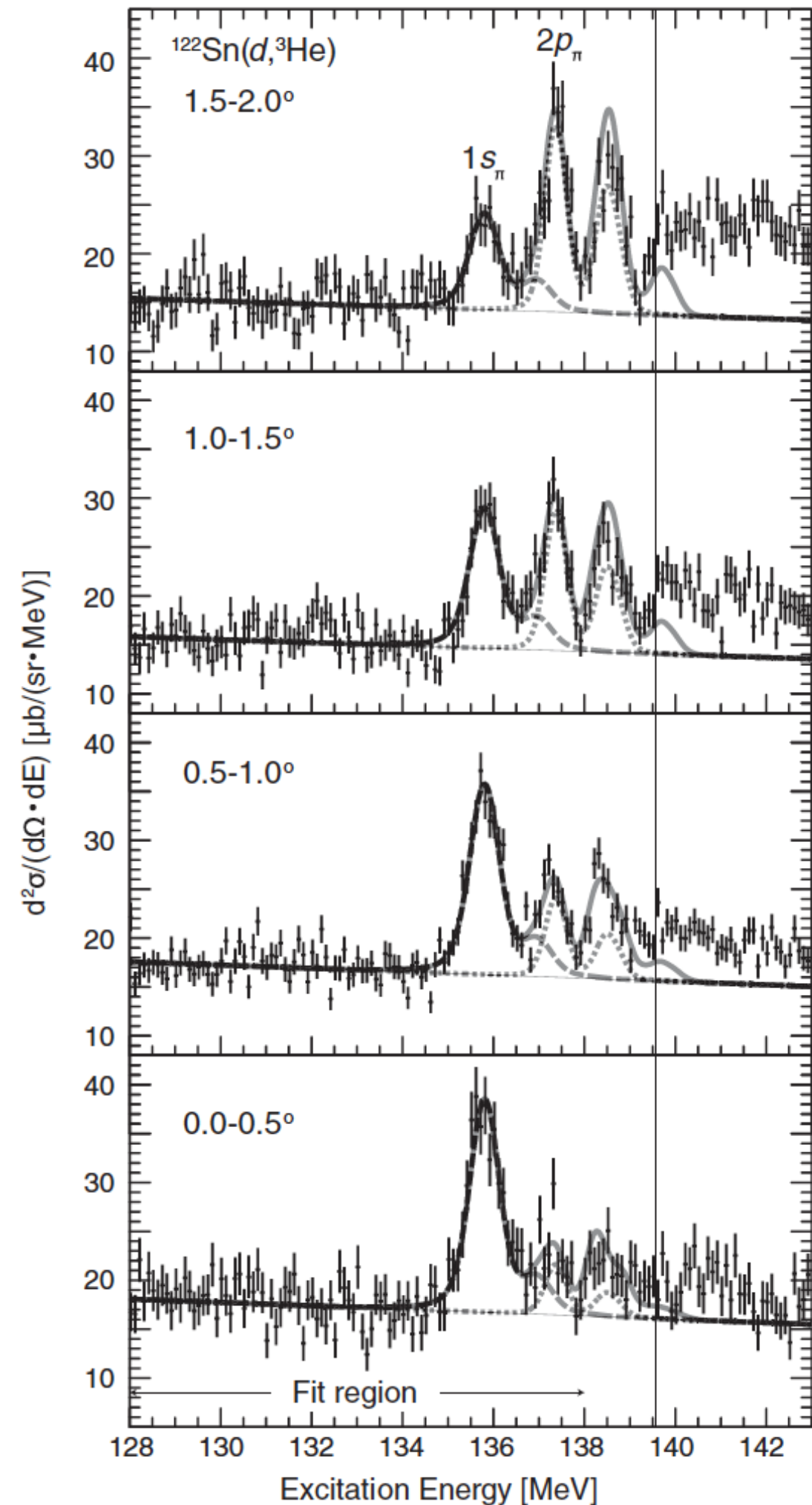
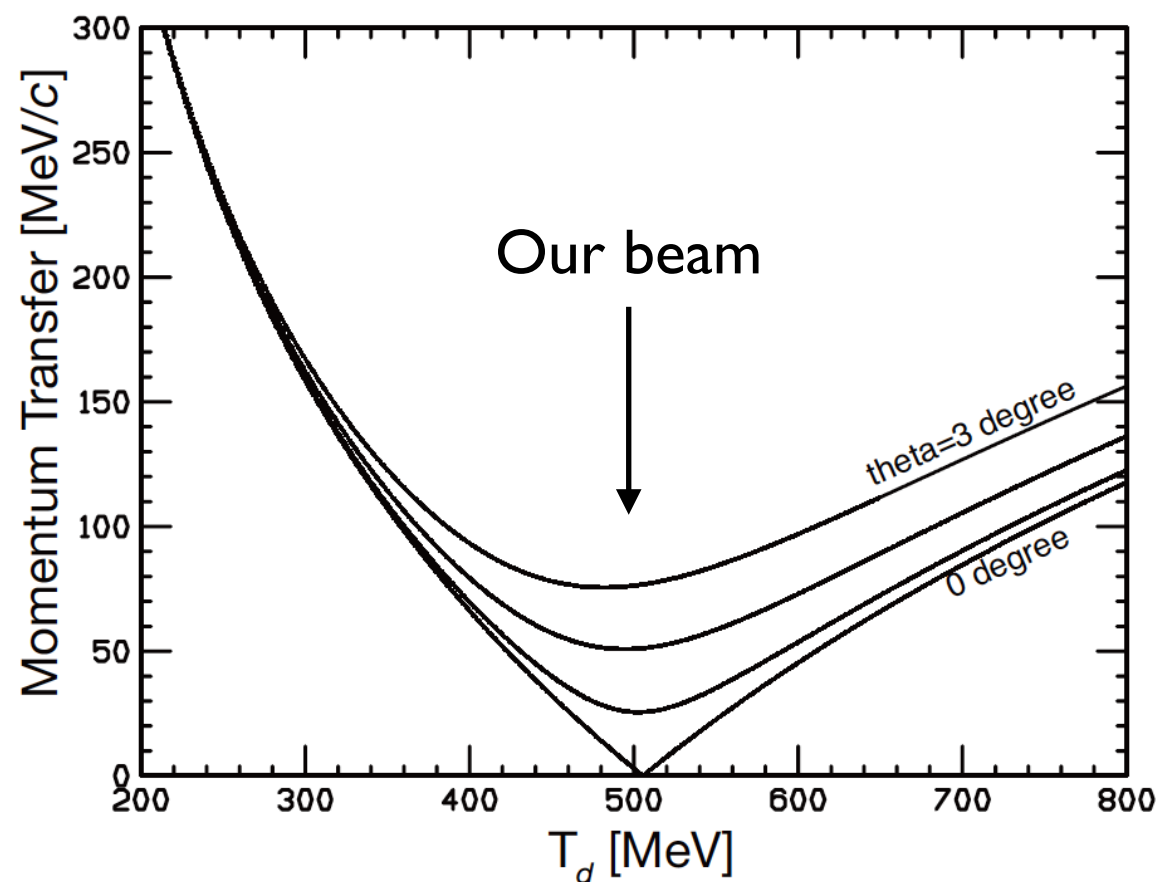
Pionic ^{121}Sn atom

Pilot run

15 hours DAQ in 2010

First observation of
 θ dependence of
 π atom cross section

$$\Delta L \sim R \times q$$



Pionic ^{121}Sn atom

Pilot run

15 hours DAQ in 2010

First simultaneous 1s and 2p observation

$$B_{1s} = 3.828 \pm 0.013(\text{stat})_{-0.033}^{+0.036}(\text{syst}) \text{ MeV}$$

$$\Gamma_{1s} = 0.252 \pm 0.054(\text{stat})_{-0.070}^{+0.053}(\text{syst}) \text{ MeV}$$

$$B_{2p} = 2.238 \pm 0.015(\text{stat})_{-0.043}^{+0.046}(\text{syst}) \text{ MeV}$$

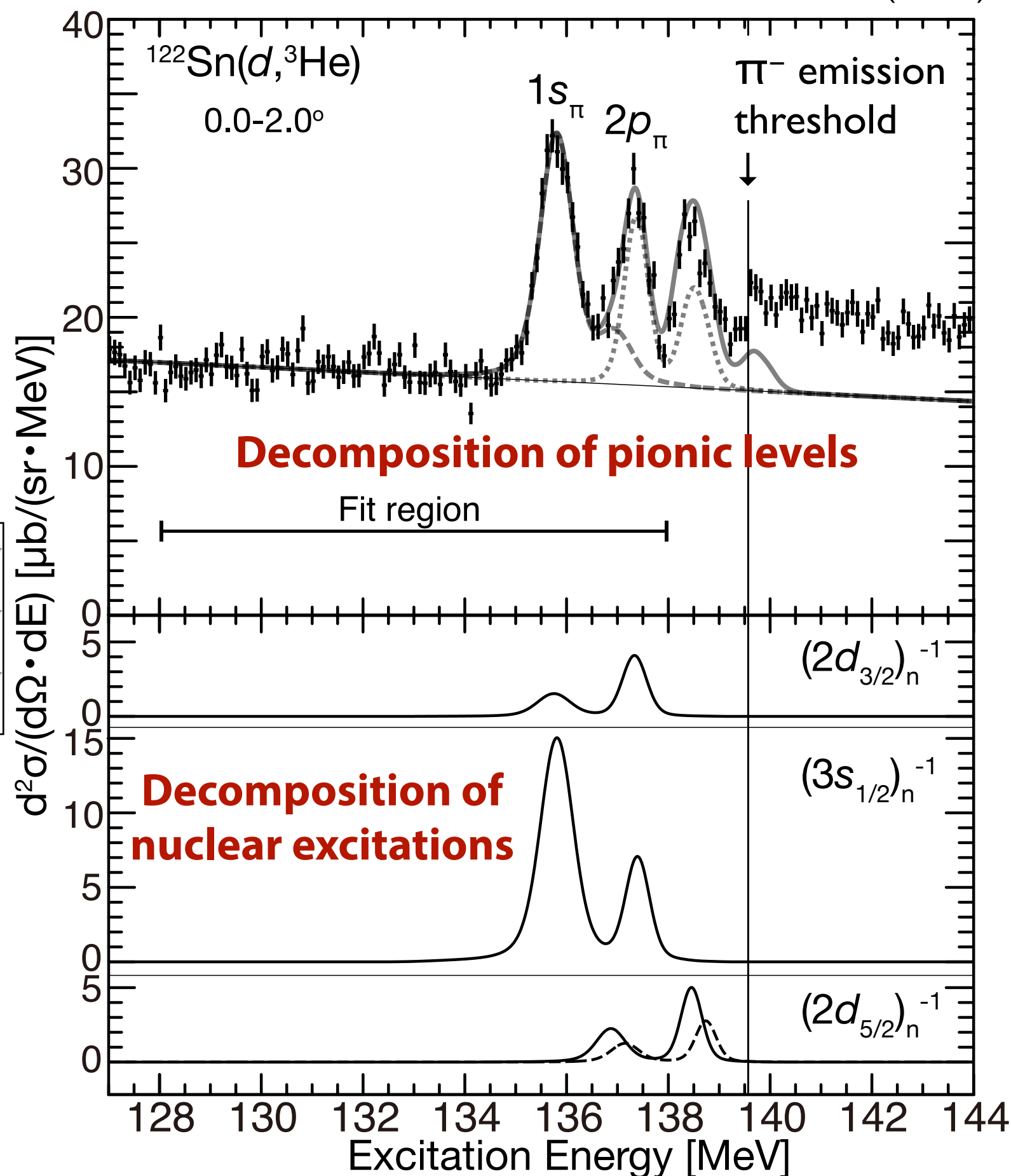
Resolution 394 keV (FWHM)

Theories

$$B_{1s} = 3.787\text{--}3.850 \text{ MeV}$$

$$\Gamma_{1s} = 0.306\text{--}0.324 \text{ MeV}$$

$$B_{2p} = 2.257\text{--}2.276 \text{ MeV}$$

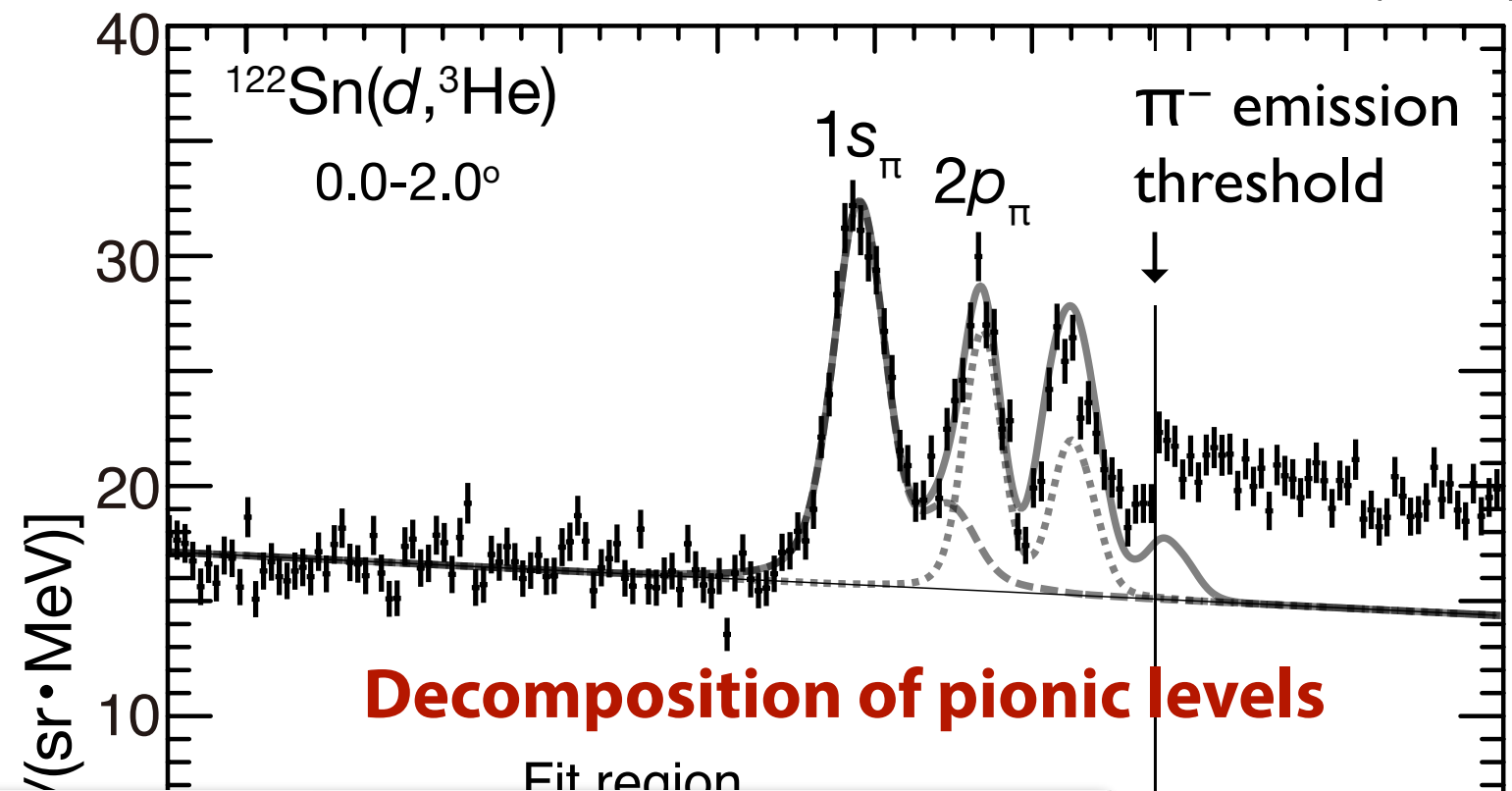


Pionic ^{121}Sn atom

Pilot run

15 hours DAQ in 2010

First simultaneous $1s$ and $2p$ observation



$$B_{1s} = 3.828 \pm 0.015 \text{ (stat)} - 0.070 \text{ (syst)} \text{ MeV}$$

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$$B_{2p} = 2.238 \pm 0.015 \text{ (stat)}^{+0.046}_{-0.043} \text{ (syst)} \text{ MeV}$$

However, precision was not enough...

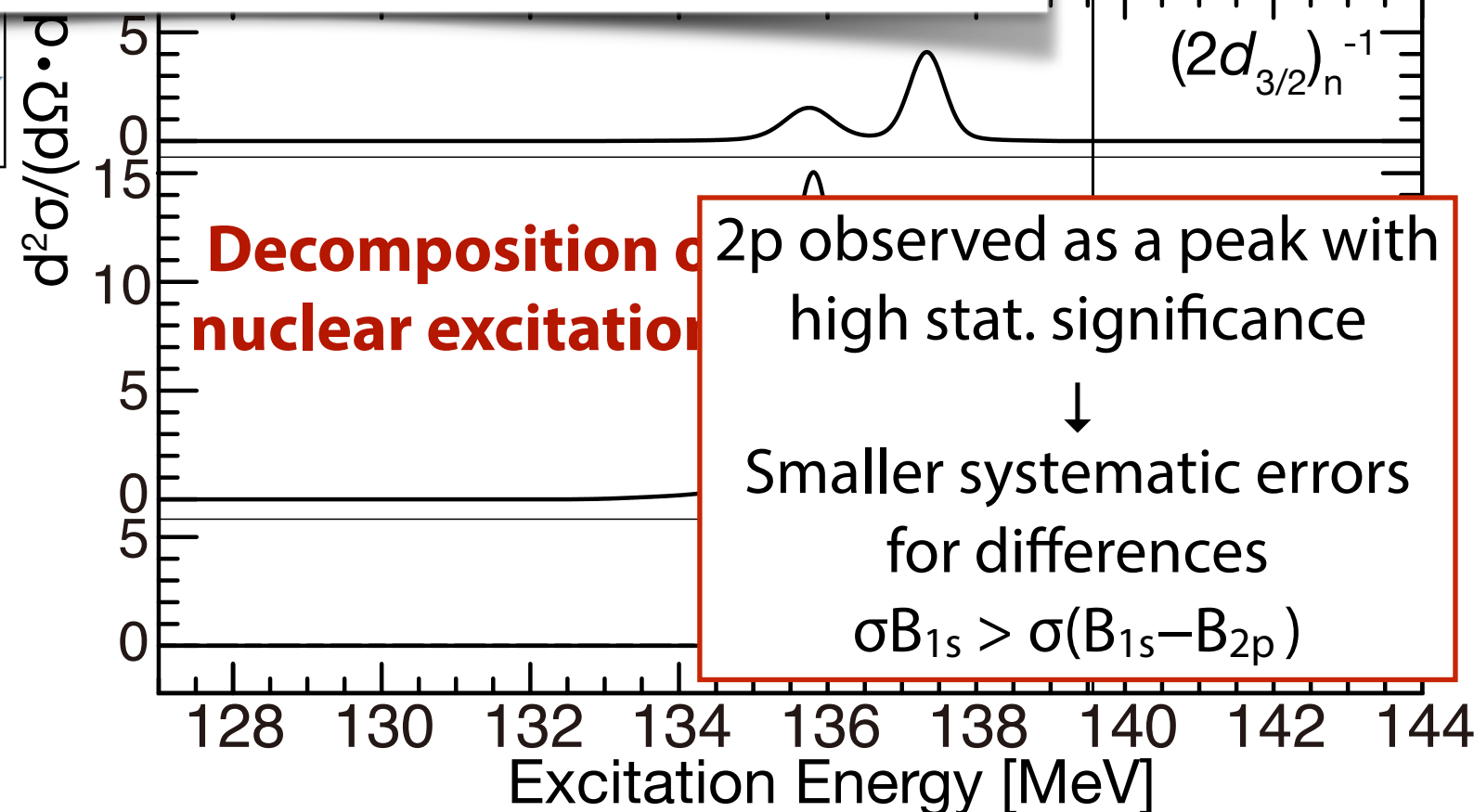
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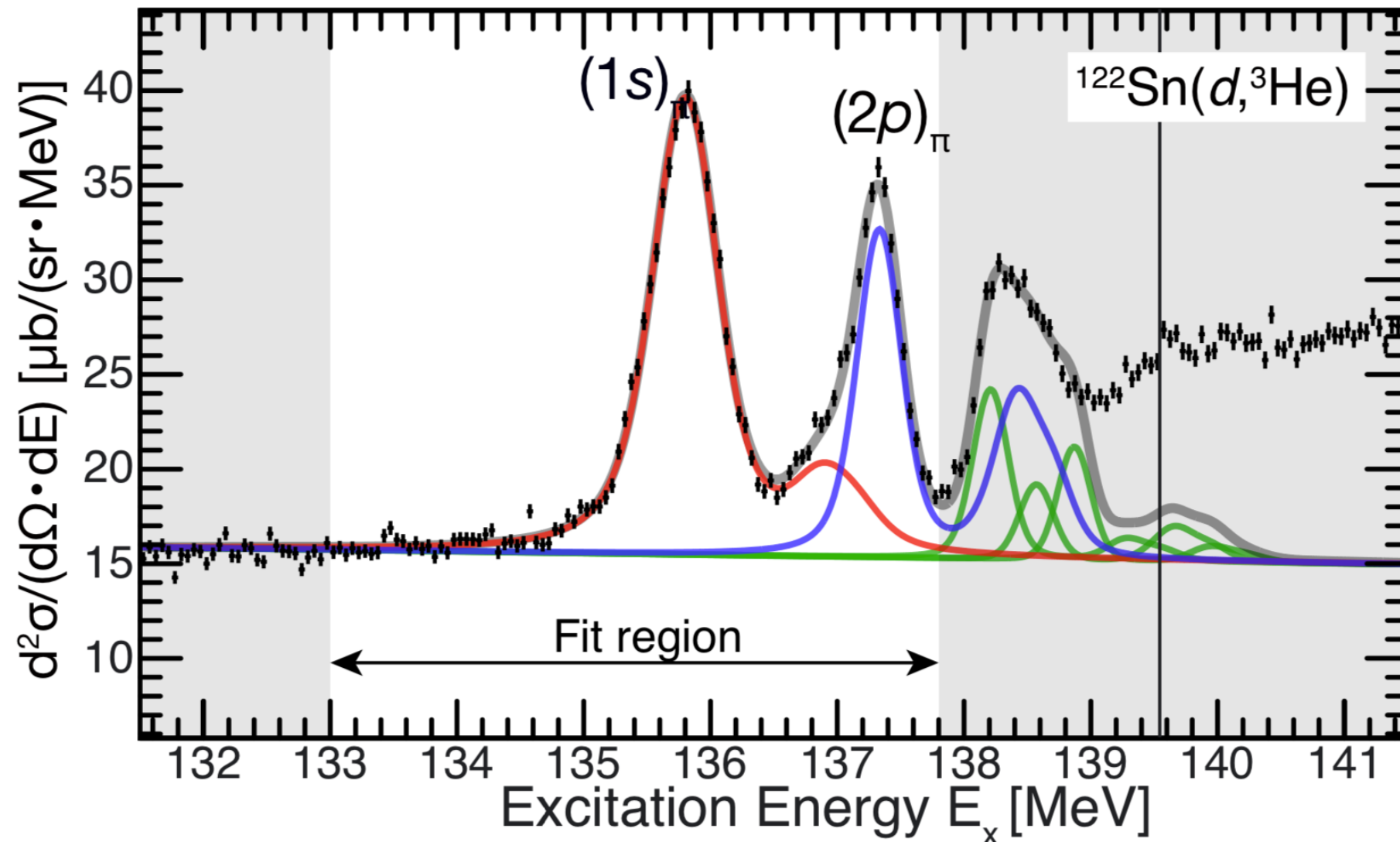
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High Precision Spectrum of $^{122}\text{Sn}(d,^3\text{He})$ in 2014 run

Pionic atom unveils hidden structure of QCD vacuum

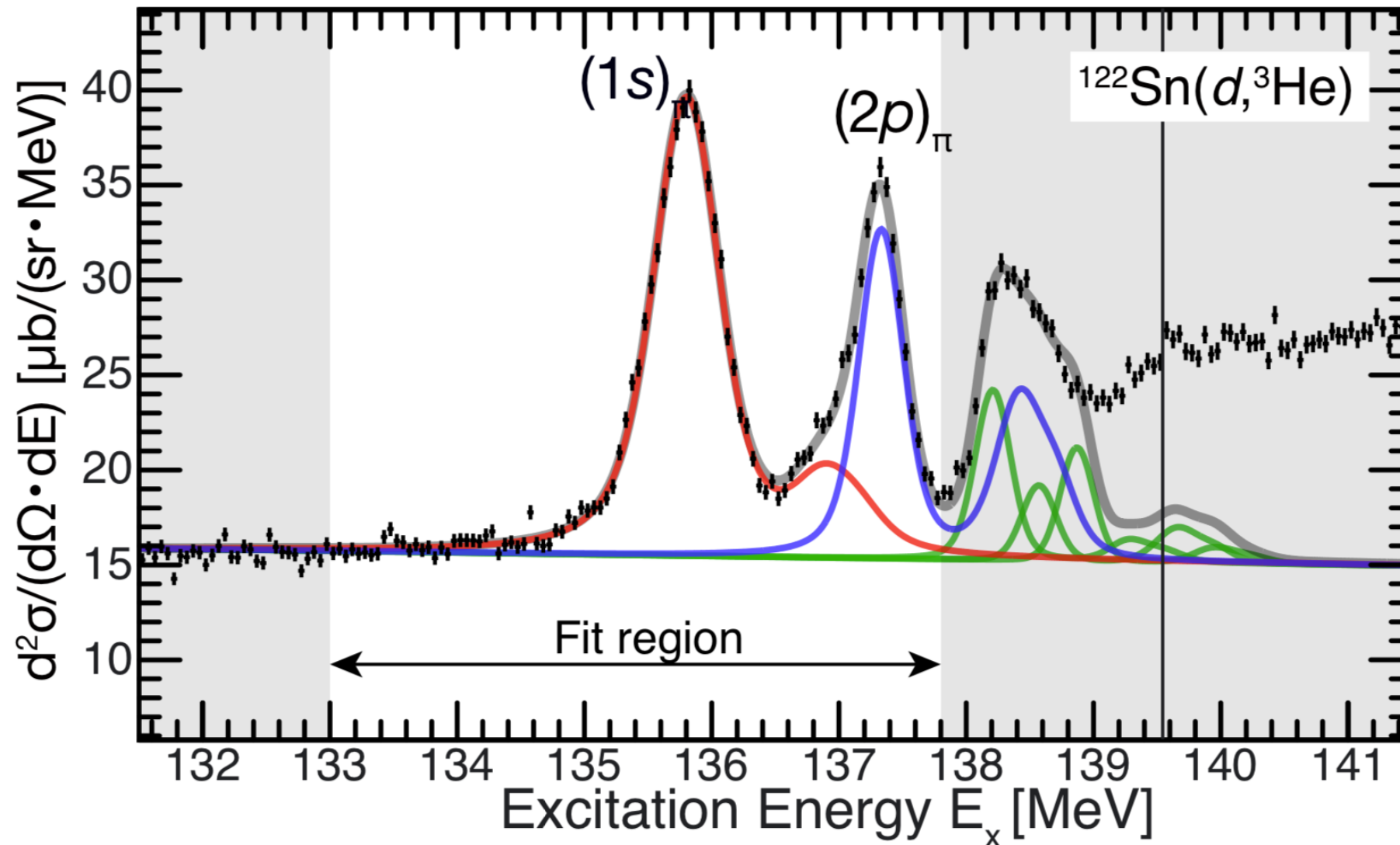
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2p observed as a peak with
high stat. significance
↓
Smaller systematic errors
for differences
 $\sigma B_{1s} > \sigma(B_{1s} - B_{2p})$

Under review
arXiv: 2204.05568

High Precision Spectrum of $^{122}\text{Sn}(d,^3\text{He})$ in 2014 run



	[keV]	Statistical	Systematic
$B_{\pi}(1s)$	3831	± 3	$+78 - 76$
$B_{\pi}(2p)$	2276	± 3	$+84 - 83$
$B_{\pi}(1s) - B_{\pi}(2p)$	1555	± 4	± 12
$\Gamma_{\pi}(1s)$	316	± 12	$+36 - 39$
$\Gamma_{\pi}(2p)$	164	± 17	$+41 - 32$
$\Gamma_{\pi}(1s) - \Gamma_{\pi}(2p)$	152	± 20	$+28 - 36$

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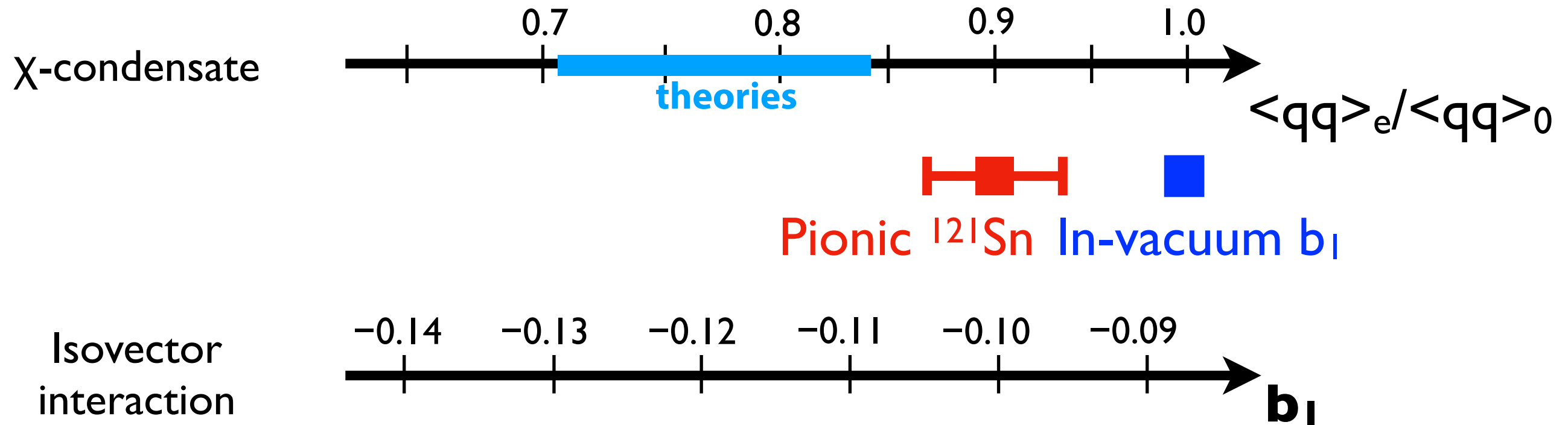


Smaller systematic errors
for differences
 $\sigma B_{1s} > \sigma(B_{1s} - B_{2p})$

Best resolution 287 keV (FWHM)

Under review
arXiv: 2204.05568

Deduced b_1 and chiral condensate at ρ_c



Before corrections: $b_1 = -0.1005$

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ξ	$\rho_n(r)$	Abs.	C.S.	Res.	$b_1 [m_\pi^{-1}]$	$\text{Im} B_0 [m_\pi^{-4}]$
0	2pF	ρ^2	Neff	—	-0.1005	0.0469
1	2pF	ρ^2	Neff	—	-0.0997	0.0473
1	Osaka	ρ^2	Neff	—	-0.1148	0.0473
1	Osaka	$pp + 2np$	Neff	—	-0.1162	0.0474
1	Osaka	$pp + 2np$	Green	—	-0.1194	0.0474
1	Osaka	$pp + 2np$	Green	✓	-0.1210	0.0474

ξ : short-range correction, LLE

ρ : neutron density distribution

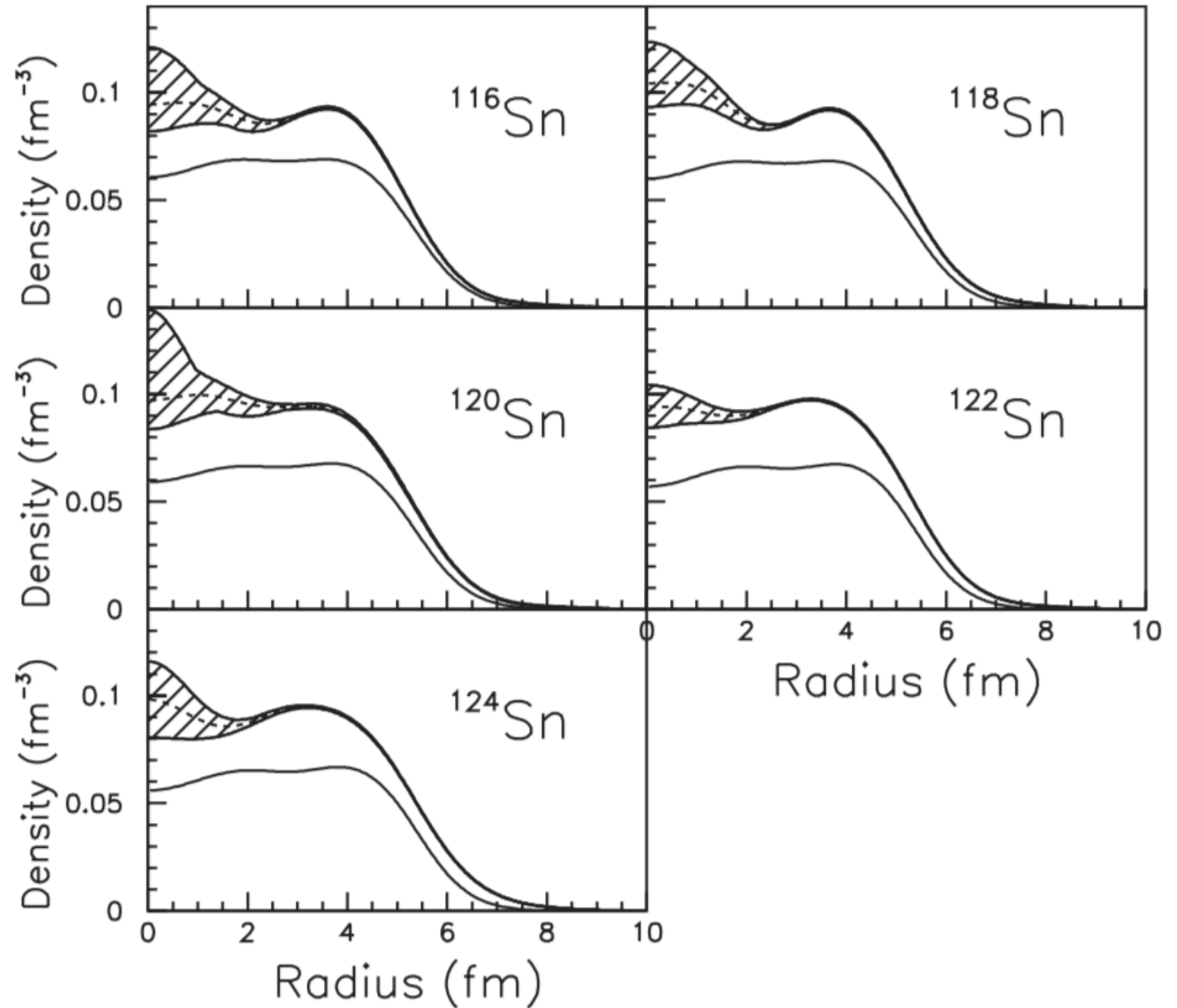
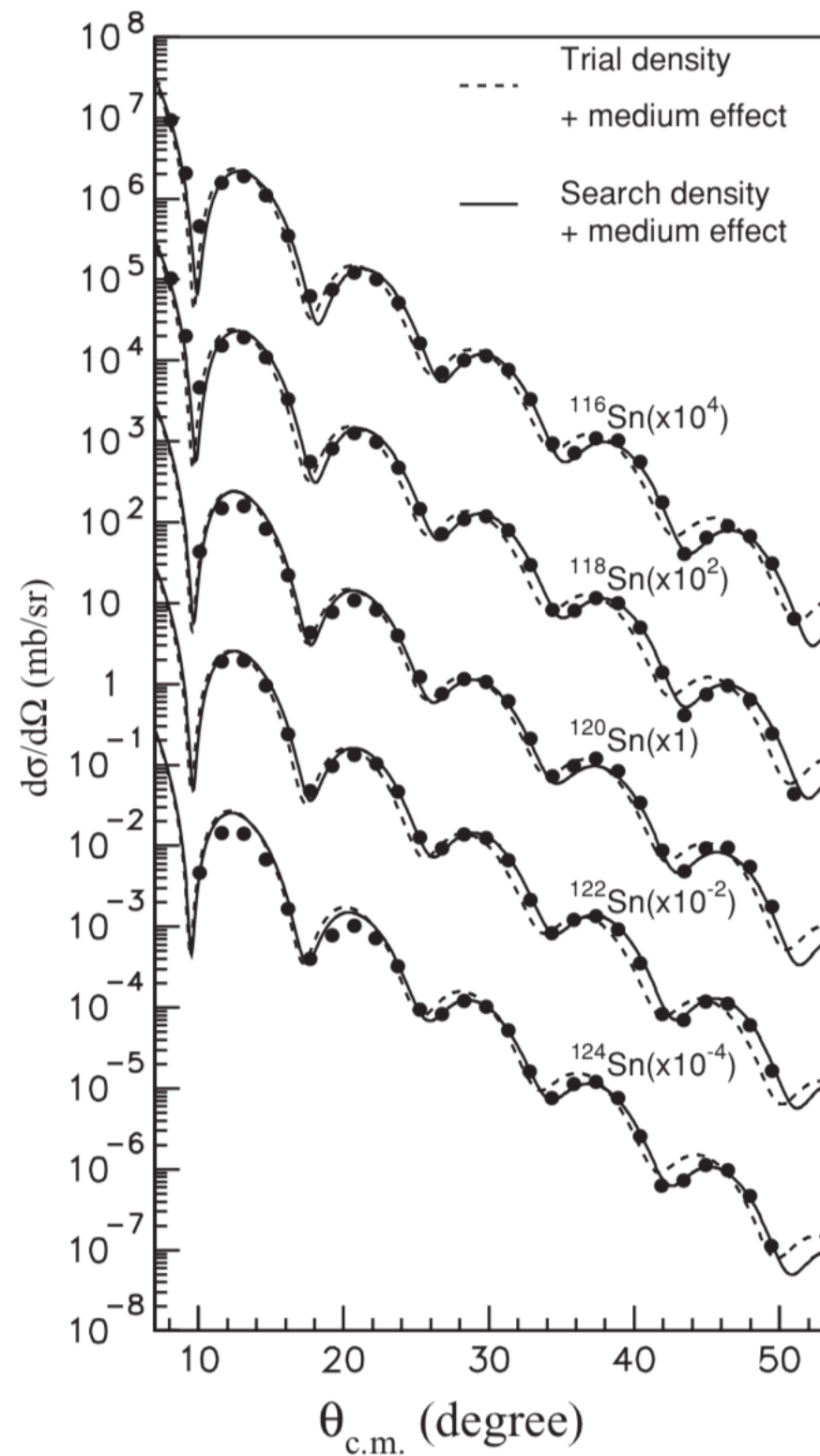
Abs. : absorption term formulation

C.S. : cross section calculation method

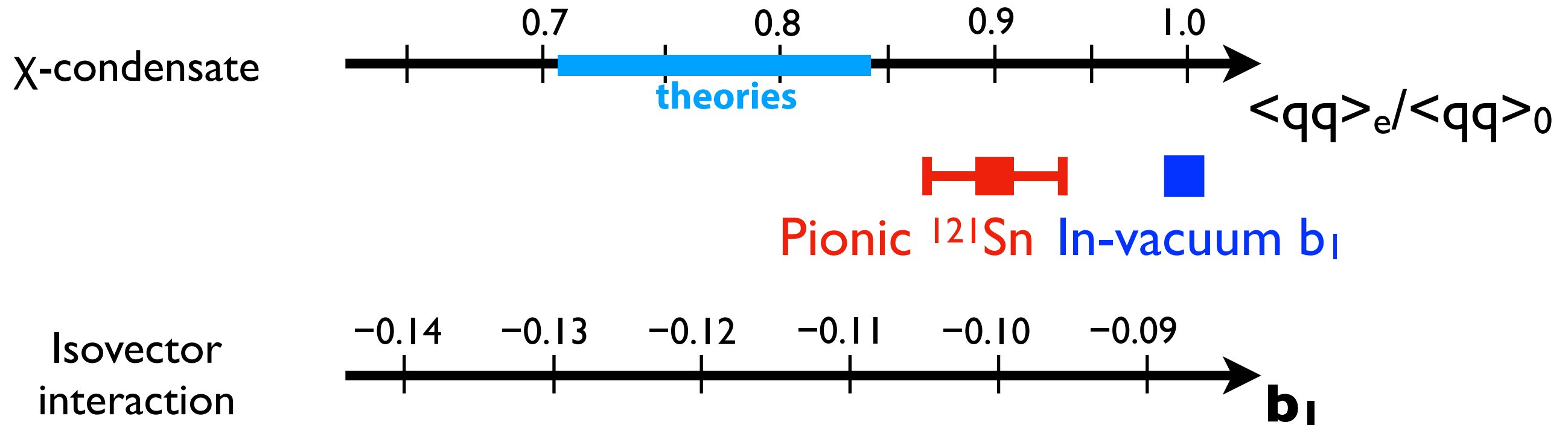
Res.: residual interaction

Measured nuclear density distribution of Sn isotopes

Sn(p,p') reaction at RCNP, Osaka



Deduced b_1 and chiral condensate at ρ_e



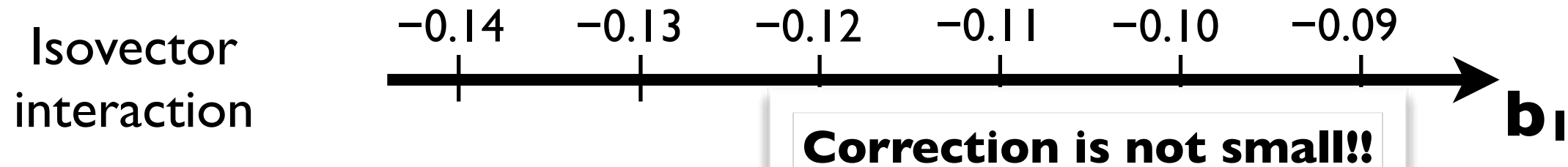
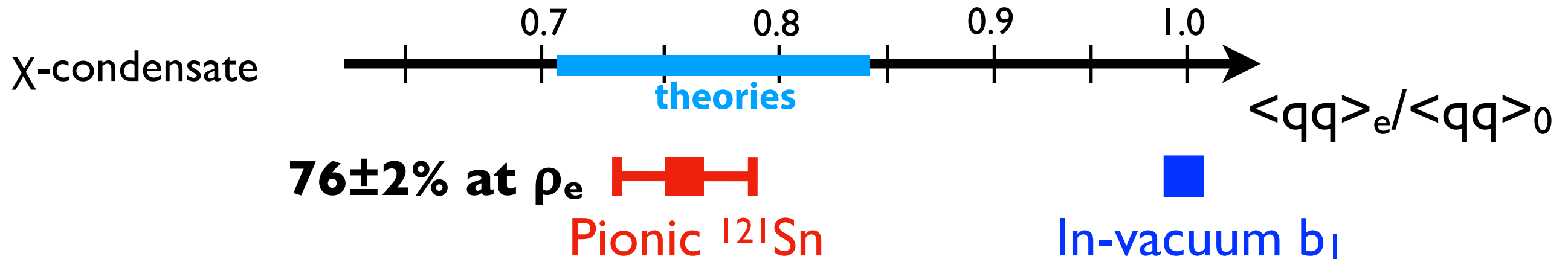
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1	Osaka	$pp + 2np$	Green	✓	-0.1210	0.0474

After including corrections

$$\underline{b_1 = -0.1210 \pm 0.0063}$$

ξ : short-range correction, LLE

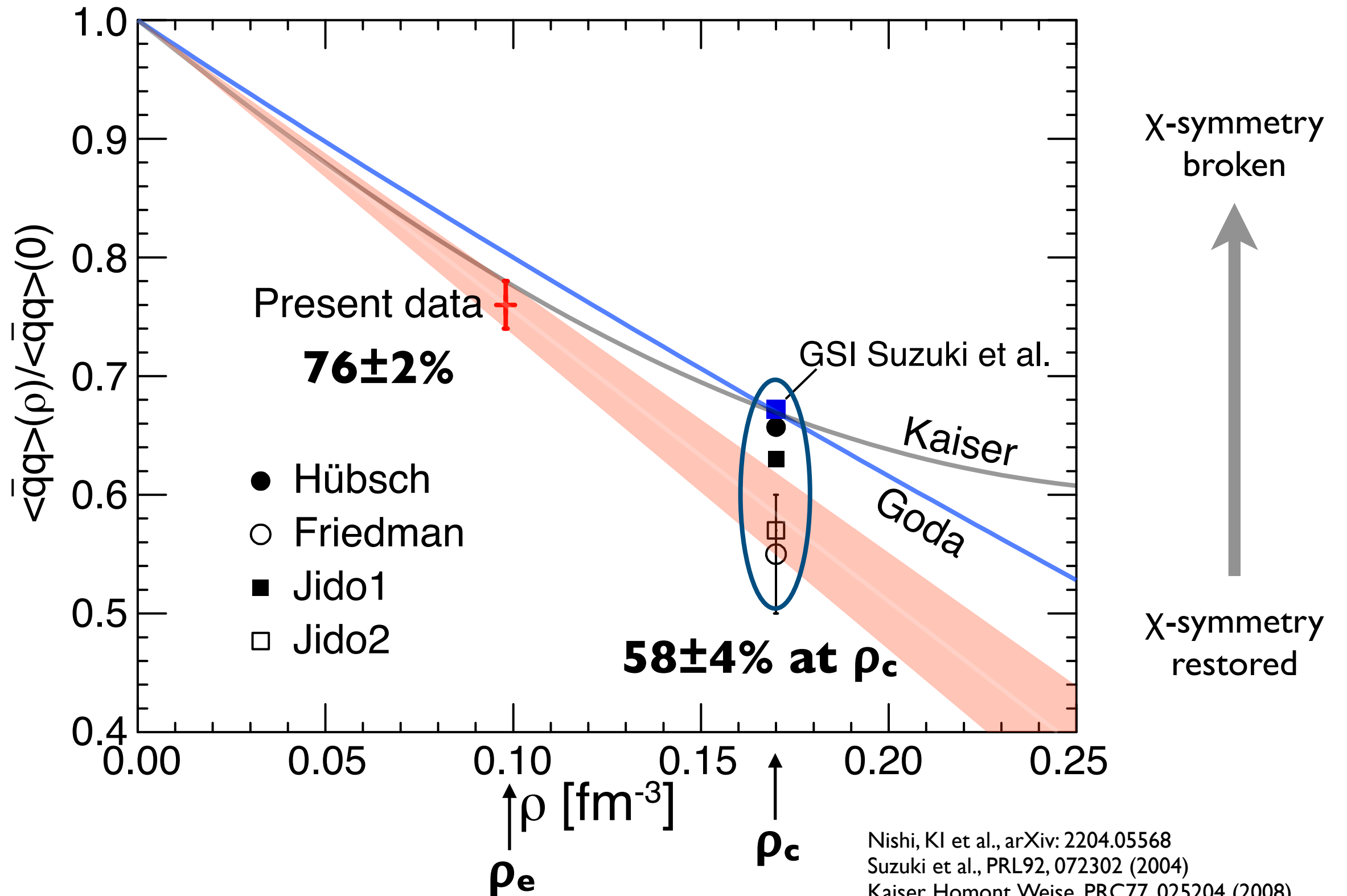
ρ : neutron density distribution

Abs. : absorption term formulation

C.S. : cross section calculation method

Res.: residual interaction

ρ dependence of chiral condensate



Nishi, KI et al., arXiv: 2204.05568
 Suzuki et al., PRL92, 072302 (2004)
 Kaiser, Homont, Weise, PRC77, 025204 (2008)
 Goda and Jido, PRC88, 065204 (2013)
 Huebsch, Jido, PRC104, 015202 (2021)
 Friedman, Gal, PLB792, 340 (2019)
 Jido, Hatsuda, Kunihiro, PLB670, 109 (2008)

Summary

- Chiral condensate at the normal nuclear density is evaluated to be reduced by $58\pm4\%$.
We evaluated chiral condensate with errors at the well-defined density for the first time by pionic atom spectroscopy.
- The binding energies and widths of the $1s$ and $2p$ states in Sn^{121} were determined with unprecedented precision. Difference between the $1s$ and $2p$ values reduces the systematic errors drastically.
- Recent theoretical progress was adopted for the evaluation, which directly relates the chiral condensate and the pion-nucleus interaction.
- We calculated various corrections for the first time and applied them. The application made a huge jump of the deduced chiral condensate. After the "blind-analysis" of the correction, the chiral condensate ratio was deduced to be $58\pm4\%$ with much higher reliability.
- We plan measurement of ρ dependence of chiral condensate in systematic study.