

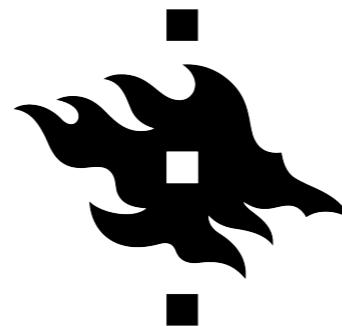
# Reconstructing phase transitions from future LISA data

Deanna C. Hooper

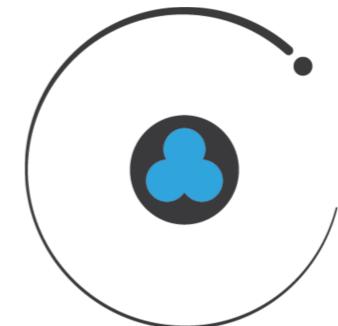
*(they/them)*

*Mostly based on 2209.13551*

**LISA CosWG Workshop**  
**7<sup>th</sup> June 2023**

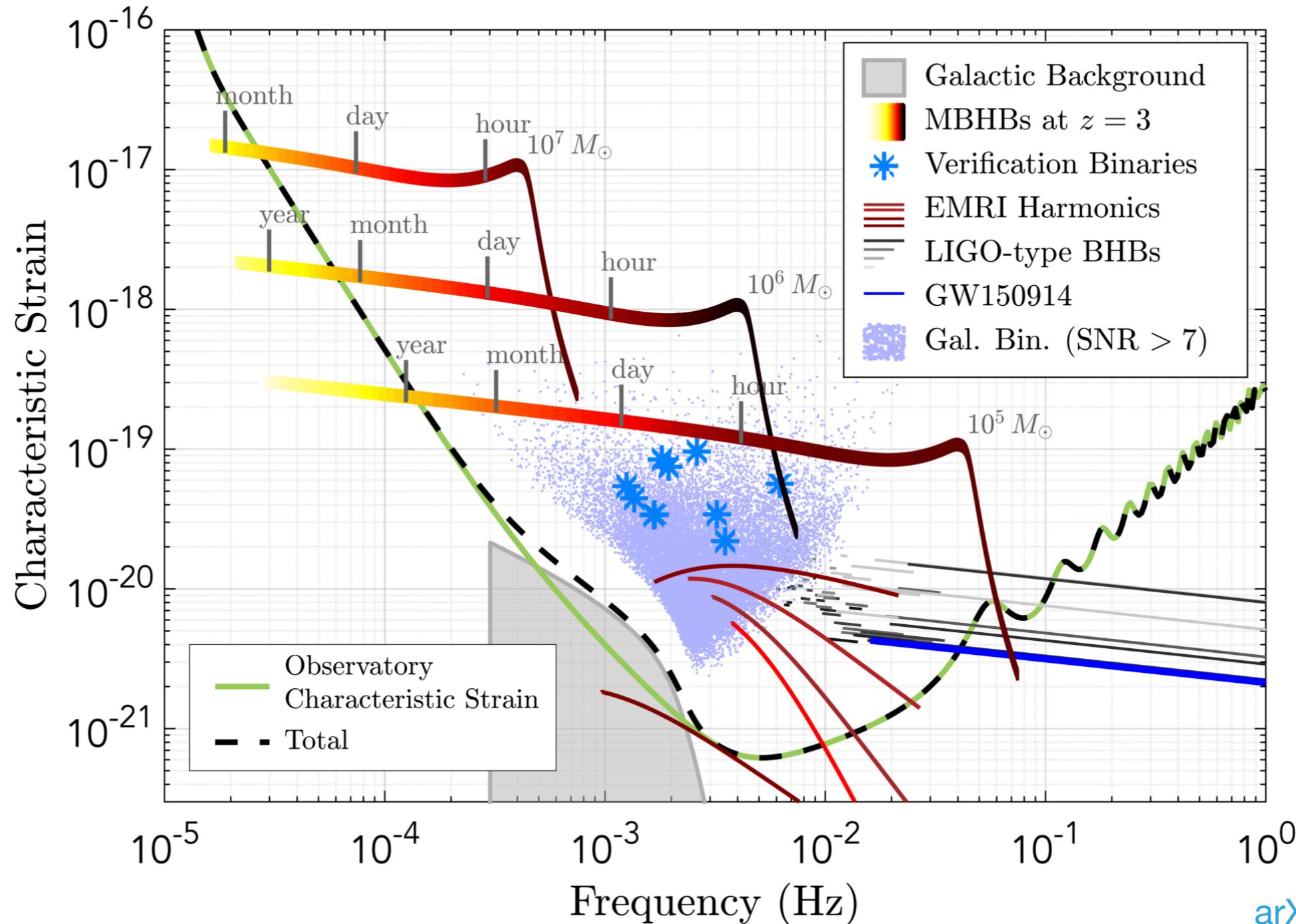


HELSINGIN YLIOPISTO  
HELSINGFORS UNIVERSITET  
UNIVERSITY OF HELSINKI

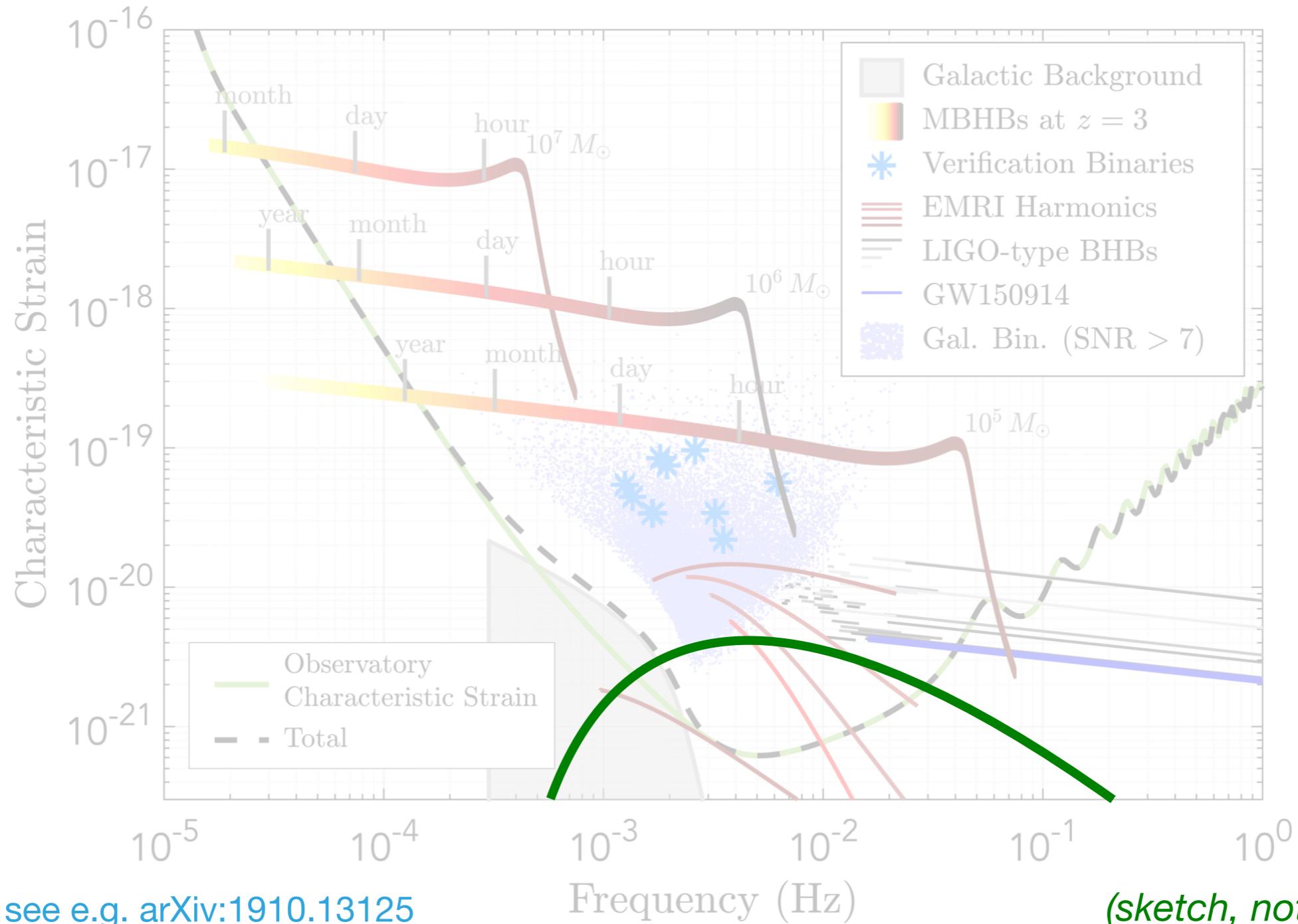


HELSINKI  
INSTITUTE OF  
PHYSICS

# LISA will measure a lot of astrophysical sources of GW



# A stochastic GW background from a phase transition would be behind everything else



For a review, see e.g. arXiv:1910.13125

(sketch, not a real model)

# We can go from a particle physics model to an SNR; we want to invert the process

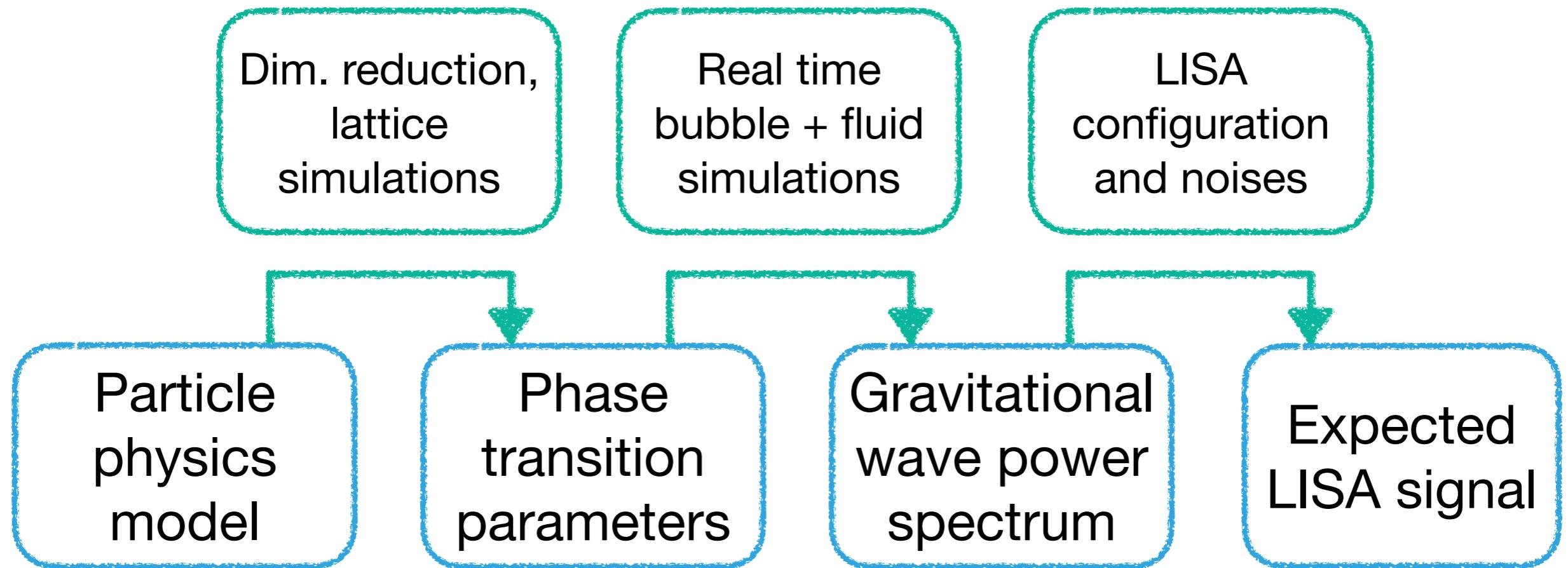
Particle  
physics  
model

Phase  
transition  
parameters

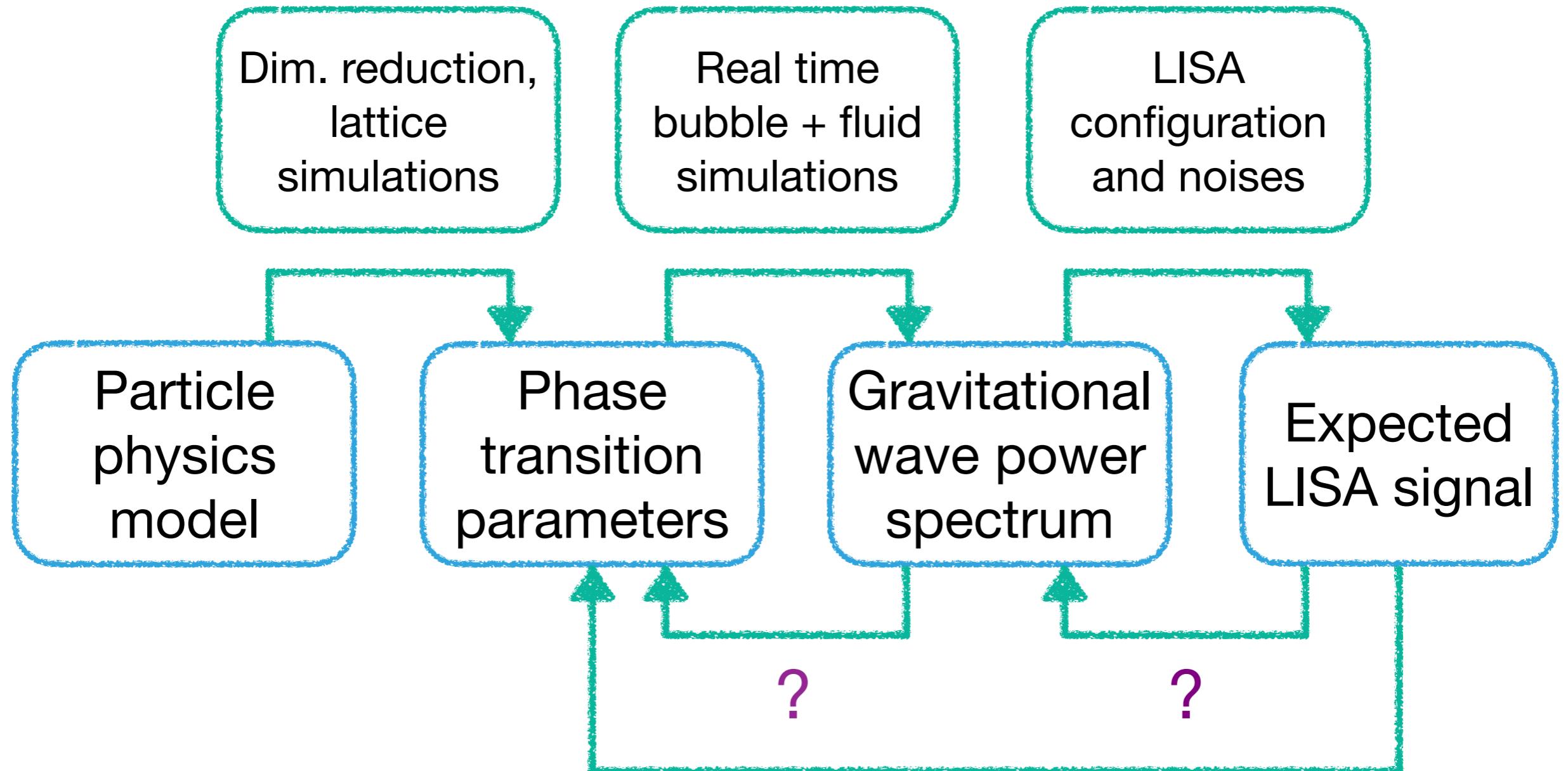
Gravitational  
wave power  
spectrum

Expected  
LISA signal

# We can go from a particle physics model to an SNR; we want to invert the process



# We can go from a particle physics model to an SNR; we want to invert the process



Also seen in Eric Madge's talk on Tuesday!

?

# You can directly sample on the PT parameters... if you are patient

## 1. Choose a set of PT parameters

$\alpha$  : Phase transition strength

$r_*$  : Hubble-scaled mean bubble spacing

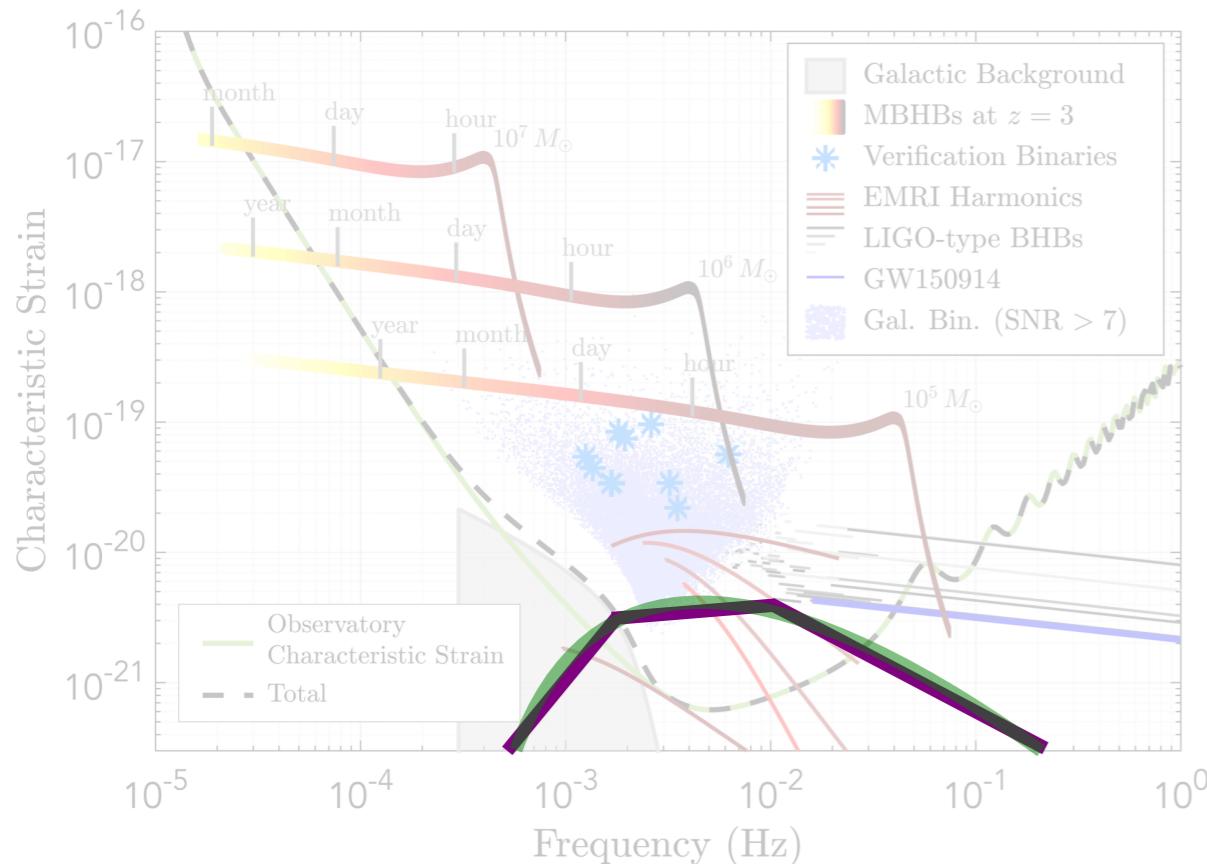
$T_n$  : Bubble nucleation temperature

$v_w$  : Wall velocity

2. Run simulations or use existing approximations (like Sound Shell Model<sup>\*</sup>) to get GW power spectrum. We use PTtools for the power spectra
3. Compare to (mock) LISA data with an MCMC analysis

\* arXiv:1608.04735, 1909.10040

# We propose to use template spectra with a remapping to PT parameters



1. Use a template for the GW signal: we choose a double broken power law\*
2. Create a mapping between PT and spectral parameters - only needs to be done once!
3. Run MCMC on spectral parameters, use mapping to reconstruct PT parameters (we include instrument noise)

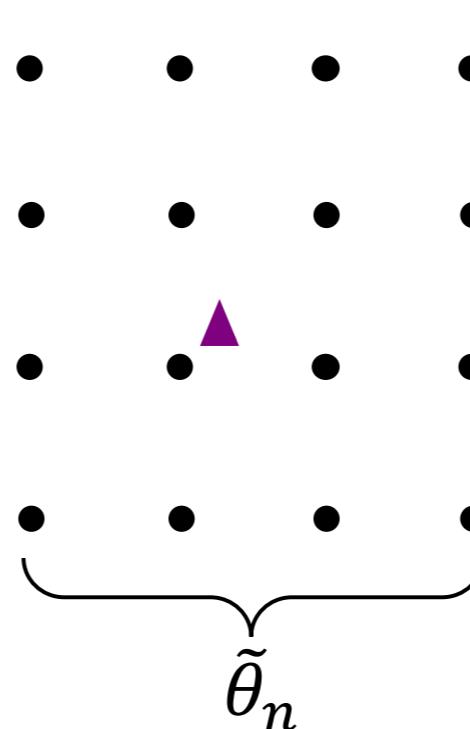
Careful with priors - choose spectral priors based on mapping

\* arXiv:1608.04735

# Mapping done by building a grid and interpolating with nearest neighbours

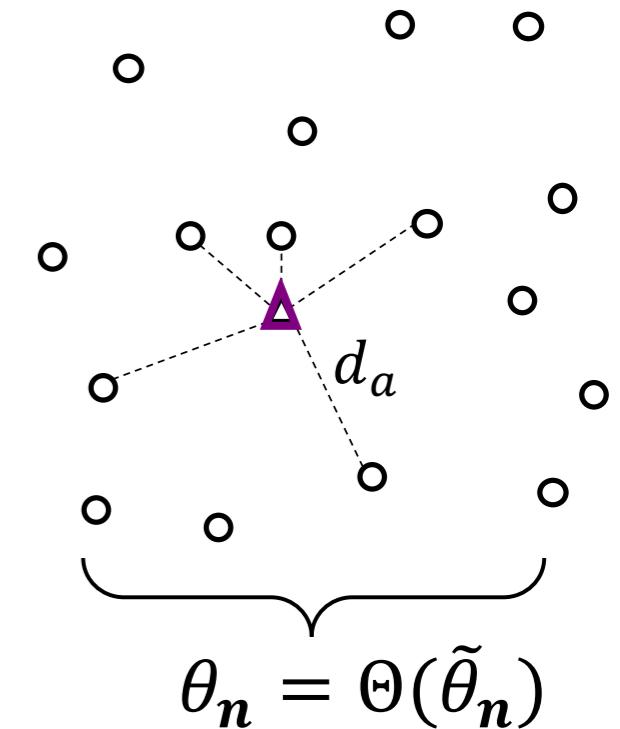
arXiv:2209.13551

1. Build grid of PT parameters



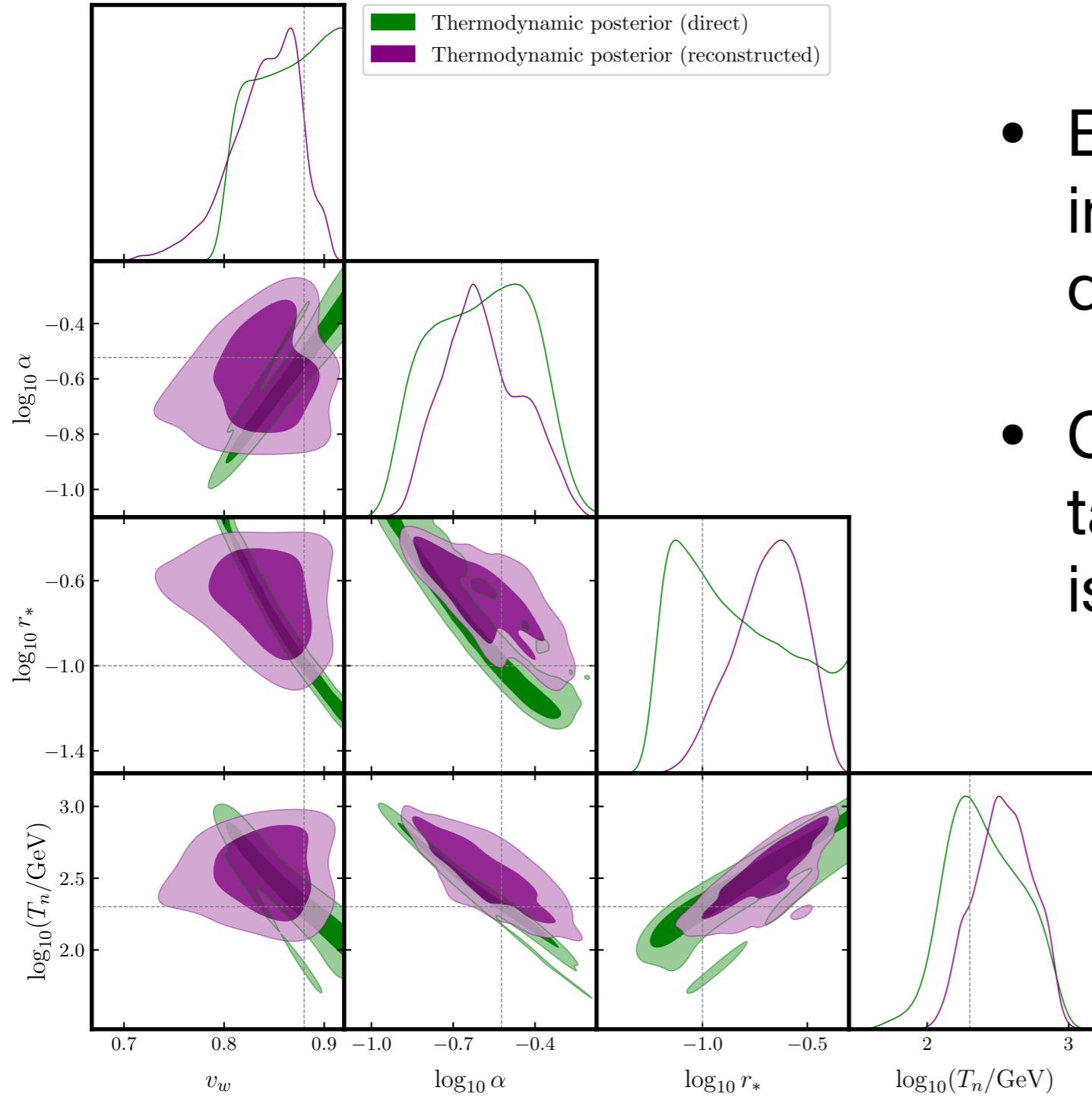
$$\Theta \rightarrow$$

2. Find corresponding spectral parameters



3. For a point in spectral parameter space, use nearest neighbours interpolation in spectral grid to reconstruct PT parameters

# Direct sampling and reconstruction give similar results, latter is $\mathcal{O}(10^3)$ faster



MCMCs done with Cobaya, arXiv:2005.05290

- Both approaches recover injected signal (dashed lines), direct is more precise
- Creating the first mapping takes time, but reconstruction is much faster

$\alpha$  : Phase transition strength

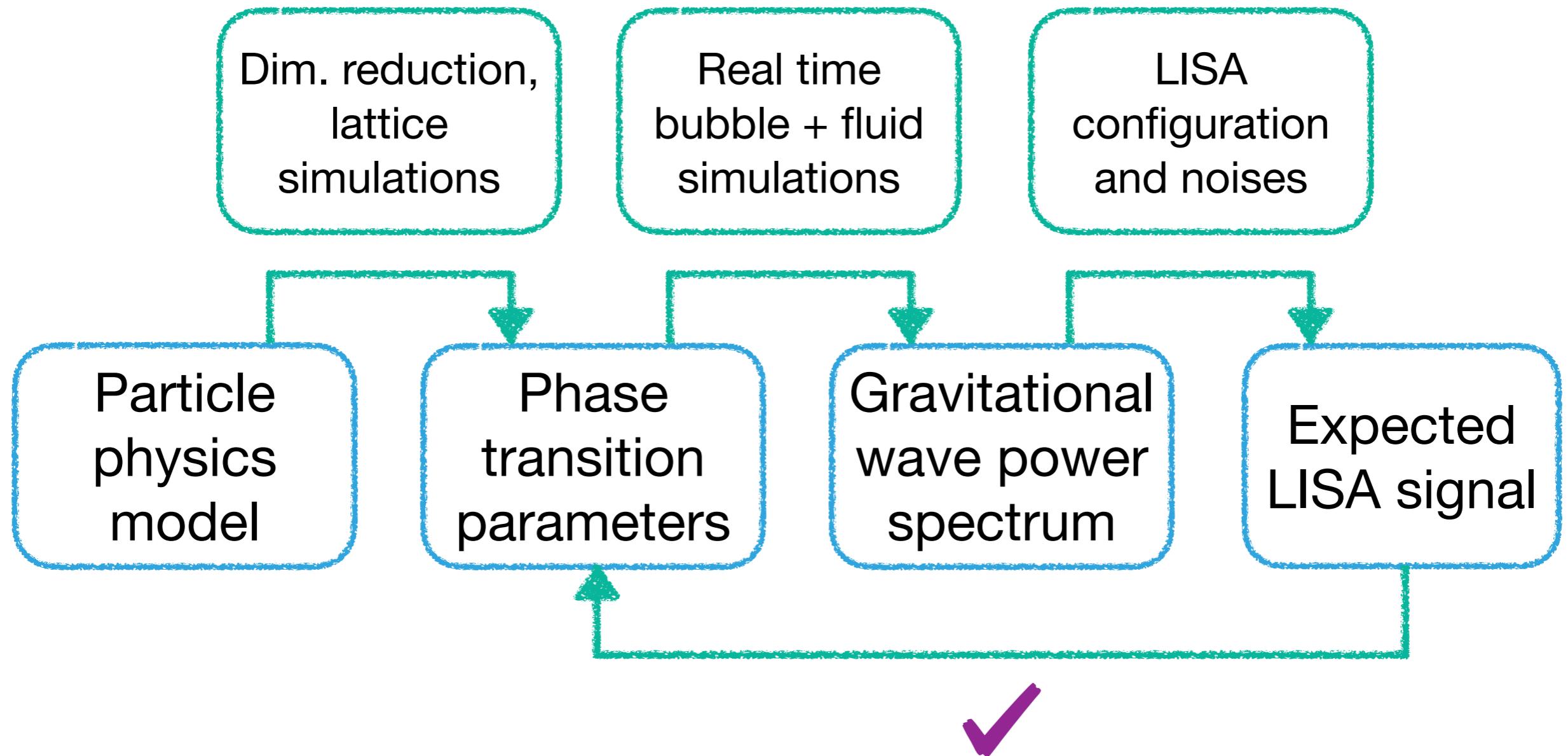
$r_*$  : Hubble-scaled mean bubble spacing

$T_n$  : Bubble nucleation temperature

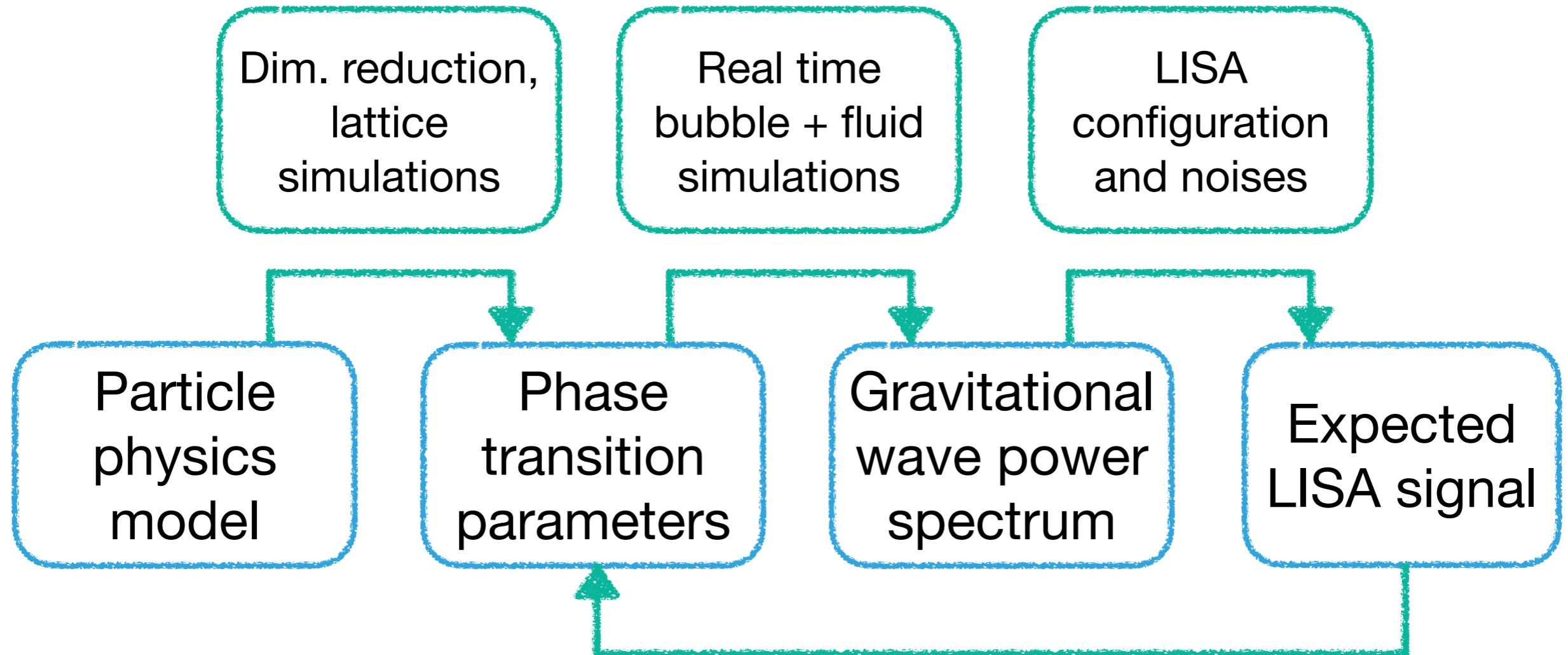
$v_w$  : Wall velocity

arXiv:2209.13551

# We can get PT parameters from GW spectrum. Can we get a SGWB spectrum from LISA?



# We can get PT parameters from GW spectrum. Can we get a SGWB spectrum from LISA?



What if we add more realistic noise?

# We are making more realistic mock LISA data with more noise sources

Ongoing project with M. Hindmarsh,  
T. Minkkinen, D. J. Weir

1. Create mock LISA data using  
LISA simulation pipeline\* with:

i. Instrument noise

ii. Broken power law PT signal

iii. Confusion noise from galactic white dwarf binaries

2. Run MCMC to see if we recover injected signals†

\* Developed by the LISA data-processing group

1 [zenodo.org/record/7700361](https://zenodo.org/record/7700361)

2 [zenodo.org/record/6798946](https://zenodo.org/record/6798946)

3 arXiv: 2212.05351

4 [zenodo.org/record/7704609](https://zenodo.org/record/7704609)



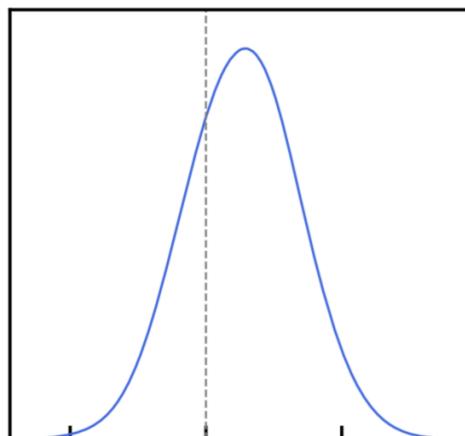
† Related work in e.g.:

arXiv:2011.05055, 2105.04283

2107.06275, 2209.13277

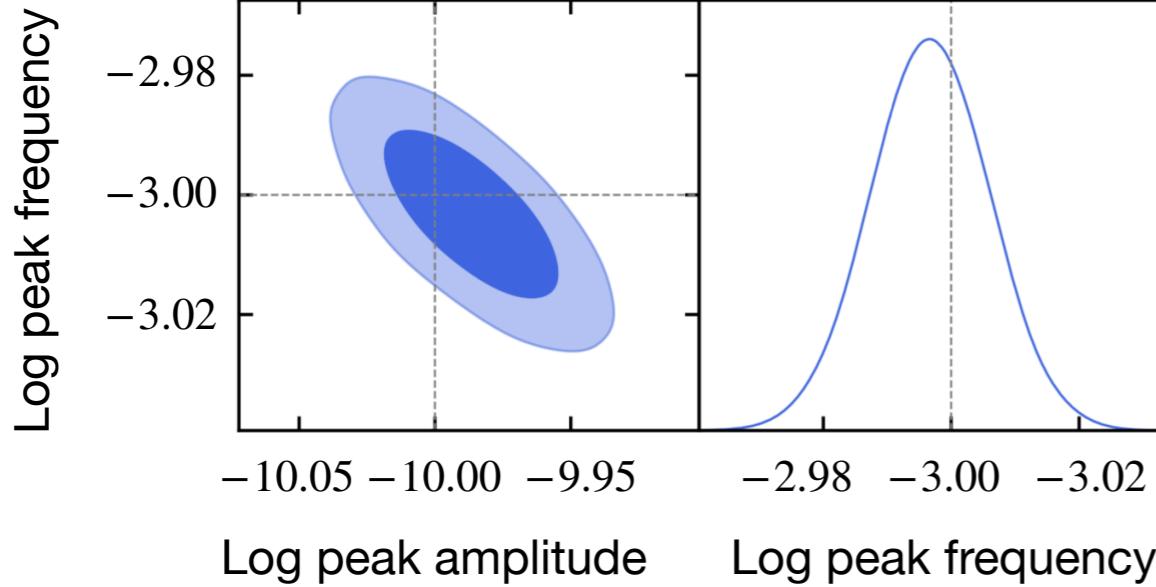
# We can recover the PT parameters quite accurately, even with added noises

Bestfit  $-9.987 \pm 0.021$



PT,  
instrument  
noise

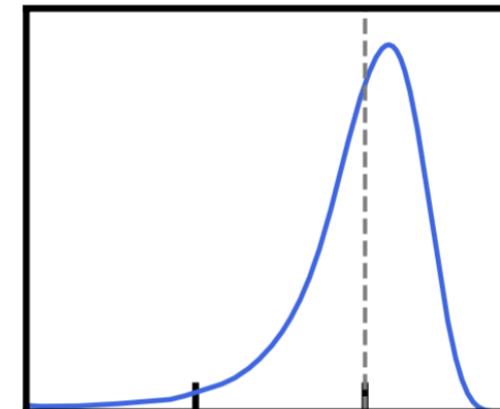
Bestfit  $-3.0033 \pm 0.0093$



+2 parameters for instrument noise

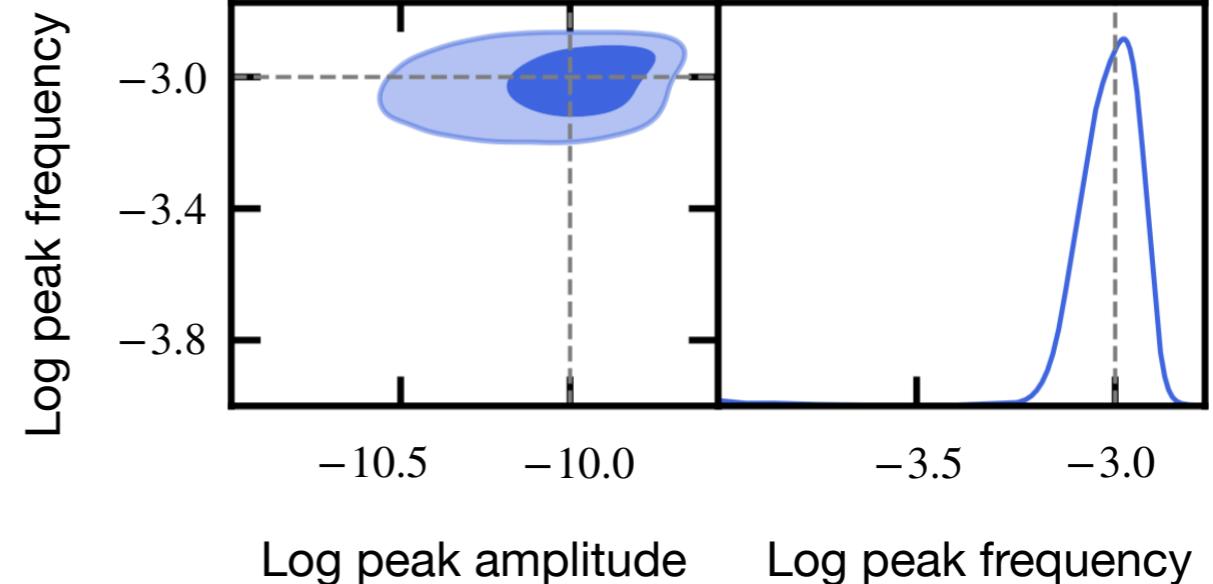
Preliminary figures by T. Minkkinen

Bestfit  $-10.02^{+0.21}_{-0.087}$



PT,  
instrument  
noise, WDs

Bestfit  $-3.024^{+0.095}_{-0.049}$



+2 parameters for instrument noise,  
+4 parameters for white dwarf binaries

**If we can detect a SGWB with LISA, we can hopefully recover the PT parameters**

## **Summary**

- We can reconstruct (strong) PT signals using spectral templates
- The LISA Simulation codes provide a consistent framework for realistic mock data production

## **Next steps**

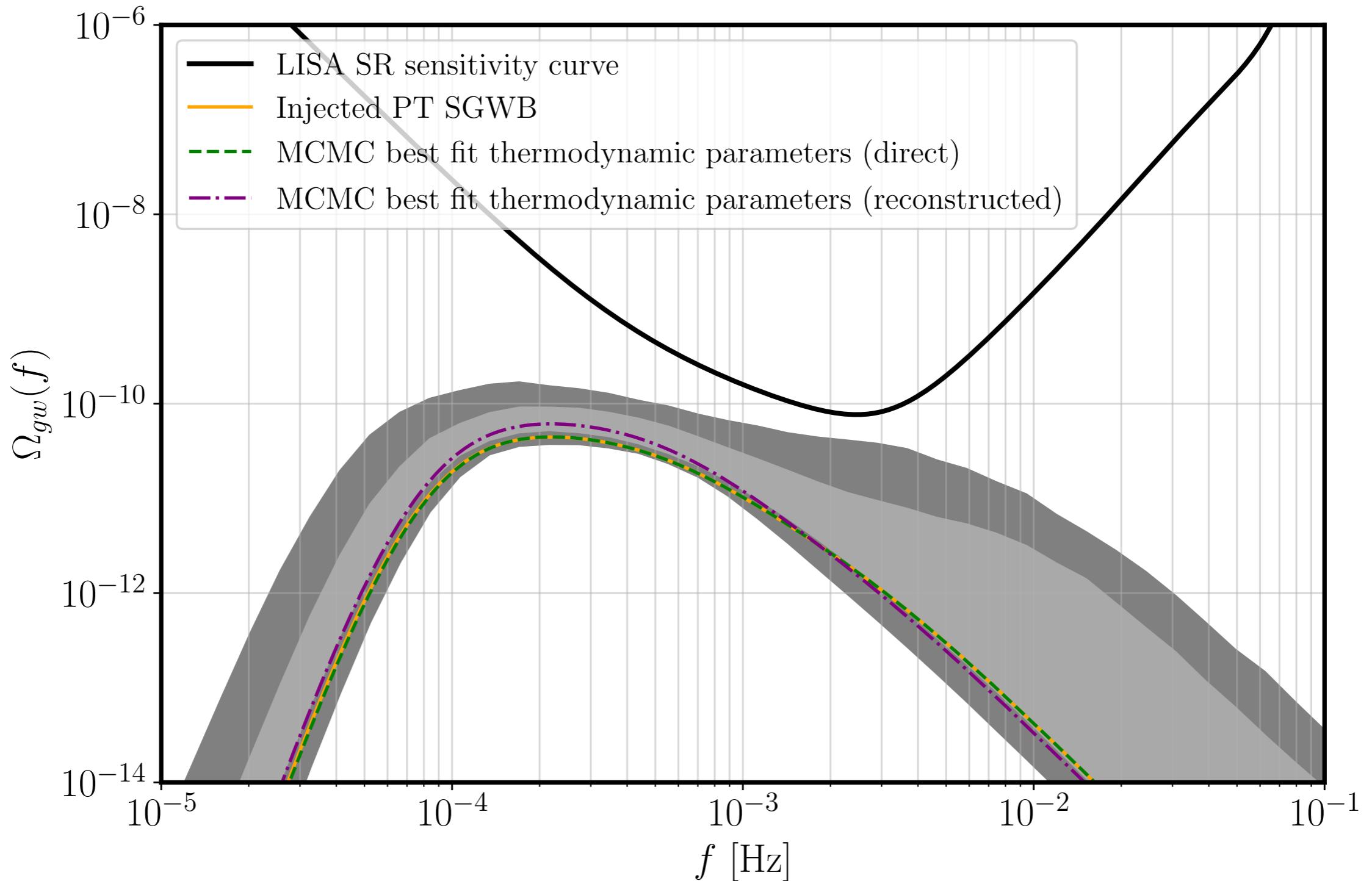
- We want to add annual modulation of binaries (angular information), change to double broken power law
- How small can we make the injected signal and how well do we need to know the astrophysical noises?

# Thanks for listening!

*Get in touch!*

*Email: deanna.hooper@helsinki.fi*

# GW spectra from the MCMC



arXiv:2209.13551

# Our fiducial model(s)

- Detonation fiducial

$$v_w = 0.88, \alpha = 0.2, r_* = 0.1, T_n = 200\text{GeV}$$

- Deflagration fiducial

$$v_w = 0.4, \alpha = 0.55, r_* = 0.1, T_n = 120\text{GeV}$$

arXiv:2209.13551