



Norwegian Particle, Astroparticle & Cosmology Theory network NPACT meeting Ålesund, 19-21 June 2024

Gravitational waves from nHz to GHz frequencies

Based on

TB, Depta, Konstandin, Schmidt-Hoberg & Tasillo, JCAP '23

TB, Gonzalo, Kahlhoefer, Matuszak & Tasillo, JCAP '24

TB, Domcke, Fuchs & Kopp, PRD '23



Gravitational waves: status 2024

Confirmed observations in two frequency ranges



- Stochastic BG:
 - SMBH mergers ?
 - New physics?

- Individual mergers:
 - BH-BH
 BH-NS
 NS-NS

Cosmological phase transitions

- We need a (strong) first-order transition
 - Not in the standard model: new physics... !
 - Triggered by temperature corrections to the potential

$$V(\phi, T) = \frac{g_{m^2}}{24} \left(T^2 - T_0^2 \right) \phi^2 - \frac{g_m}{12\pi} T \phi^3 + \lambda \phi^4$$



Need numerical simulations

- highly non-linear dynamics
- GWs produced through bubble wall collisions, sound waves and plasma turbulence





- Bubbles of new vacuum phase
 - Inucleate spontaneously
 - quickly expand and percolate



Gravitational waves from nHz to GHz $\ \ 4$

Resulting GW spectrum

Main phenomenological parameters:

 $\begin{array}{ll} @ \ {\sf nucleation/percolation} & @ \ {\sf PT \ strength} & @ \ {\sf Chara} \\ \hline {\sf temperature} & \\ \alpha \approx \frac{\Delta V}{\rho_R} \gg 1 & \Gamma \propto e^{-} \end{array}$

Characteristic scale (inverse time)

$$\Gamma \propto e^{-\frac{S_3(T)}{T}} = e^{\beta (t-t_0)} \Longrightarrow \frac{\beta}{H} = T \frac{d}{dT} \left(\frac{S_3(T)}{T} \right) \Big|_{T=T_p}$$



A PT explanation of NANOGrav ?

TB, Depta, Konstandin, Schmidt-Hoberg & Tasillo, JCAP '23



A decaying dark sector TB, Depta, Konstandin, Schmidt-Hoberg & Tasillo, JCAP '23

 \blacksquare Simplest way out : allow $\phi \to SM$ decays before BBN



Gravitational waves: looking ahead

Confirmed observations in two frequency ranges



SA has now formally adopted the LISA mission

Large potential to probe new physics

UiO **: University of Oslo** (Torsten Bringmann)

A concrete model

$$\mathcal{L} = |D_{\mu}\Phi|^{2} - \frac{1}{4}A'_{\mu\nu}A'^{\mu\nu} + \mu^{2}\Phi^{*}\Phi - \lambda(\Phi^{*}\Phi)^{2}$$
$$+ \chi^{\dagger}_{L}i\mathcal{D}\chi_{L} + \chi^{\dagger}_{R}i\mathcal{D}\chi_{R} - y\Phi\chi^{\dagger}_{L}\chi_{R} - y\Phi^{*}\chi^{\dagger}_{R}\chi_{I}$$

free-level masses from SSB:

 $m_{\phi}^{2} = -\mu^{2} + 3\lambda v_{\phi}^{2} = 2\lambda v_{\phi}^{2}, \quad m_{\varphi}^{2} = 0, \quad m_{A'}^{2} = g^{2}v_{\phi}^{2}, \quad m_{\chi}^{2} = \frac{y^{2}}{2}v_{\phi}^{2},$

- TB, Gonzalo, Kahlhoefer, Matuszak & Tasillo, JCAP '24
- scalar field charged under U(I)'
- - mass & thermal freeze-out



A LISA miracle ?

Striking correlation between GW peak frequency and DM abundance TB, Gonzalo, Kahlhoefer, Matuszak & Tasillo, JCAP '24

- strong PT + large GW signal $g \sim \lambda \sim \mathcal{O}(1) \rightsquigarrow m_{\phi} \sim v_{\phi}$
- freeze-out

$$m_\chi \gtrsim m_\phi, m_{A'} \iff y \gtrsim 0.1$$

$$\begin{cases}
\Omega_{\rm DM} \simeq 0.1 \, \frac{10^{-8} \, {\rm GeV}^{-2}}{\langle \sigma_{\rm ann} v \rangle} \\
\langle \sigma_{\rm ann} v \rangle \sim \frac{y^4}{m_{\rm DM}^2} \sim \frac{y^2}{v_{\phi}^2} \\
\longrightarrow v_{\phi} \sim {\rm TeV}
\end{cases}$$

$$\begin{split} & \textcircled{$\widehat{}$} f_{\rm peak} \simeq 10 \, {\rm mHz} \left(\frac{\beta/H}{100}\right) \left(\frac{T_{\rm p}}{1 \, {\rm TeV}}\right) \\ & \sim 10 \, {\rm mHz} \left(\frac{v_{\phi}}{1 \, {\rm TeV}}\right) \end{split}$$

for (not too strong) supercool PT



Gravitational waves: science fiction (?)

Confirmed observations in two frequency ranges



- SA has now formally adopted the LISA mission
- Some recent interest in exploring ultra-high frequency GWs
 - Table-top GW detectors ?
 - No known sources smoking gun for new physics

UiO: University of Oslo (Torsten Bringmann)

Optical Frequency modulation TB, Domcke, Fuchs & Kopp, PRD '23

Frequency measured by observer

with 4-velocity u^{μ} : $g_{\mu\nu} = \eta_{\mu\nu} + h_{\mu\nu}$ $p^{\mu} = (\omega_0, \omega_0, 0, 0) + \delta p^{\mu}$ $u^{\mu} = (1, 0, 0, 0) + \delta u^{\mu},$ *trivial*

Lessons learned:

 $\omega_{\gamma} = -g_{\mu\nu}p^{\mu}u^{\nu}$

- ♀ Apparently, nothing is trivial...
- Calculation in different frames shows intriguing cancellations
- A rigid experimental setup ($\delta u^{\mu} = 0$) naively gives frequency shifts $\propto (\omega_q L)^2$

... but a rigid ruler is impossible $\omega_q L \gg v_s$!

Bottom line:

- Signal with main (carrier) frequency ω_{γ}
- Θ Sidebands at $\omega_{\gamma} \pm \omega_{q}$
- \square Tiny amplitudes $\sim h(\omega_{\gamma}/\omega_g)$



Fig.: Elina Fuchs

Sensitivities

TB, Domcke, Fuchs & Kopp, PRD '23



Conclusions

The *nHz* GW background is consistent
 with a dark sector phase transition
 but only if the dark sector is not 'too' dark !





- The observation of a *mHz* signal might indicate thermal dark matter production in a secluded dark sector
 ... the WIMP miracle in disguise?
- Sapid progress in developing ideas for 'table-top' detectors of GHz GVS ($\alpha_{T}, \alpha_{th}) = \{(10^{-10}, 10^{-15}), (10^{-15}, 10^{-17}), (10^{-20}, 10^{-19})\}$ Inow we just need $g(\alpha_{T}, \alpha_{th}) = \{(10^{-10}, 10^{-15}), (10^{-15}, 10^{-17}), (10^{-20}, 10^{-19})\}$

Thanks for listening! Questions?

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