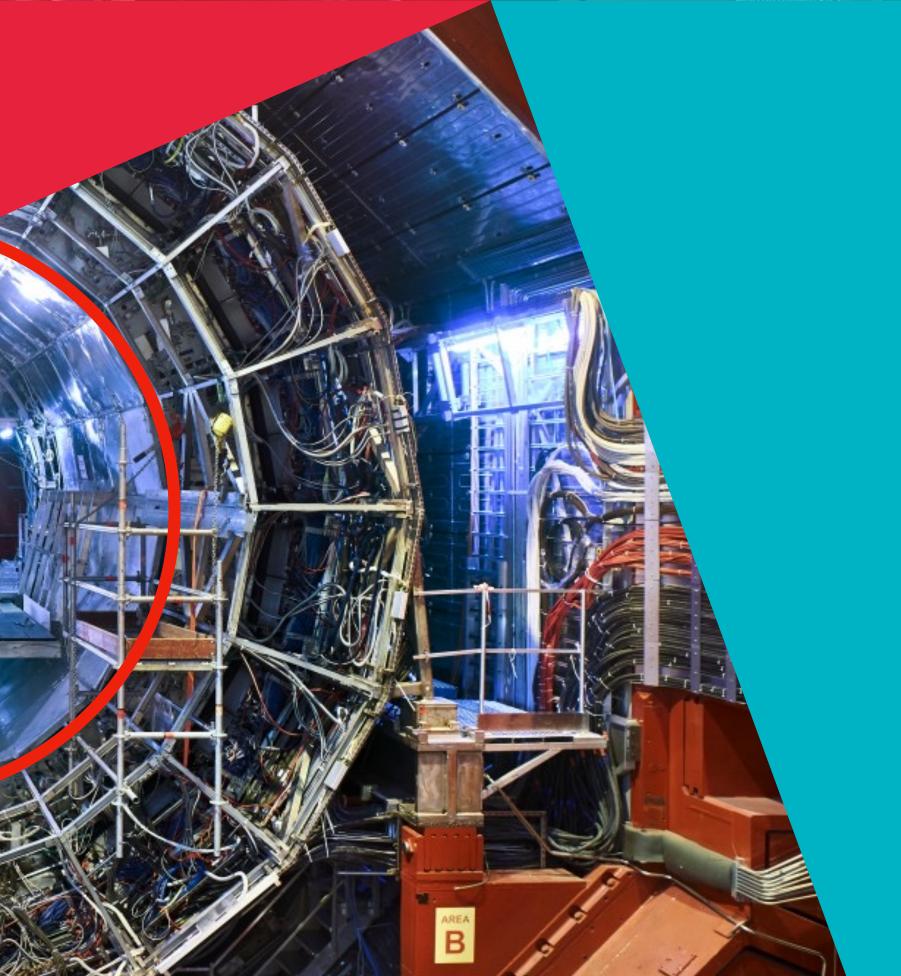
# Charge dependent flow, early magnetic field and chiral magnetic effect in heavy ion collisions at ALICE



Nikhef The XVth Quark Confinement and the

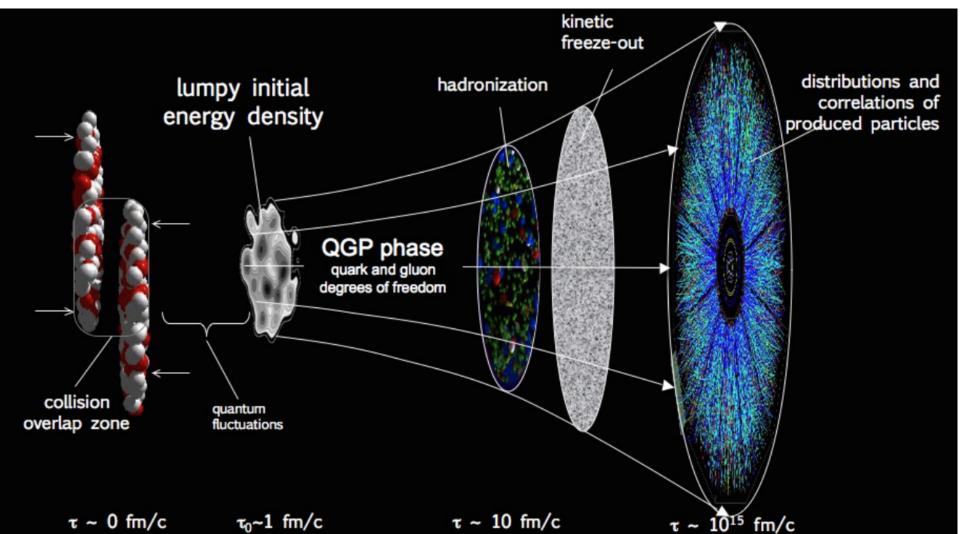




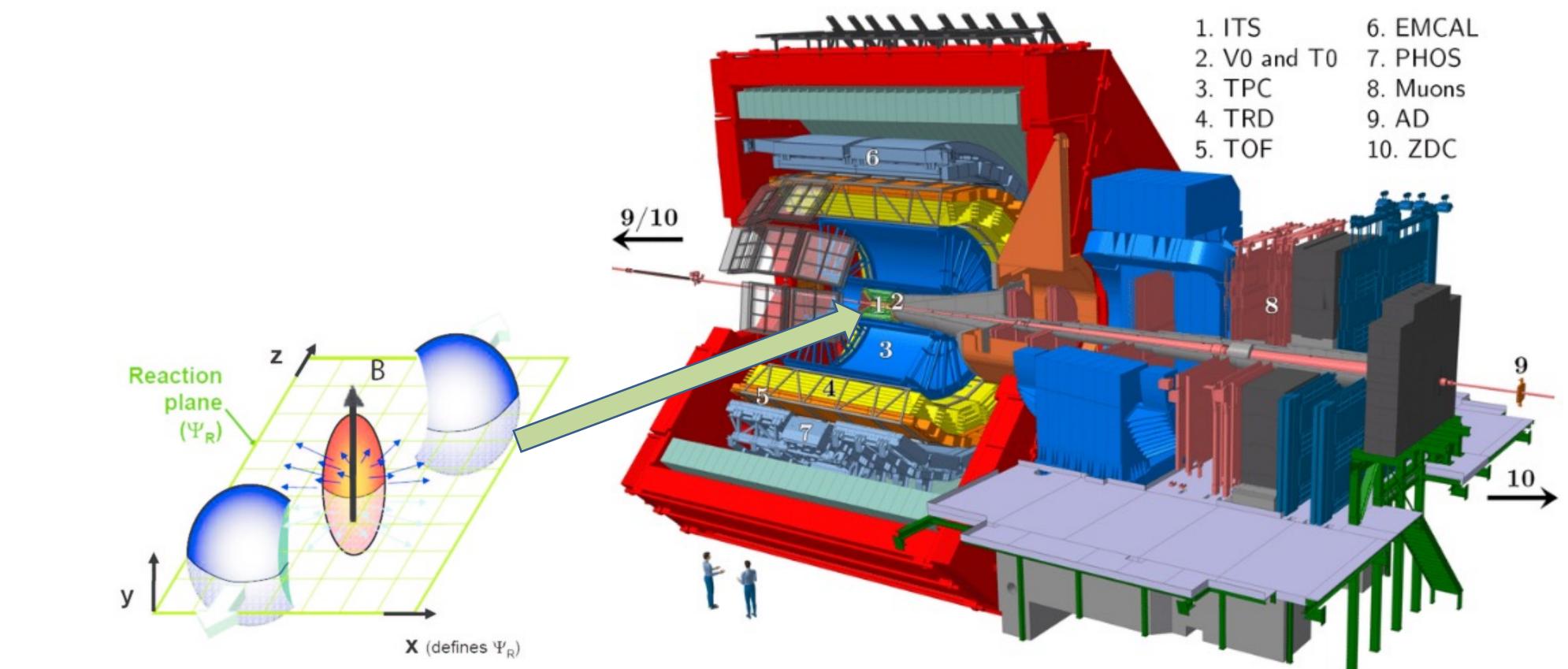
#### The XVth Quark Confinement and the Hadron Spectrum Conference, 1/8/2022

#### Content of the talk

- **Probe electromagnetic field** 
  - **Charge-dependent directed flow** 
    - **Inclusive hadron measurements**
    - Heavy flavor measurements ( $D^0 \& \overline{D}^0$ ) •
  - **Hyperon Polarization**
- **Searches for chiral anomalies** 
  - **Chiral magnetic effect studies** •
    - Mix harmonic
    - **Event shape engineering**





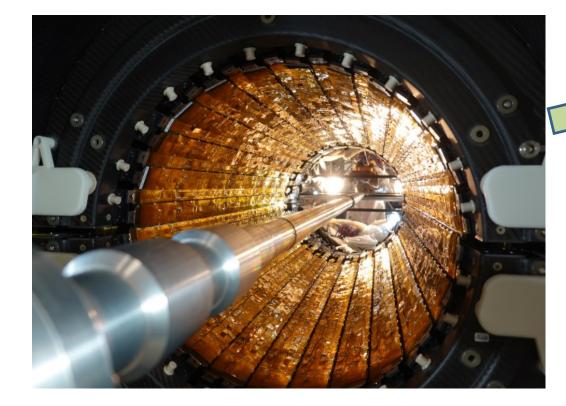


Shi Qiu

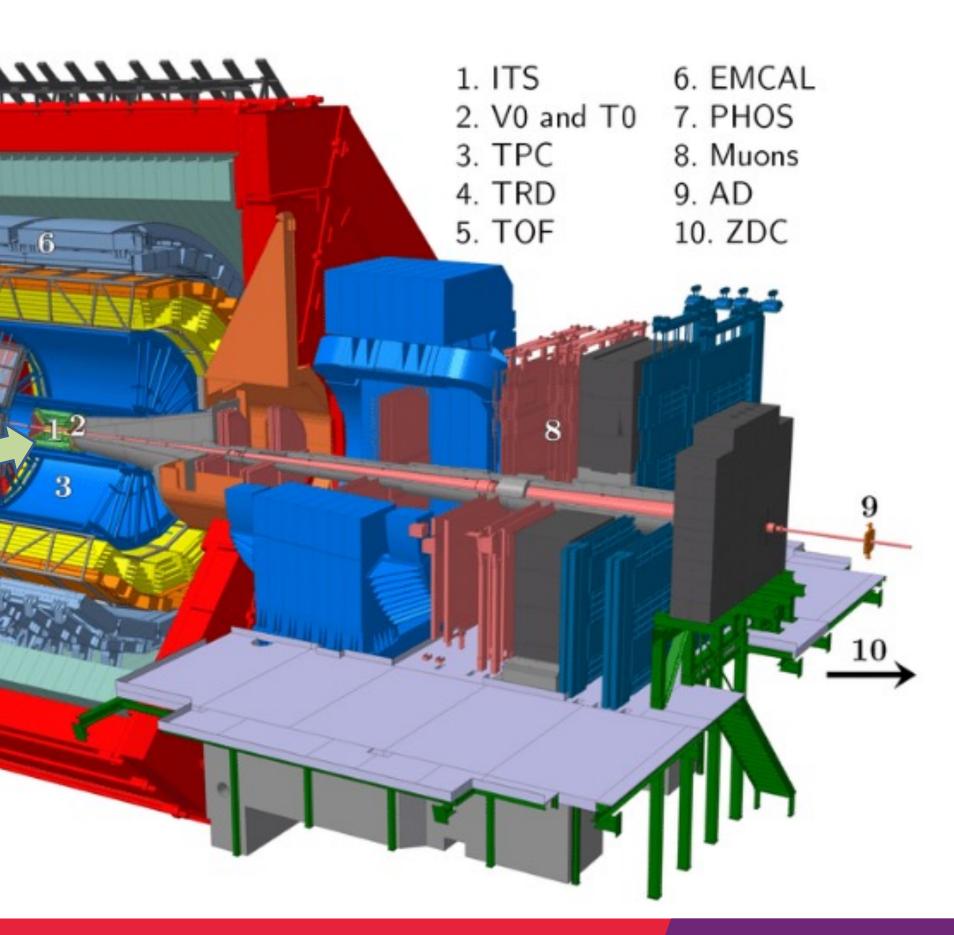


• ITS: semiconductor detector measuring charged particle traversing its segments ( $|\eta| < 0.9$ )

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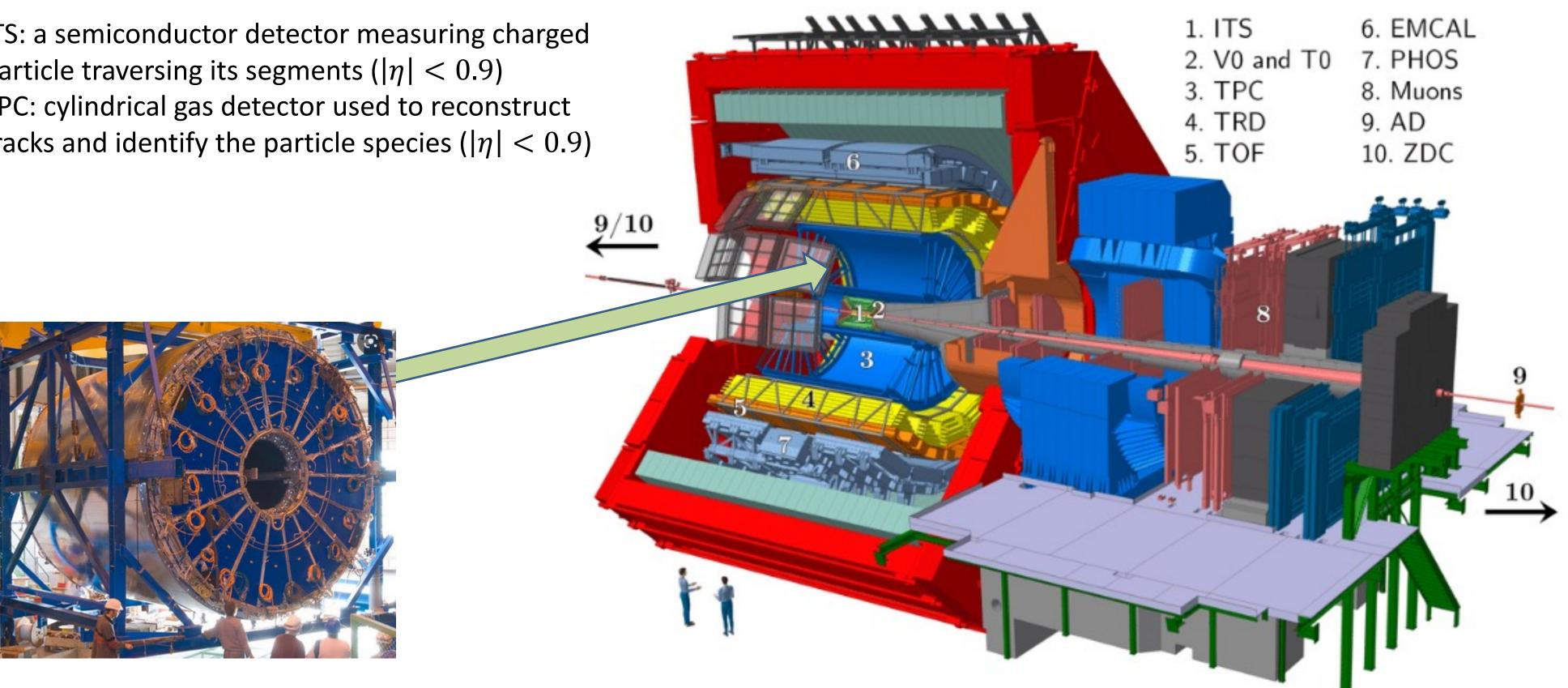


#### Shi Qiu





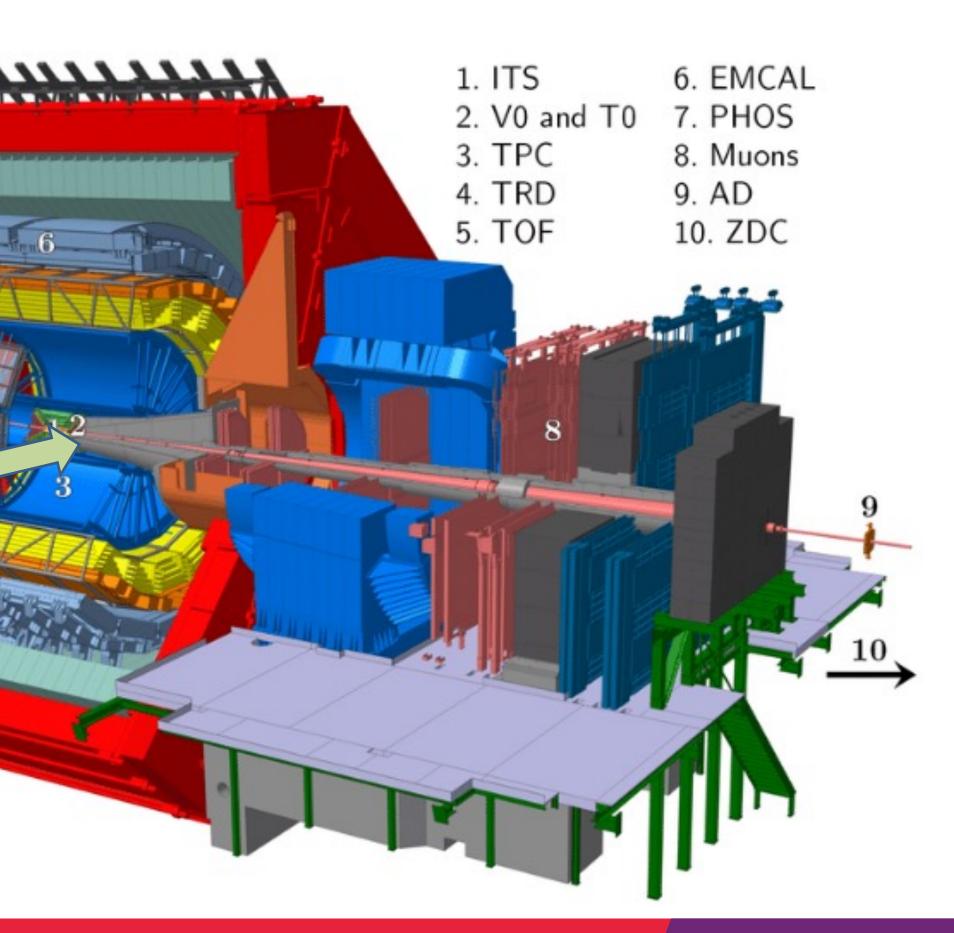
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- TPC: cylindrical gas detector used to reconstruct tracks and identify the particle species ( $|\eta| < 0.9$ )





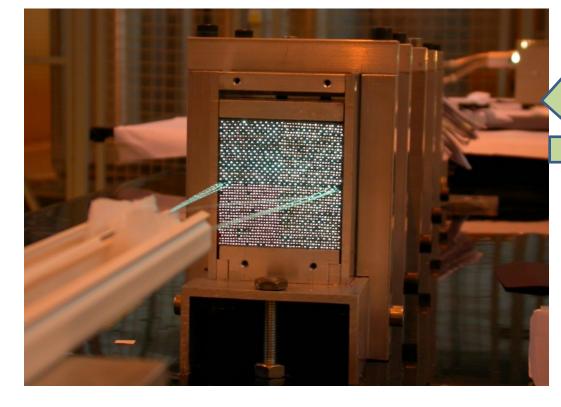
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- V0: two cylindrical scintillators located at opposite sides of the interaction point (V0C:  $2.8 < |\eta| < \frac{9}{10}$ 5.1, V0A:  $-3.7 < |\eta| < -1.7$ )

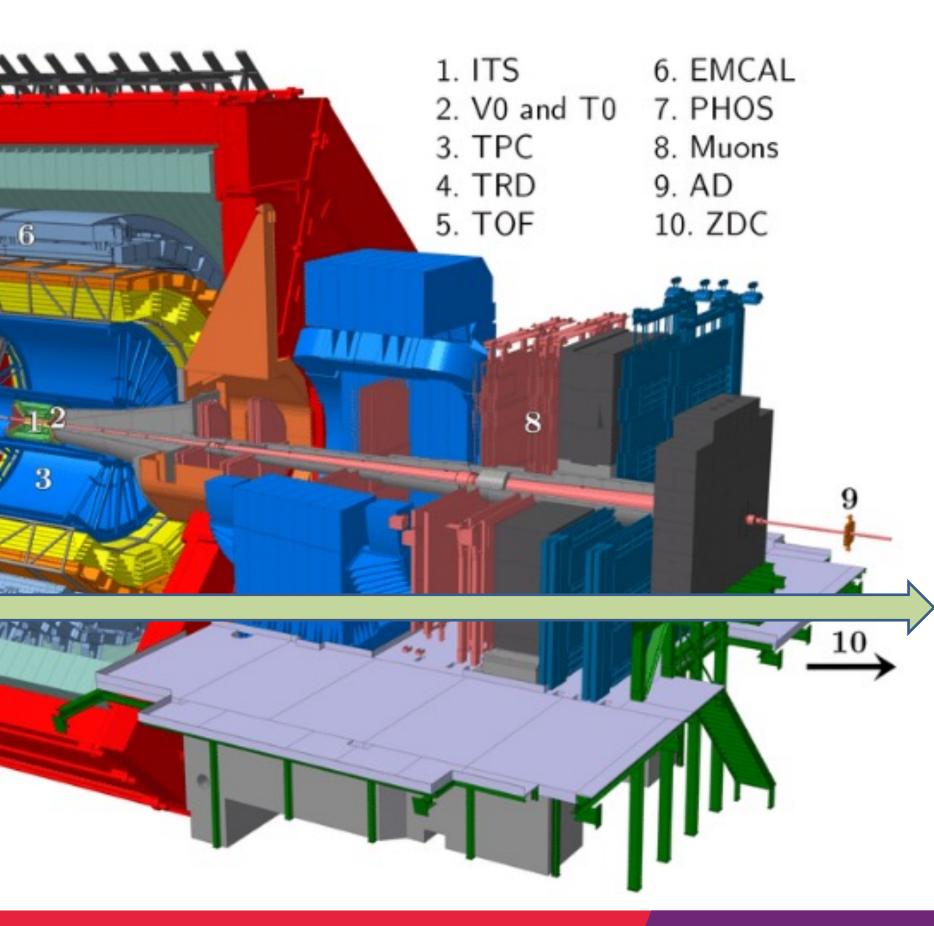




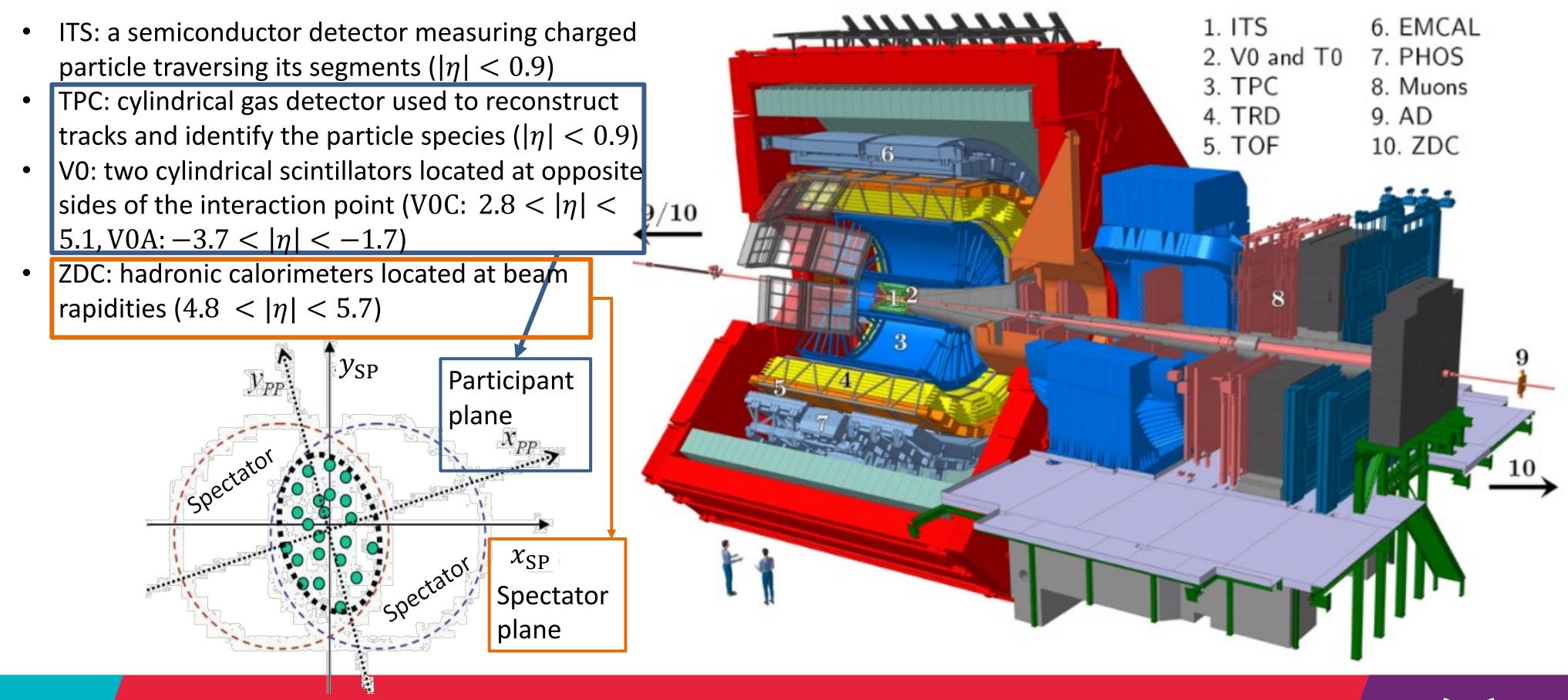


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- ZDC: hadronic calorimeters located at beam rapidities (4.8  $< |\eta| < 5.7$ )



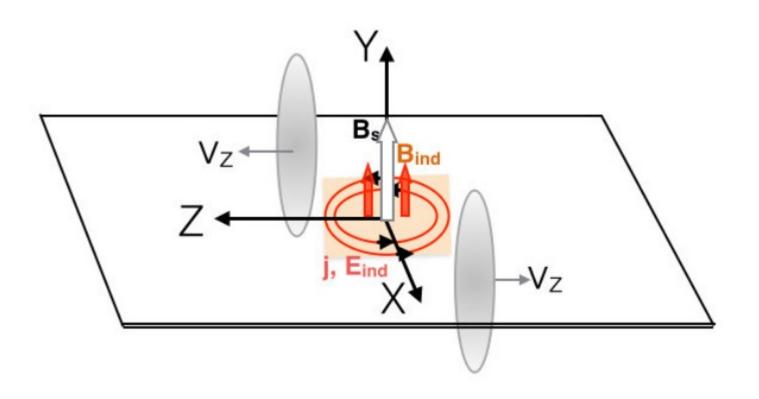


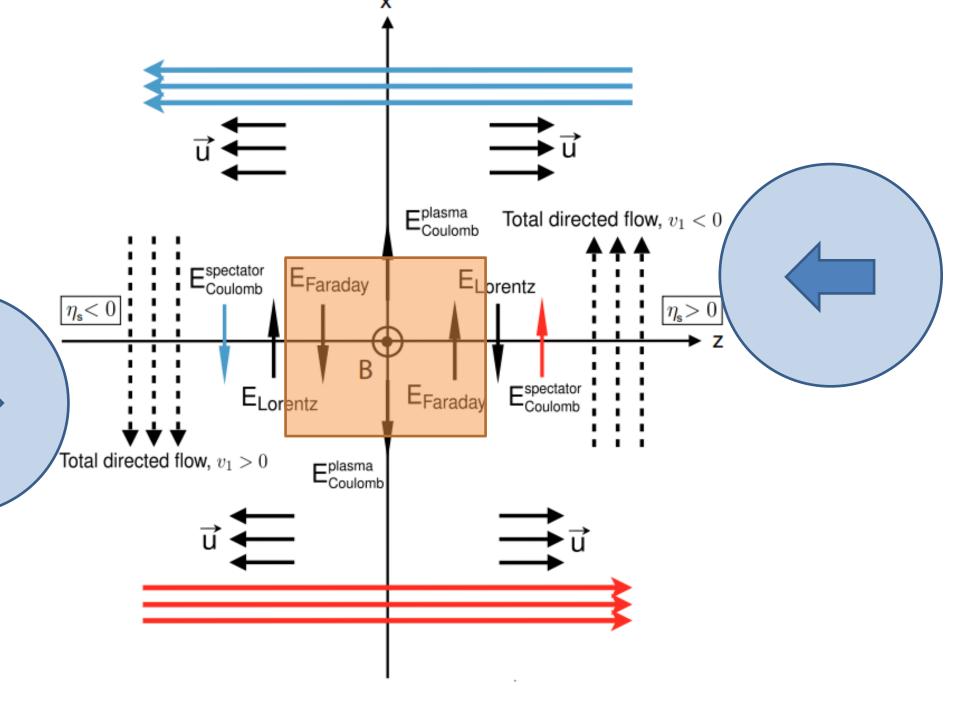






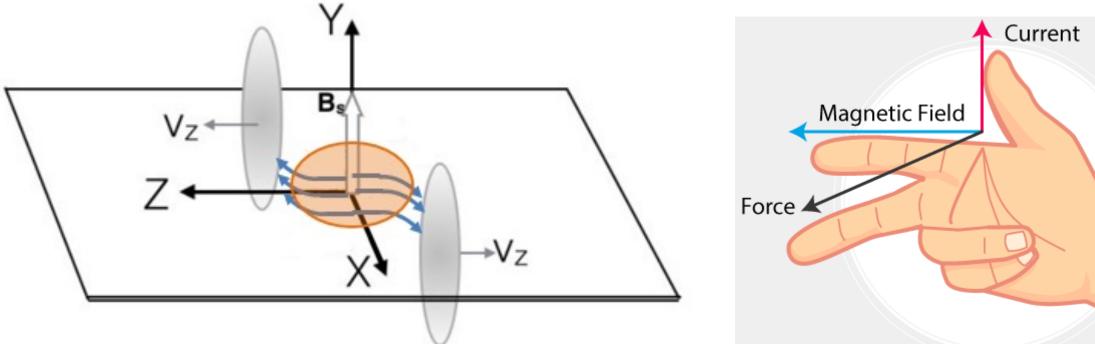
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  - Faraday current: induced current from the decrease of the B field in the medium

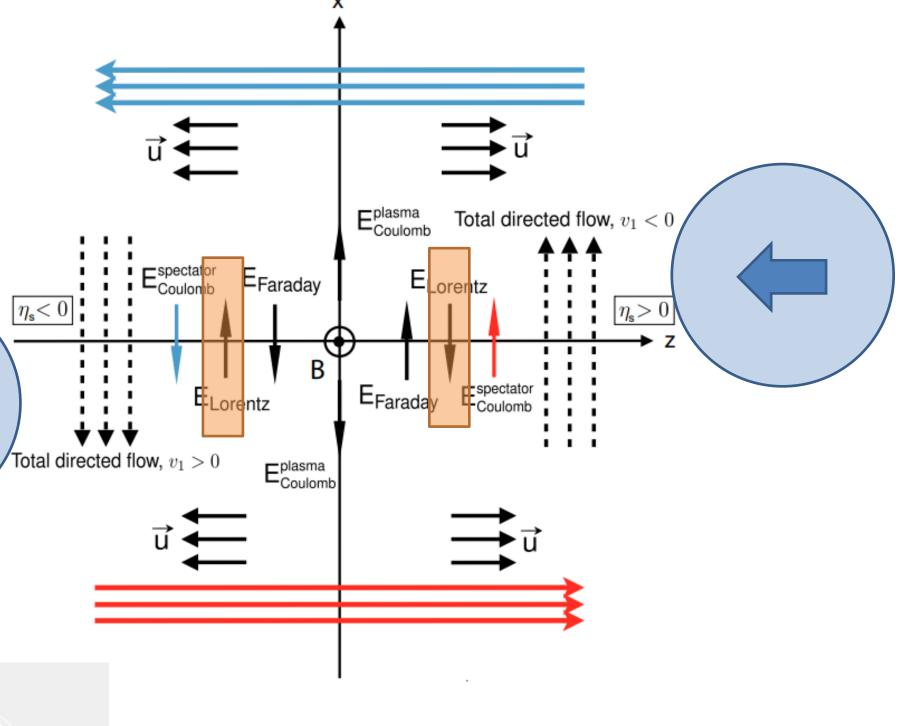






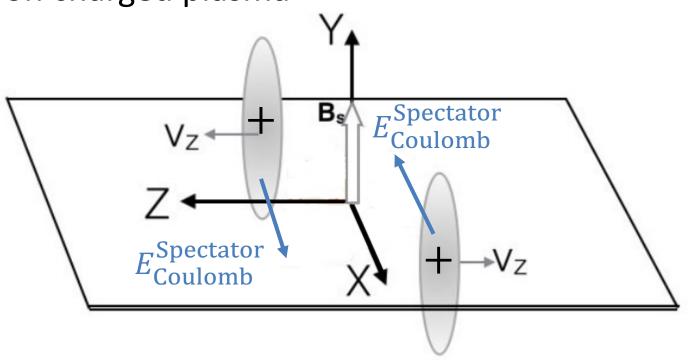
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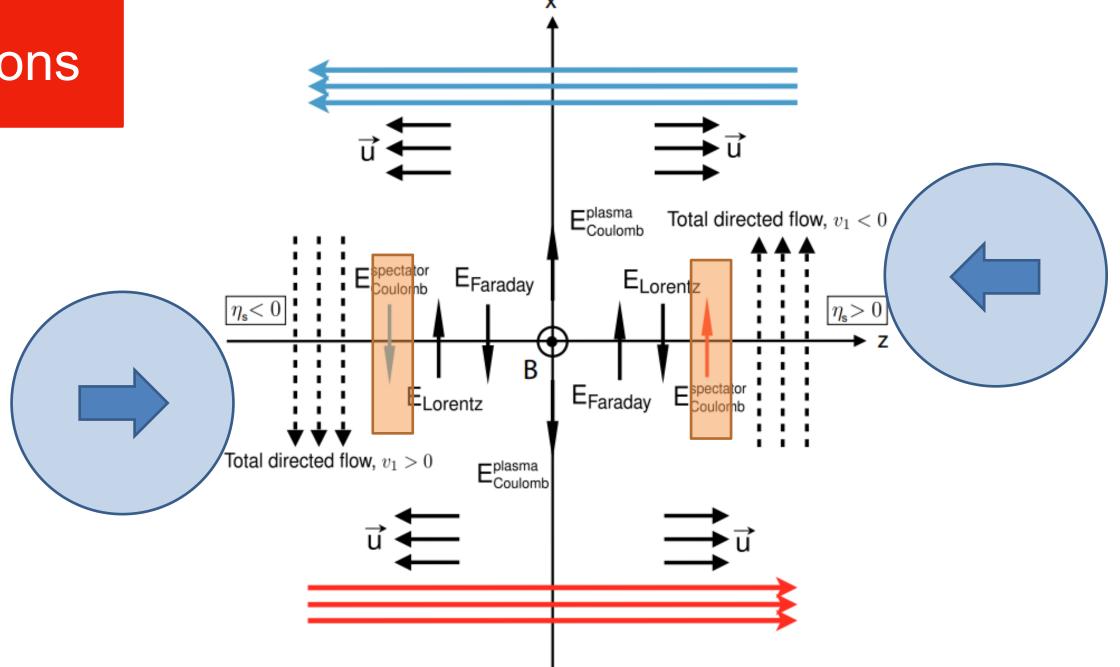






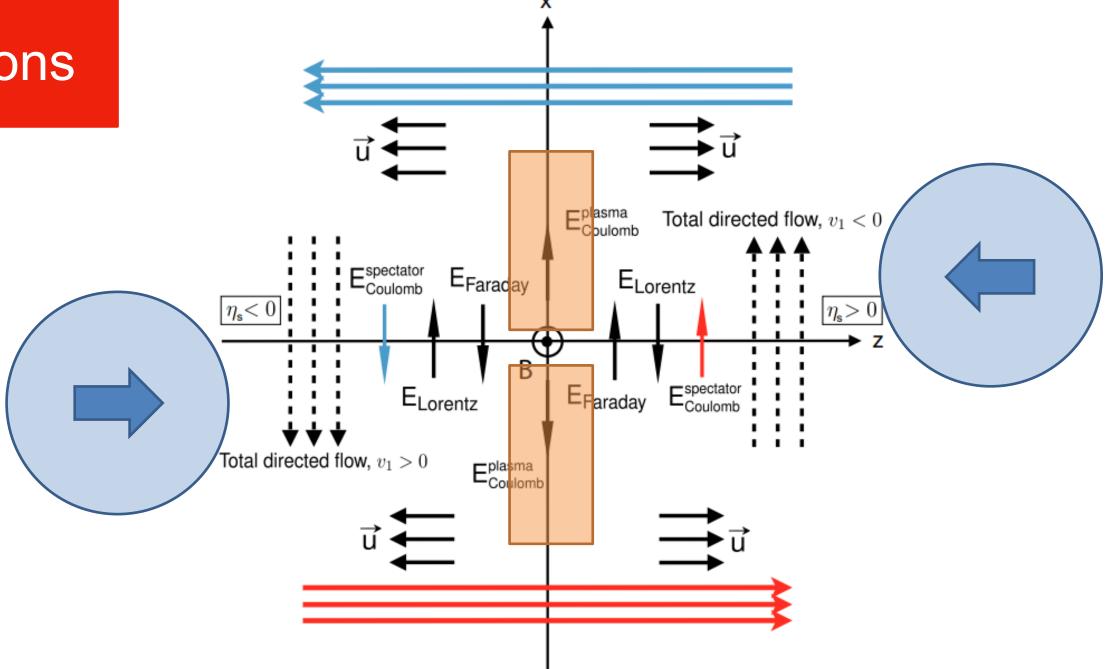
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  - **Coulomb current**: positively charged spectators passing the collision zone exerts an electric force on charged plasma





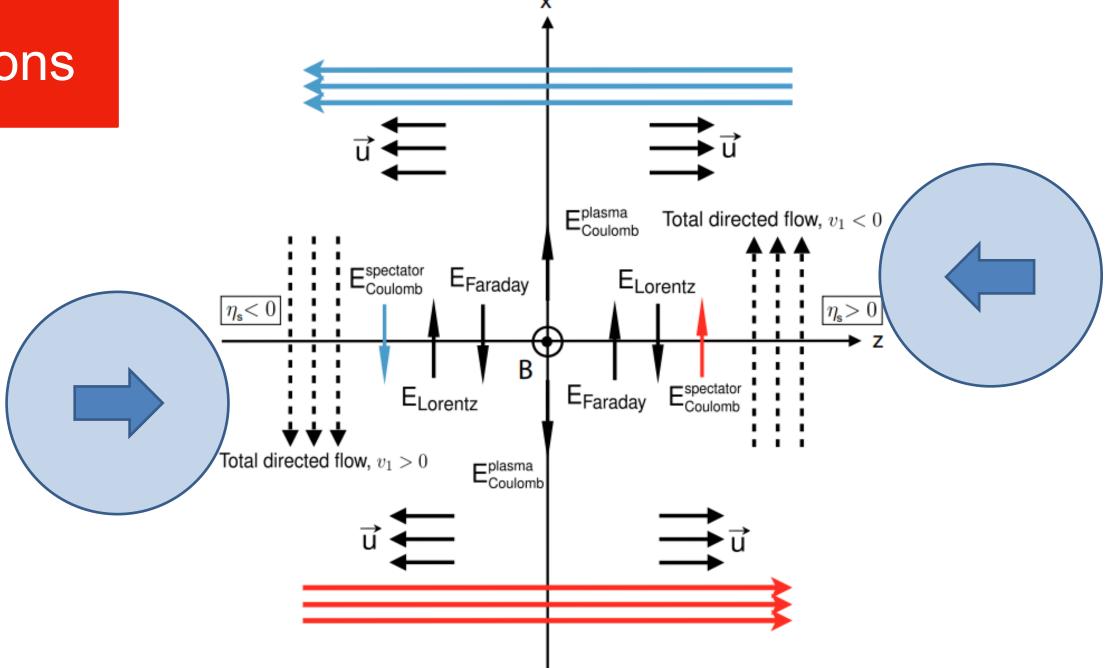


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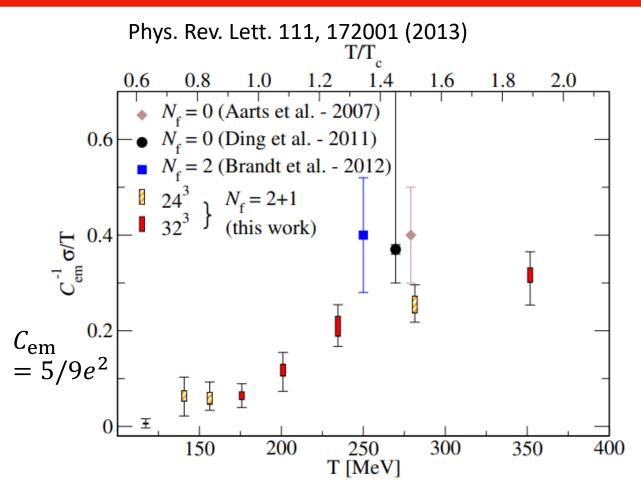




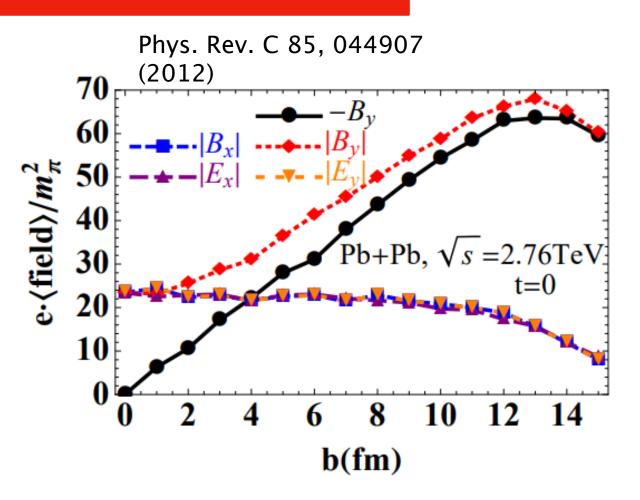
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- First three effects result in a charge-odd directed flow  $\Delta v_1$
- Fourth effect results in a non-trivial radial and elliptic flow





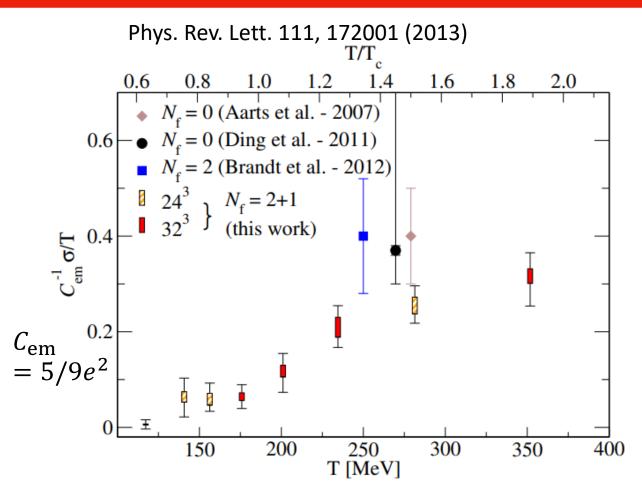


- Lattice QCD calculation suggests that the conductivity (σ) of QGP drops as the plasma cools.
- $\tau_{\rm decay} \propto \sigma \ (\tau_{\rm decay} \ {\rm time \ constant \ of} \ {\rm the \ magnetic \ field})$

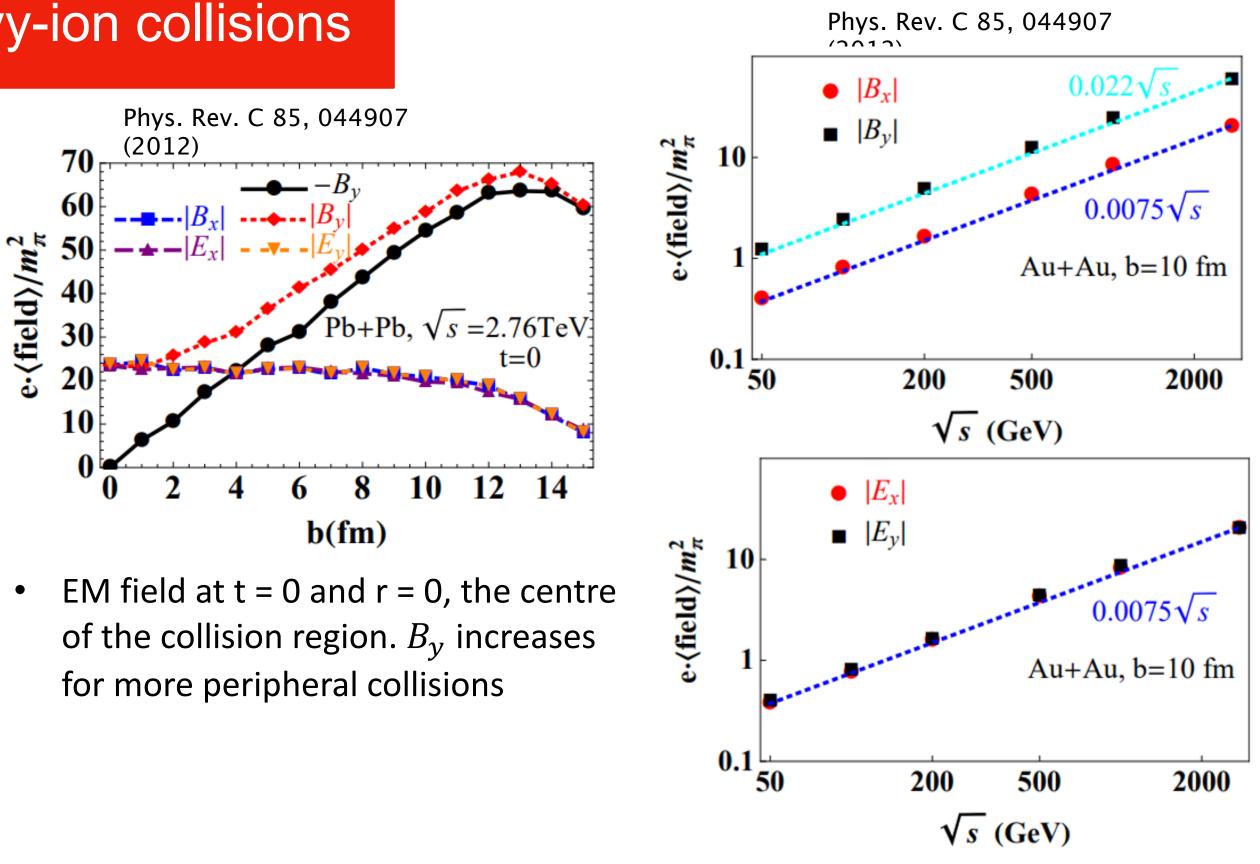


• EM field at t = 0 and r = 0, the centre of the collision region.  $B_y$  increases for more peripheral collisions

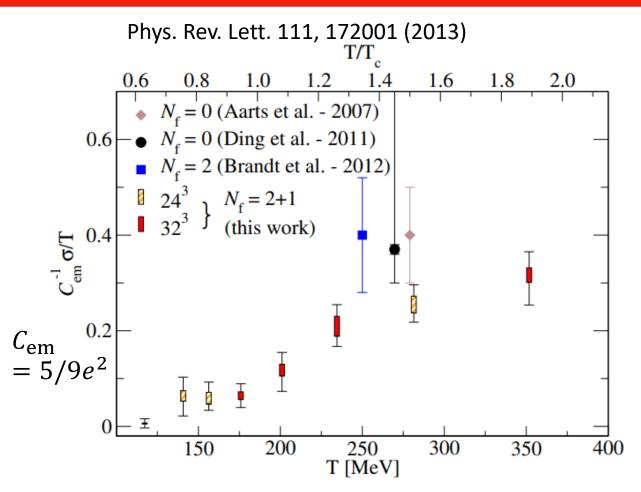




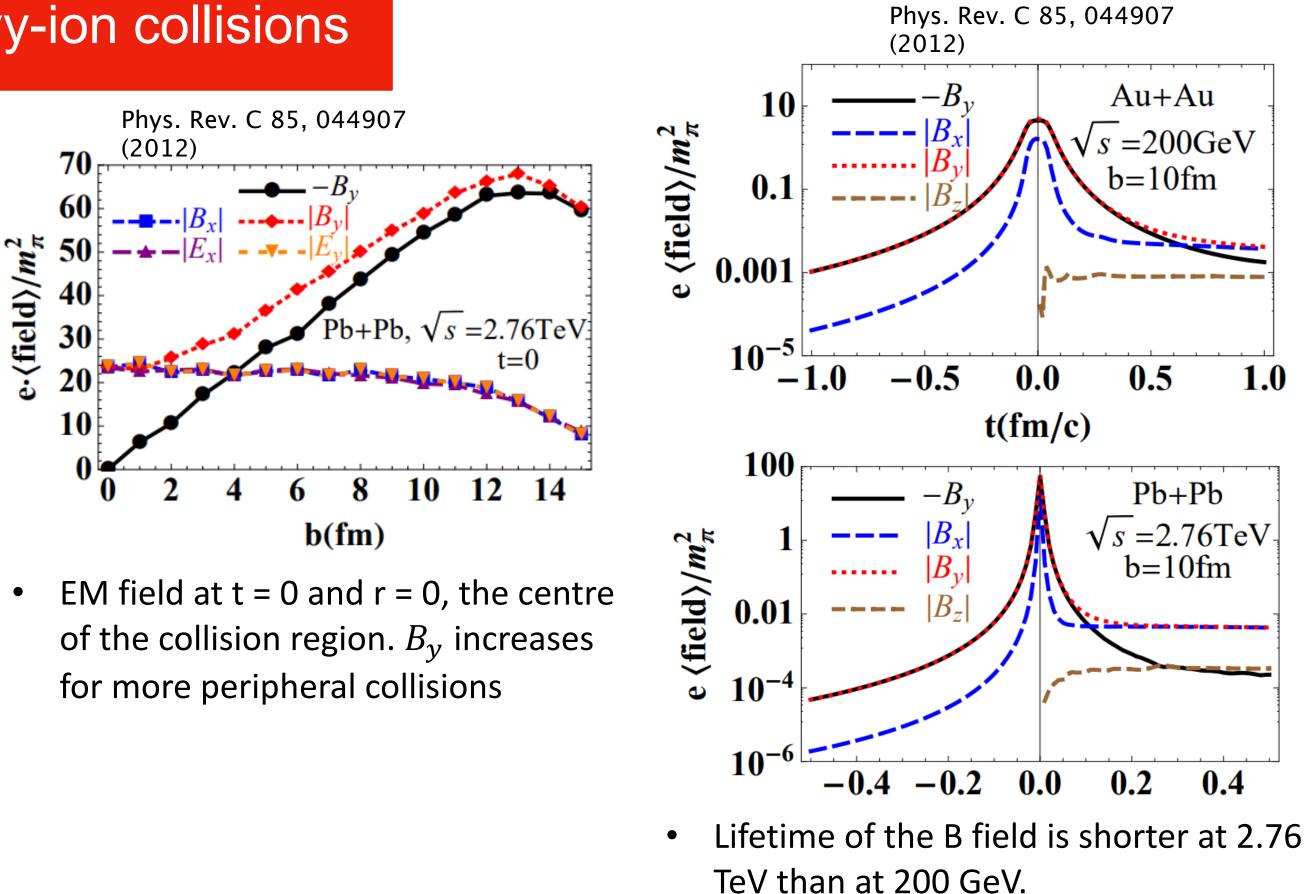
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Higher  $\sqrt{s}$  leads to higher E and B field



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[1] Phys. Lett. B 696 (2011) 328



Lifetime of QGP at ALICE is  $\sim 10 \text{ fm/c}^{[1]}$ 

## Charge-dependent directed flow

- Produced particle azimuthal distribution relative to the collision-spectator plane is directly sensitive to the presence of the electromagnetic fields
- The particle ( $\alpha$ ) azimuthal distribution:

$$\frac{dN}{d\varphi_{\alpha}} \sim 1 + 2\sum_{n} v_{n,\alpha} \cos[n(\varphi_{\alpha} - \Psi_{\rm RP})]$$

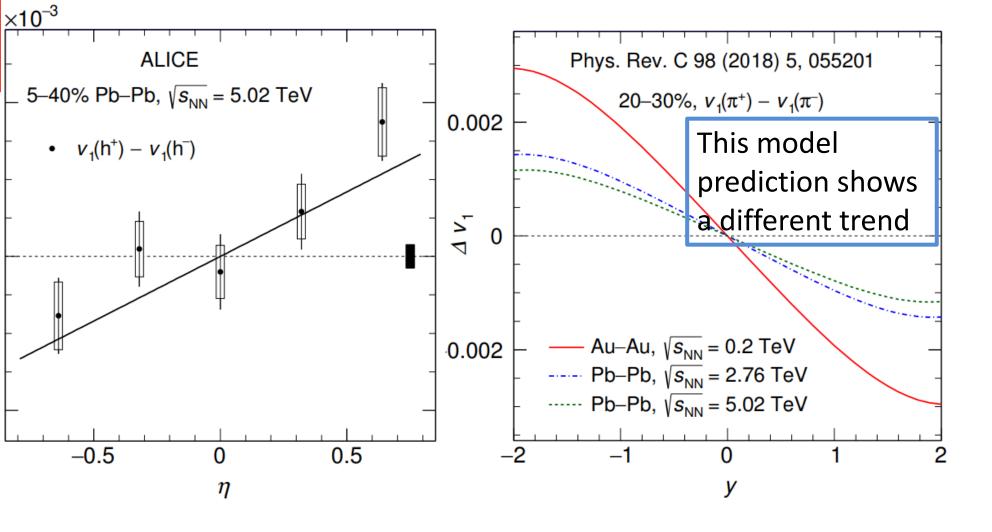
• ALICE uses the scalar-product <sup>[1]</sup> method  $\langle u_{\chi}Q_{\chi}^{A,C} + u_{\chi}Q_{\chi}^{A,C} \rangle$ 

$$v_1 = \frac{\langle u_x Q_x + u_y Q_y \rangle}{\sqrt{\left| \langle Q_x^A Q_x^C + Q_y^A Q_y^C \rangle \right|}}$$

where  $\boldsymbol{u} = (\cos \varphi, \sin \varphi)$  and  $\boldsymbol{Q}^{A,C}$  is the flow vector for ZDC at A and C side.

- $\Delta v_1 = v_1(h^+) v_1(h^-)$
- ALICE inclusive hadron measurements





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 $\Delta V_1$ 

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- ALICE inclusive hadron measurements
- ALICE Heavy-flavor measurements on  $D^0$  ( $c\overline{u}$ ) and  $\overline{D}^{\circ}$  ( $\overline{c}u$ )
  - Charm quarks produced early in the hard process experience more effect from EM field leading to a larger gradient ( $0.49 \pm 0.17(stats) \pm 0.06(syst.)$ )

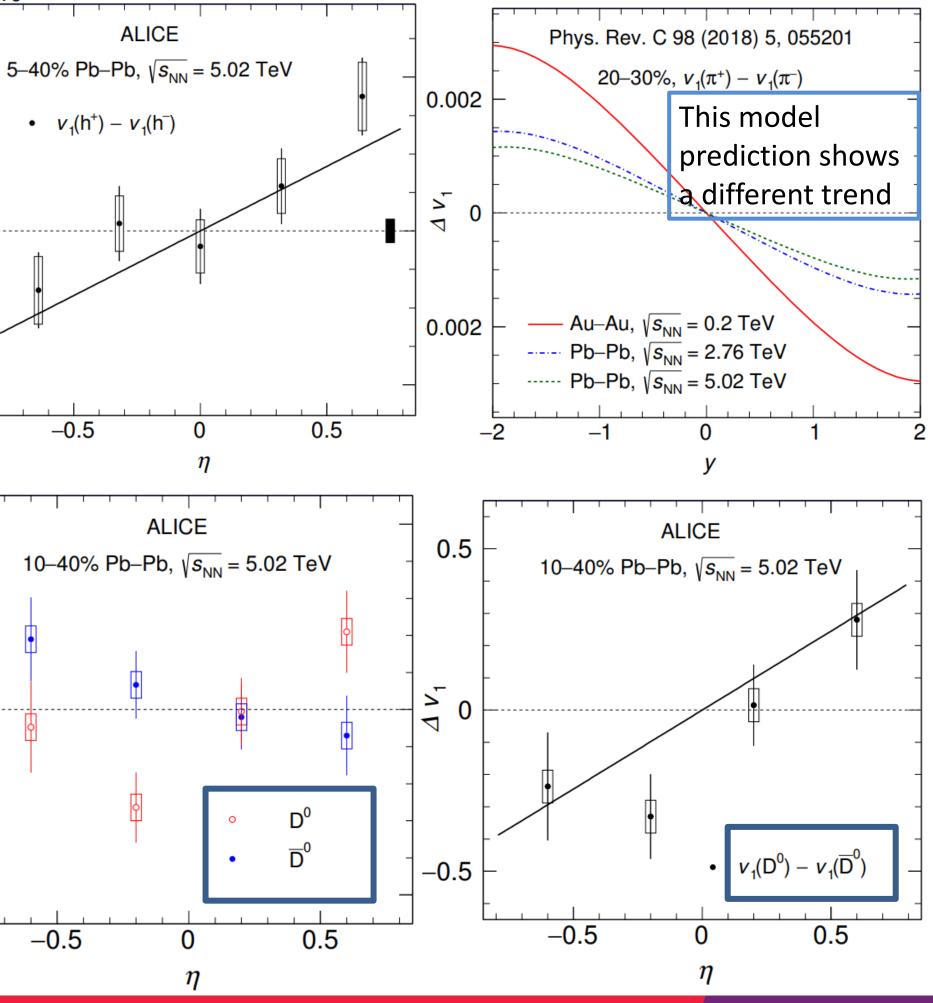
[1] Phys.Rev. C87 (2013) 044907

## -0.2 -0.50.5 ∽ 0 -0.5 -0.5

×10<sup>−3</sup>

0.2

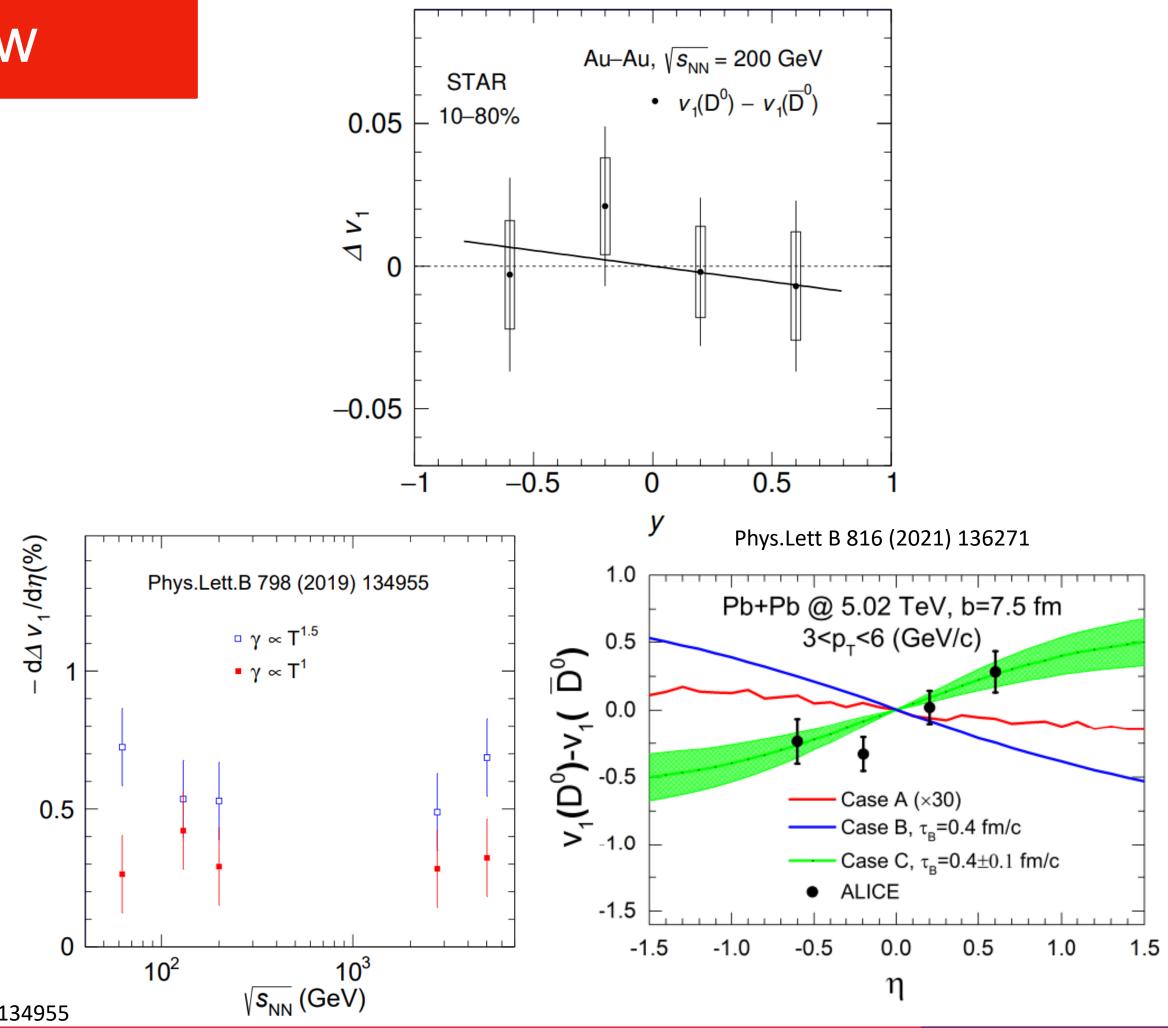
 $\Delta V_1$ 



Nikhef

### Charge-dependent directed flow

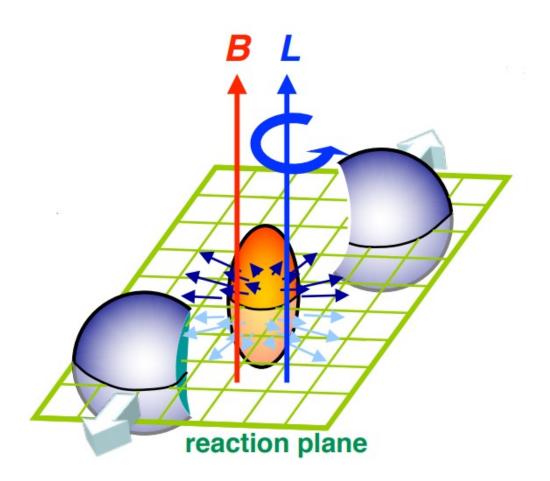
- Measurement of  $\Delta v_1$  at RHIC energy shows a slope of  $-0.011 \pm 0.034$ (stat.)  $\pm 0.020$ (syst.)
- The larger slope of  $\Delta v_1$  of D mesons at LHC might indicate a stronger effect of the Lorentz force relative to the Coulomb one
- Predictions for the dependence of the  $\Delta v_1$ for the D meson is almost flat for two choice of drag  $\gamma^{[1]}$  from the matter
- Recent model calculation using a magnetic field with a slower time evolution and with a lifetime of about 0.4 fm/c can reproduce the measurement



[1] More discussion on drag vs. Lorentz force, see Phys.Lett.B 798 (2019) 134955

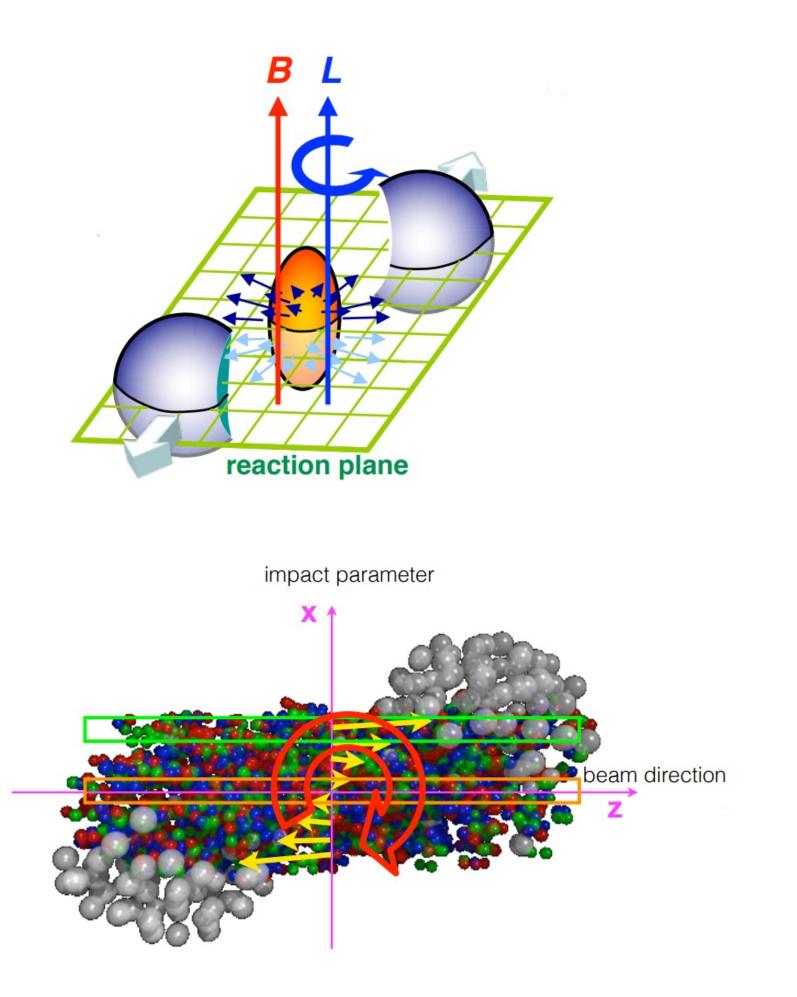
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- Global polarization: spin alignment along the initial angular momentum
- Two contributions to the global polarization:
  - Magnetic field align particles' and antiparticles' spin oppositely due to the opposite sign of magnetic moment





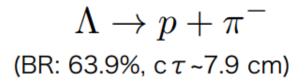
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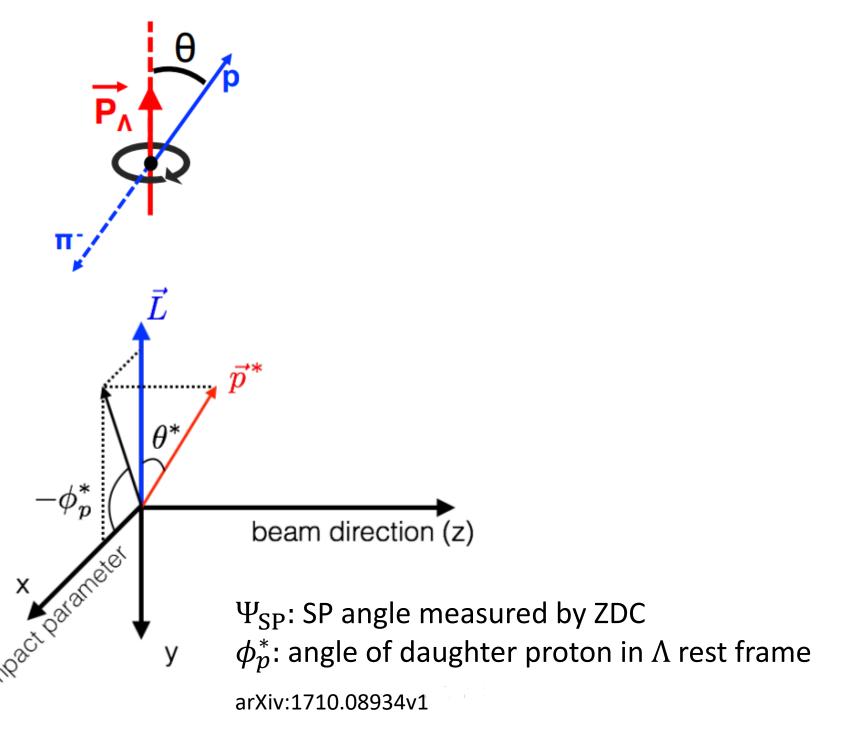




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- How to measure?
  - $\Lambda(\overline{\Lambda})$  decays dominantly into  $p + \pi$ . Protons are emitted preferentially in the direction of the  $\Lambda(\overline{\Lambda})$  spin
- The global polarization is given by

$$P_{H} = -\frac{8}{\pi \alpha_{H}} \frac{\left\langle \sin(\phi_{p}^{*} - \Psi_{SP}) \right\rangle}{R_{SP}^{(1)}}$$

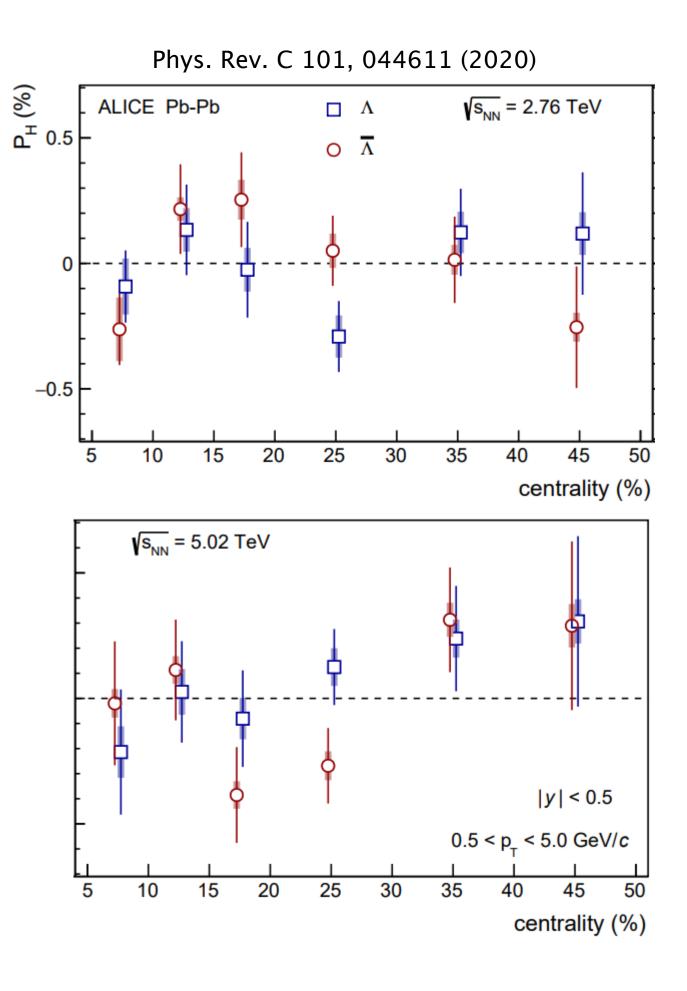






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- Confirms the observed earlier trend of the global polarization decrease with increasing  $\sqrt{s_{NN}}$
- The magnitude of B field at kinetic freeze-out can be probed by  $\Lambda - \overline{\Lambda}$  splitting:

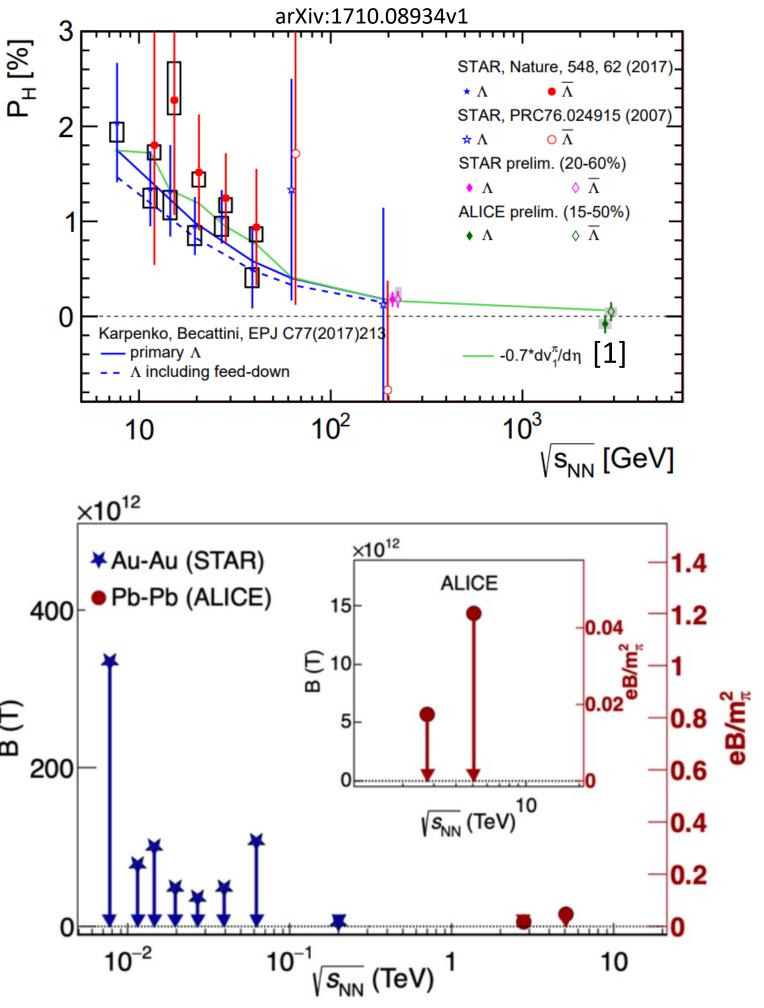
$$P_{\Lambda} \approx \frac{0.5\omega}{T} + \frac{|\mu_{\Lambda}|B}{T}, P_{\overline{\Lambda}} \approx \frac{0.5\omega}{T} - \frac{|\mu_{\Lambda}|B}{T}$$
$$\Rightarrow P_{\Lambda} - P_{\overline{\Lambda}} \approx \frac{2|\mu_{\Lambda}|B}{T}$$

• More data (100x more) in the high luminosity LHC run will help to test the predicted splitting of  $P_{\Lambda}$  and  $P_{\overline{\Lambda}}$  better

[1] Advances in High Energy Physics, vol. 2016, Article ID 2836989

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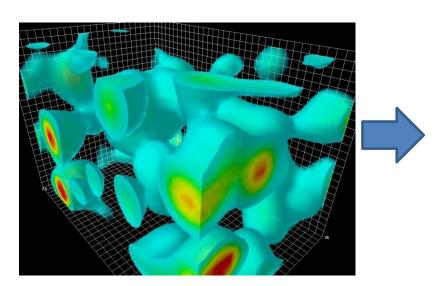
B (T)



• CME: The generation of electric current along an external magnetic field induced by chirality imbalance.



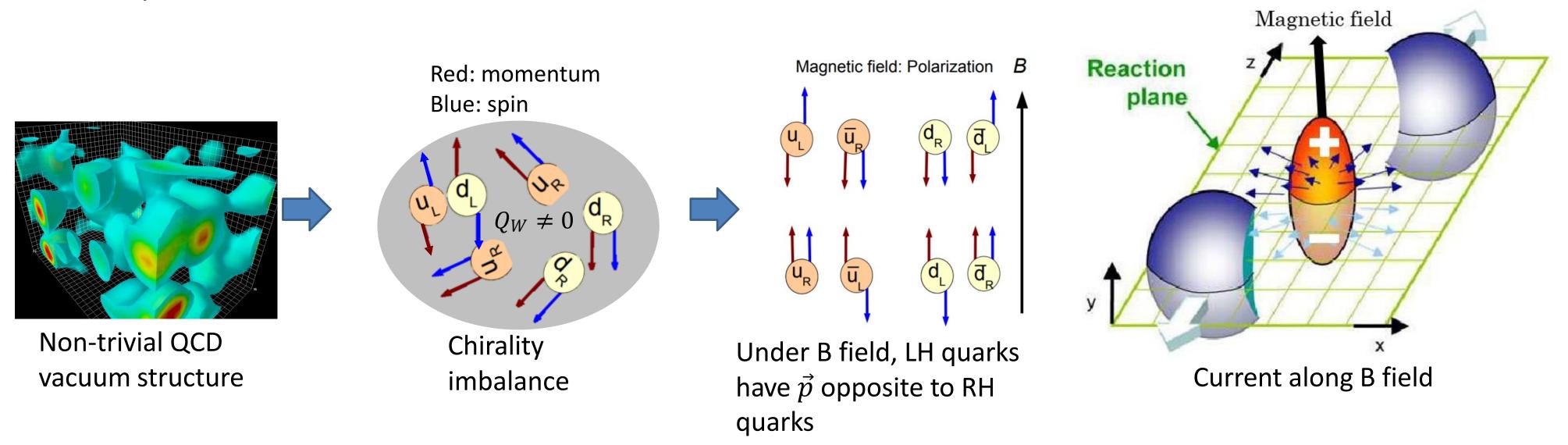
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Non-trivial QCD vacuum structure Red: momentum Blue: spin Chirality imbalance



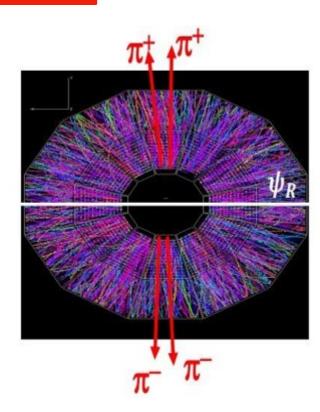
• CME: The generation of electric current along an external magnetic field induced by chirality imbalance.



• Discovery of the CME implies: chiral symmetry restoration, local P/CP violation that may solve the strong CP problem



• The commonly used  $\Delta \gamma$  observable  $\gamma_{\alpha\beta} = \langle \cos(\varphi_{\alpha} + \varphi_{\beta} - 2\Psi_{RP}) \rangle$   $\gamma_{\pm\mp} > 0, \gamma_{\pm\pm} < 0$  $\Delta \gamma = \gamma_{\pm\mp} - \gamma_{\pm\pm} > 0$ 

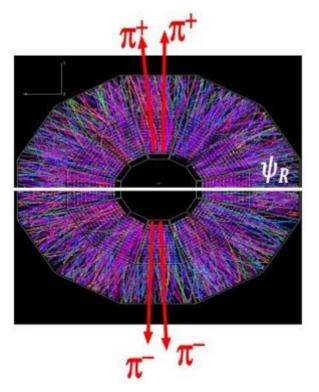


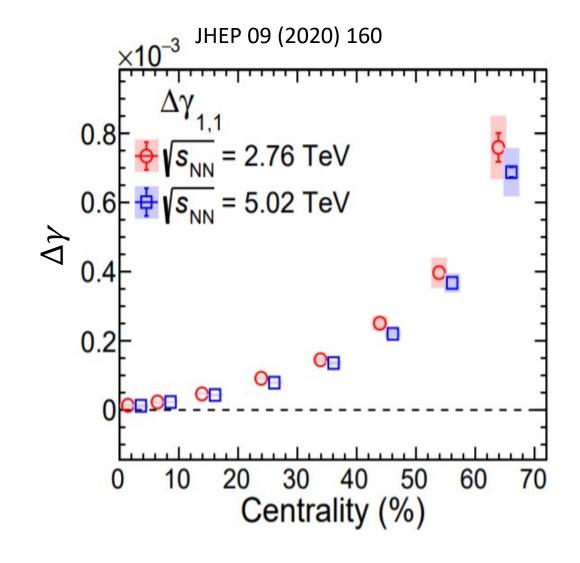


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$$\begin{aligned} \gamma_{\alpha\beta} &= \left\langle \cos \left( \varphi_{\alpha} + \varphi_{\beta} - 2 \Psi_{\text{RP}} \right) \right\rangle \\ \gamma_{\pm\mp} &> 0, \gamma_{\pm\pm} < 0 \\ \Delta \gamma &= \gamma_{\pm\mp} - \gamma_{\pm\pm} > 0 \end{aligned}$$

• ALICE previous measurement showed that  $\Delta \gamma$  significantly > 0.



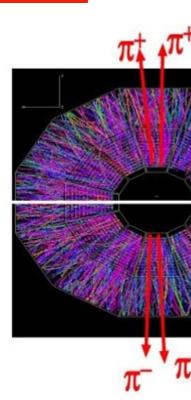


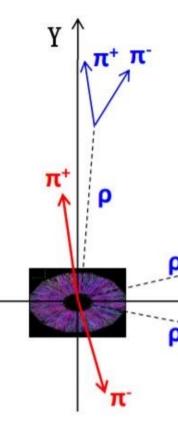


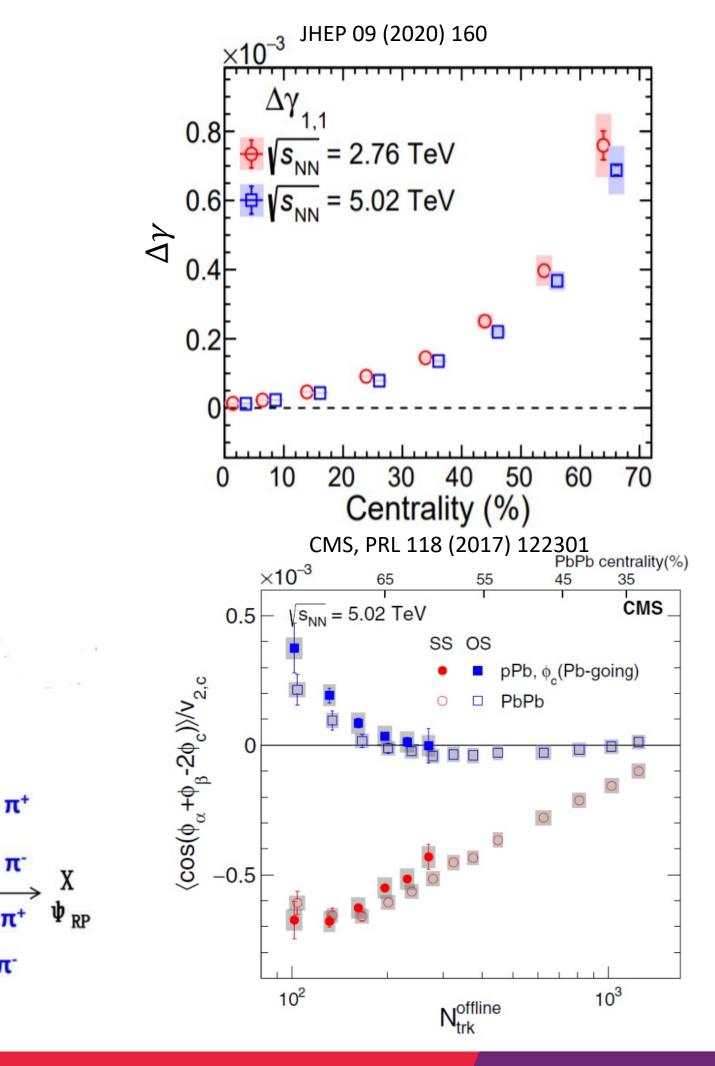
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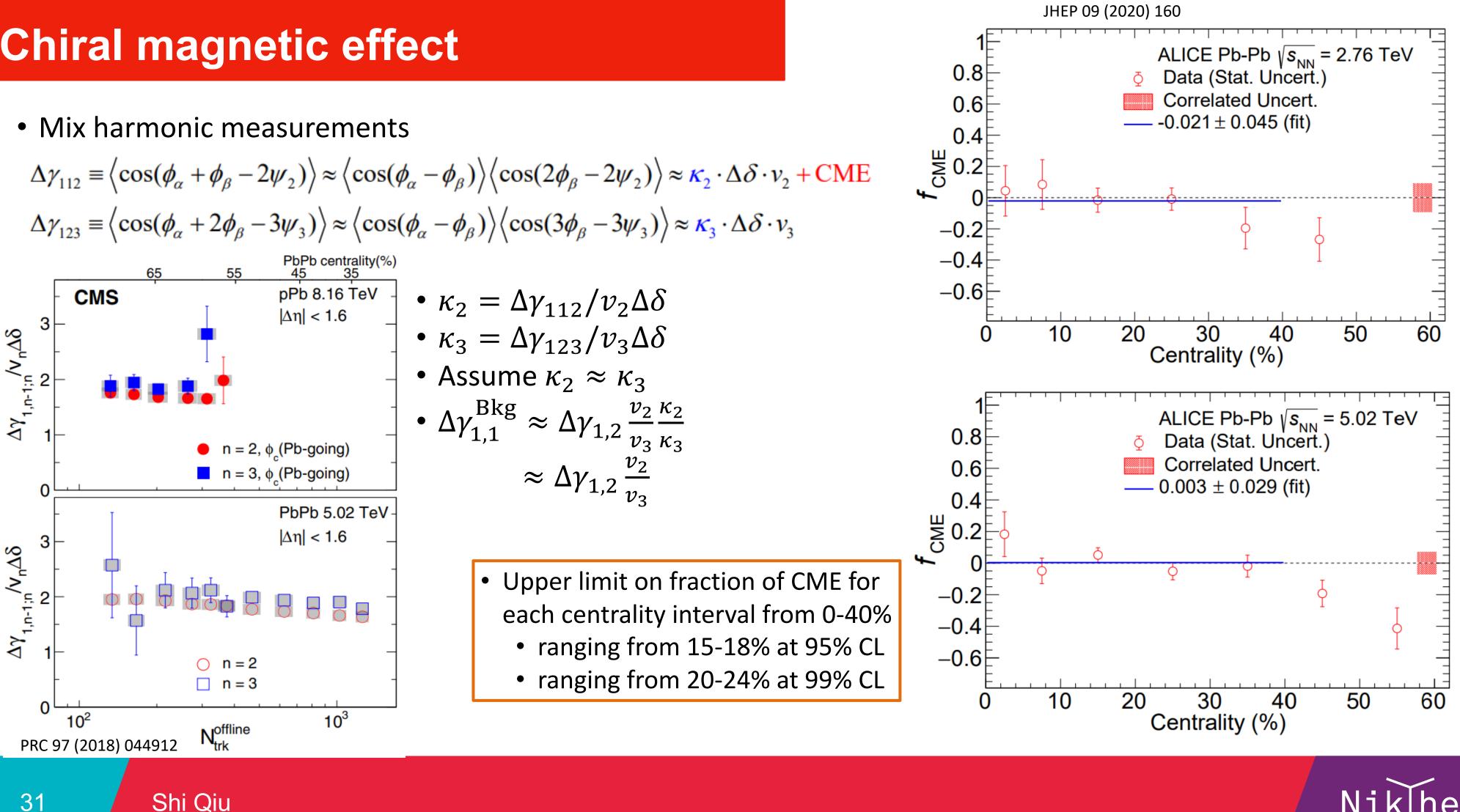
- ALICE previous measurement showed that  $\Delta \gamma$  significantly > 0.
- However,  $\Delta \gamma$  is heavily contaminated by local charge conservation (LCC) and resonance decays, mainly coupled with elliptic flow (noted as  $v_2$ )
  - e.g.  $\rho^0 \rightarrow \pi^+ \pi^-$ , more OS pairs align in the  $\Psi_{RP}$  than *B* direction
- Similar value of γ observed in small system (no CME expected, pPb) confirming that the background is huge







Nikhef

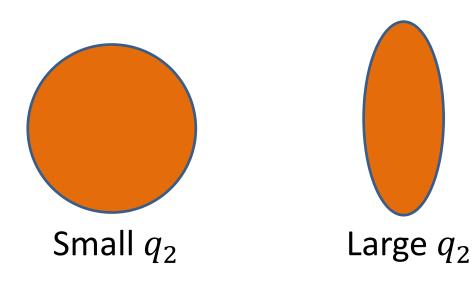


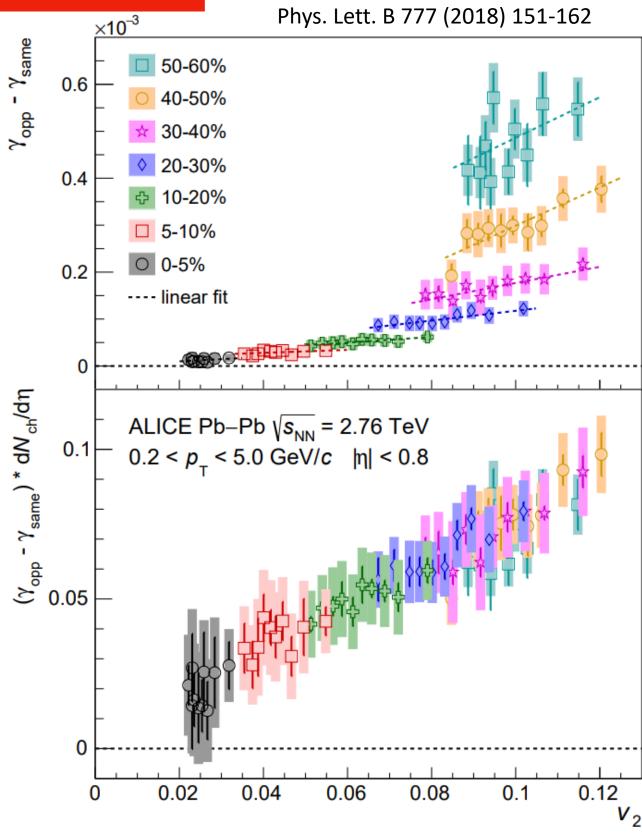


- Event-Shape-Engineering
  - Define the second-order reduced flow vector

$$Q_{2,x} = \sum_{i}^{M} \cos(2\phi_{i}), Q_{2,y} = \sum_{i}^{M} \sin(2\phi_{i})$$
$$q_{2} = |\mathbf{Q}_{2}| / \sqrt{M} = \sqrt{Q_{2,x}^{2} + Q_{2,y}^{2}} / \sqrt{M}$$

- Use  $q_2$  to select different geometry. Use  $v_2$  to quantify event anisotropy
- A significant CME contribution  $\rightarrow$  non-zero intercepts at  $v_2 = 0$  (still the non-zero intercept has background from LCC)



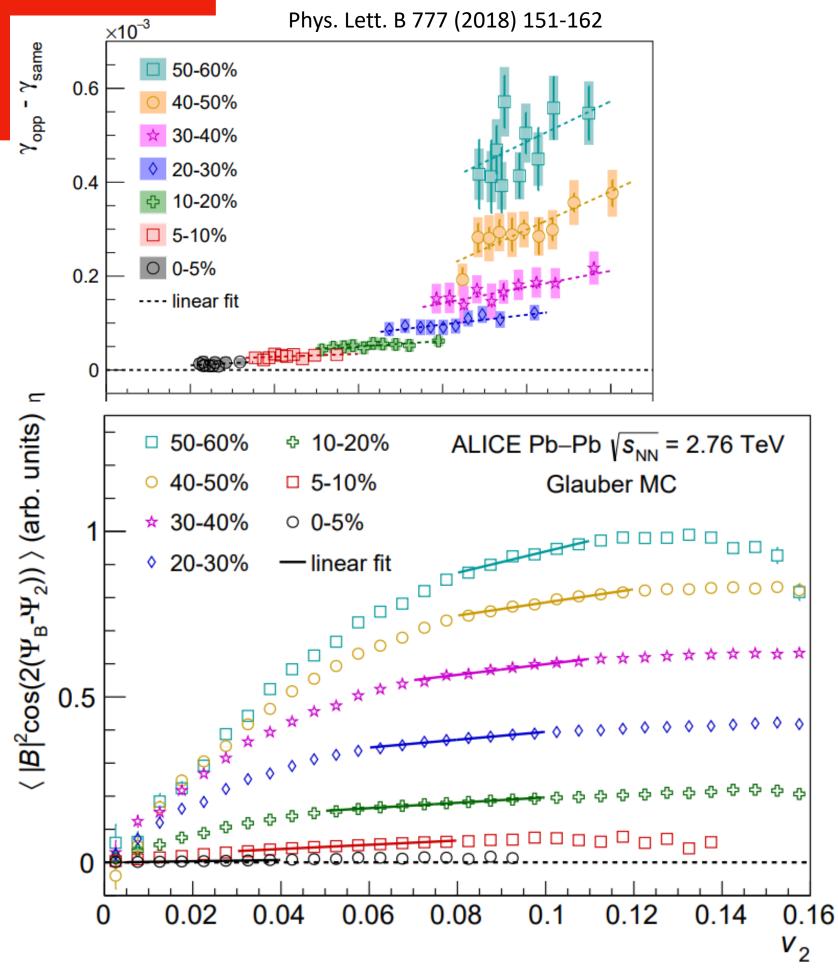




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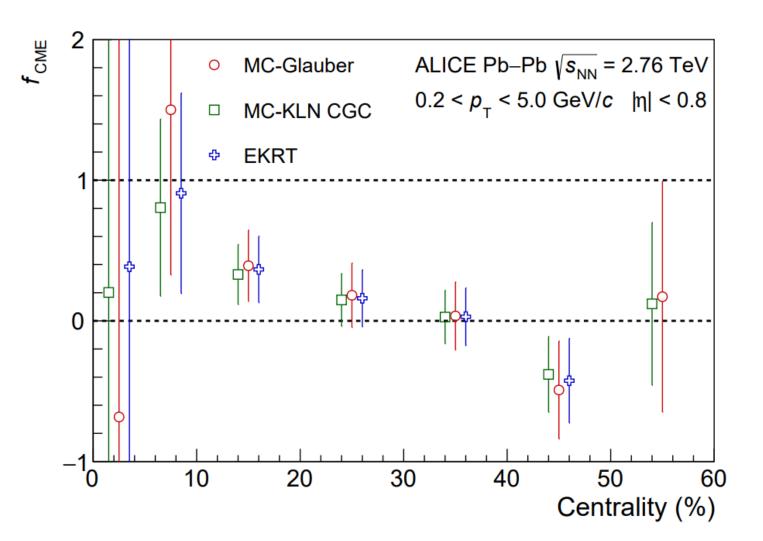




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- Using three different initial-state models to estimate the dependence of CME signal to  $v_2$
- The extracted CME fraction for three models used in the study suggests an upper limit on  $f_{\rm CME}$  of 26 to 33% (depending on initial-state models) at 95% CL for the 10-50% centrality interval



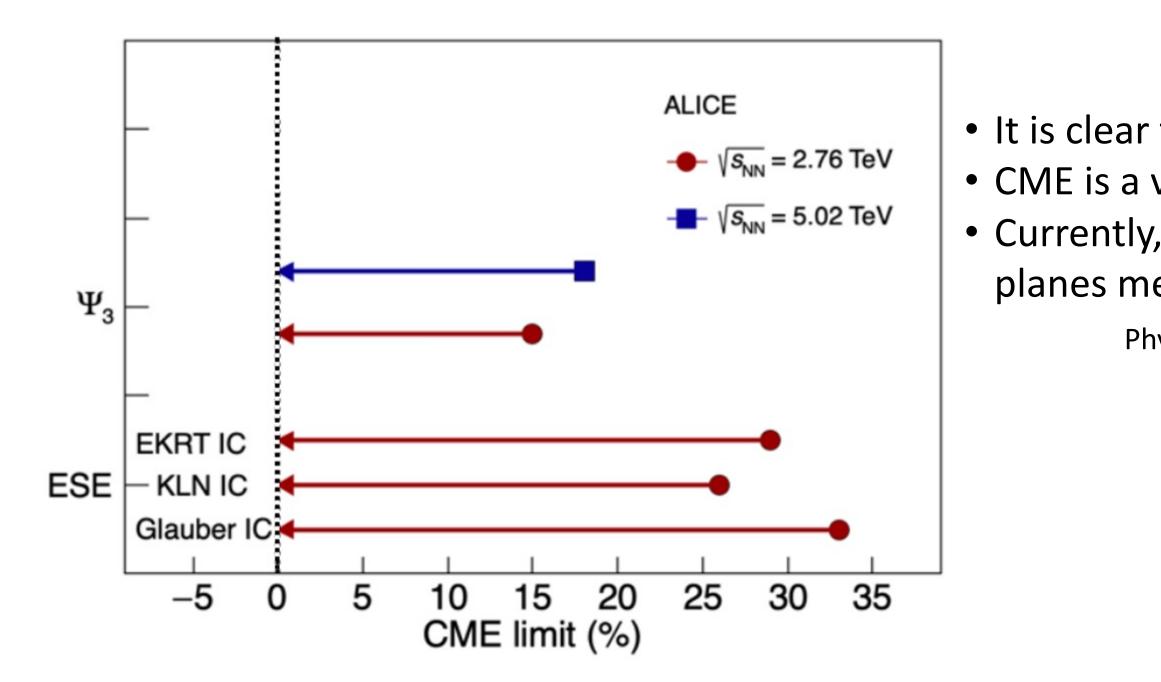


Phys. Lett. B 777 (2018) 151-162

Weak dependence on initial states



• A summary of the results for the upper limits for the CME signal at ALICE



It is clear that background is dominant
CME is a very important physics. We have to quantify it
Currently, the work on using the Spectator/participant planes method is ongoing

PhysRevC.105.024913



#### Summary

- The early-stage EM field can affect the motion of the final state particles via measurements of directed flow for particles and antiparticles.
- The differences in the measured global polarisation of  $\Lambda$  and  $\overline{\Lambda}$  provide an upper limit for the magnitude of the magnetic field
- Direct studies for the existence of the CME in Pb-Pb collisions yielded upper limits of 26 to 33% for ESE and 15-18% at 95% CL for mix harmonic for the 0–40% centrality interval



# THANKS

Shi Qiu



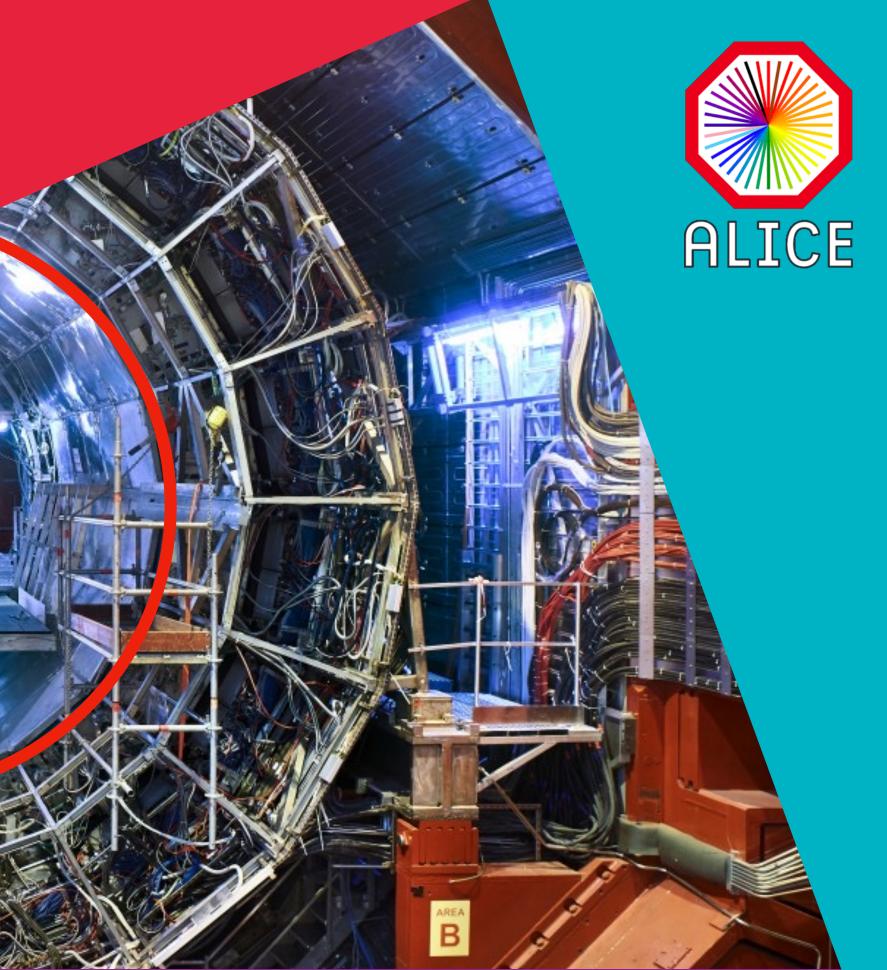




# **Extra Slides**

В

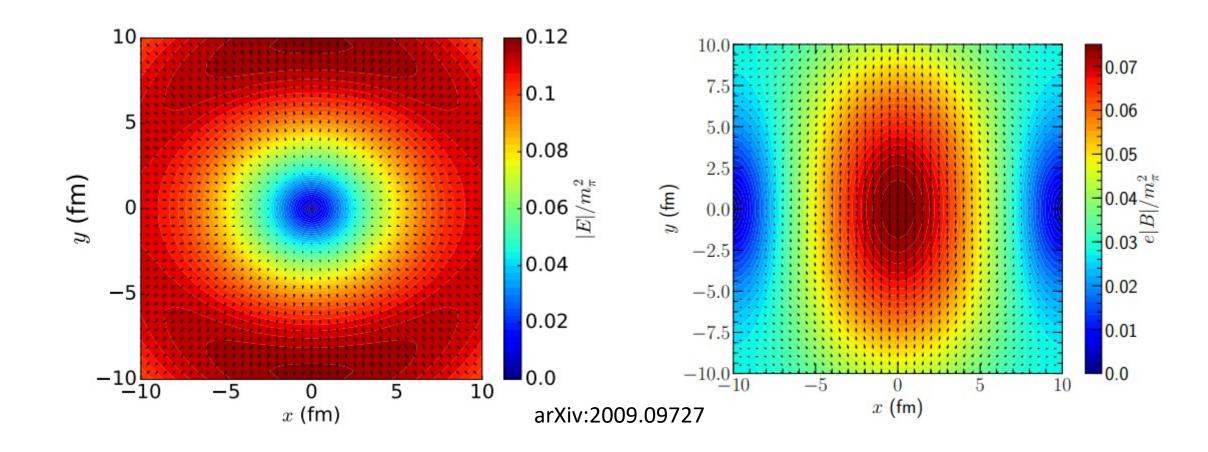






#### Nikhef Jamboree, 10th 5/2022

## **EB field simulation**



Simulation of the electric (left) and magnetic (right) fields in the transverse plane after a Pb–Pb collision at 2.76TeV with 20–30% centrality



